Measurement report: Comparison of airborne in-situ measured, lidar-based, and modeled aerosol optical properties in the Central European background – identifying sources of deviations

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Abstract. A unique data set derived from remote sensing, airborne, and ground-based in situ measurements is presented. This measurement report highlights the known complexity of comparing multiple aerosol optical parameters examined with different approaches considering different states of humidification and atmospheric aerosol concentrations. Mie-theory-based modeled aerosol optical properties are compared with respective results of airborne and ground-based in-situ measurements and remote sensing (lidar, photometer) performed at the rural central European observatory at Melpitz, Germany. Calculated extinction-to-backscatter ratios (lidar ratios) were in the range of previously reported values. However, the lidar ratio is not only a function of the prevailing aerosol type but also of and the relative humidity. The particle lidar ratio (L) dependence on relative humidity was quantified and followed the trend found in previous studies. We present a fit function for the lidar wavelengths of 355, 532, and 1064 nm with an underlying equation of f_{LR}(RH, γ(λ)) = f_{LR}(RH=0, λ)(1-RH)^γ(λ), with the derived estimates of γ(355 nm) = 0.29 (±0.01), γ(532 nm) = 0.48 (±0.01), and γ(1064 nm) = 0.31 (±0.01) for the central European aerosol. This parameterization might be used in the data analysis of elastic-backscatter lidar observations or lidar-ratio-based aerosol typing efforts. Our study shows that the used aerosol model was able to reproduce the in-situ measurements of the aerosol particle light extinction coefficients (measured at dry conditions) within 13%. Although the model reproduced the in situ measured aerosol particle light absorption coefficients within a reasonable range, we identified a number of many sources for significant uncertainties in the simulations, such as the unknown aerosol mixing state, brown carbon (organic material) fraction, and the unknown aerosol mixing state wavelength-dependent refractive index. The modeled ambient-state aerosol particle light extinction and backscatter coefficients were found to be smaller than the measured ones. However, depending on the prevailing aerosol conditions, an overlap of the uncertainty ranges of both approaches was achieved.
1 Introduction

Aerosol particles can sensitively influence the Earth’s radiation budget by scattering and absorption of solar radiation. The aerosol impact is described by means of utilizing the wavelength-dependent aerosol particle scattering coefficient ($\sigma_{sc}\,(\lambda)$) and particle absorption coefficient ($\sigma_{ab}\,(\lambda)$) as well as the sum of both, denoted as particle extinction coefficient ($\sigma_{ex}\,(\lambda)$). In-situ aerosol measurements with unmanned aerial vehicles (UAV; Alstätter et al., 2018), helicopter-borne payloads, e.g., with the Airborne Cloud and Turbulence Observations System (ACTOS; e.g., Siebert et al., 2006, Ditau et al., 2012, Wehner et al., 2015; Düsing et al., 2018), tethered-balloon payloads (e.g., Ferrero et al., 2019, Brunamonti et al., 2020), and zeppelins (e.g., Rosati et al., 2016a) are important experimental approaches to provide vertically resolved insight into the relationship between aerosol microphysical properties, chemical composition, optical properties, and related radiative effects. Remote sensing techniques such as light detection and ranging (lidar) allow profiling of aerosol optical properties with high vertical and temporal resolution in a complementary way (Weitkamp, 2005). All these different experimental approaches are needed to improve our knowledge about the role of aerosols in the climate system and, at the same time, to reduce the uncertainties in the applied aerosol observations. Direct in-situ aerosol measurements are helpful to validate remote sensing techniques and vice versa. Lidar-based aerosol particle light backscatter coefficient ($\sigma_{bsc}\,(\lambda)$) profiles have been compared with balloon-borne in-situ measurements (Brunamonti et al., 2020) and Mie-modeling results (Ferrero et al., 2019). However, the airborne in-situ aerosol measurements provide the vertically resolved aerosol information (Rosati et al., 2016a, Düsing et al., 2018, Tian et al., 2020), usually for wet conditions state. Lidar, on the other hand, monitors the aerosol under ambient conditions. Therefore, the effect of the RH must be considered when comparing in-situ measurements and modeling approaches with remote-sensing retrievals. Lidar systems have been previously utilized to investigate hygroscopic processes (e.g., Zhao et al., 2017; Navas-Guzmán et al., 2019; Dawson et al., 2020). Modeling aerosol optical properties can also account for the ambient state of the aerosol by simulating the hygroscopic growth of the aerosol particles utilizing, e.g., the semi-empirical parameterization of Petters and Kreidenweis (2007). Also, they can be used for the validation of lidar-based retrievals of, e.g., the absorption.

However, modeling, remote sensing, and in situ measurements are subject to individual uncertainties that must be considered to compare these approaches. Raman-lidar systems, for instance, such as the PollyXT lidar (Engelmann et al., 2016), can measure the aerosol particle light extinction and backscattering coefficients at several wavelengths $\lambda$ throughout the entire troposphere, but only during nighttime hours. The standard backscatter lidar technique is applied to derive aerosol backscatter and extinction height profiles in the daytime. The required estimates for the unknown extinction-to-backscatter ratio, also lidar ratio (including its wavelength dependence, $LR(\lambda)$), can introduce large uncertainties in the obtained spectral particle backscatter and extinction profiles. Note that $LR(\lambda)$ is a function of the wavelength of incoming light, the shape of the aerosol particles, the aerosol particle number size distribution (PNSD), and aerosol chemical composition. $LR(\lambda)$ estimates during daytime have been derived via a combination of direct lidar $\sigma_{bsc}(\lambda)$ and columnar sun-photometer measurements (Guerrero-Rascado et al., 2011). A sun-photometer measures the columnar integral of $\sigma_{ex}(\lambda)$, the aerosol optical depth (AOD). An effective columnar $LR(\lambda)$ can then be estimated by minimizing the difference between measured AOD and the integrated lidar-based $\sigma_{ex}(\lambda)$ derived with an assumed, best matching $LR(\lambda)$. When the Klett-Fernald method (Klett, 1982, Fernald et al., 1972) is used to derive $\sigma_{ex}(\lambda)$ and $\sigma_{bsc}(\lambda)$ with lidar, the $LR(\lambda)$ is kept height-constant, and this assumption introduces significant uncertainties because the lidar ratio varies with height, i.e., with changing aerosol layering and aerosol type conditions (Guerrero-Rascado et al., 2011).

Previous studies have focused on the dependence of $\sigma_{ex}(\lambda)$ on ambient RH (Skupin et al., 2013; Zieger et al., 2013). Navas-Guzmán et al. (2019) utilized these effects to investigate the aerosol hygroscopicity with lidar. $LR(\lambda)$ is based on the RH-dependent $\sigma_{bsc}(\lambda)$ and $\sigma_{ex}(\lambda)$, and calculations by Sugimoto et al. (2015) indicated that $LR(\lambda)$ is RH-dependent as well. Ackermann (1998) provided a numerical study based on pre-defined aerosol types with distinct size-distribution shapes to establish a power series to describe the $LR(\lambda)$ as a function of RH. Salemink et al. (1984) found a linear relationship between
the LR(\(\lambda\)) and the RH. Intensively discussed is the LR-enhancement due to hygroscopic growth in Zhao et al. (2017). They reported a positive relationship between LR and RH, but their study lacks information on vertically resolved aerosol particle number size distributions and other wavelengths. However, their simulations have shown that utilizing RH-dependent LR to retrieve aerosol particle light extinction from elastic backscatter lidar signals results in significantly different values than the constant LR approach. The studies above have shown an inconclusive dependence of the LR(\(\lambda\)) to the RH and corroborate that further research is needed, e.g., a quantification based on vertically resolved in-situ measurements. On the other hand, modeling is based on a large number of aerosol input parameters regarding particle size distribution and chemical composition as a function of height which is usually not available in the required density, e.g., because of airborne platform and payload limitations. Details are illuminated in the article.

In the following, we present two field experiments conducted in June 2015 and Winter 2017 at the regional central European background measurement facility at Melpitz, about 50–km northeast of Leipzig in eastern Germany. In both field studies, ground-based and airborne in-situ aerosol measurements and accompanying remote sensing were performed as measurements were performed during various atmospheric and aerosol conditions.

This study has three goals. Of central importance is the comparison of \(\sigma_{\text{bsc}}(\lambda)\) and \(\sigma_{\text{ext}}(\lambda)\) profiles obtained with lidar with respective individual modeling results based on airborne in-situ aerosol measurements. In this context, we want to highlight the challenges that have to be faced when instrumental limitations regarding airborne payloads do not determine the complete set of physicochemical aerosol properties. The second goal deals with the dependence of the lidar ratio on relative humidity. The humidity-related LR enhancement at the three lidar wavelengths of 355, 532, and 1064 nm is modeled with input from the in-situ aerosol measurements. Finally, the study evaluates the ability of the Mie-model to reproduce measured \(\sigma_{\text{abs}}(\lambda)\) values at different wavelengths. The goal is to provide a tool for the validation of lidar-photometer-retrieved \(\sigma_{\text{abs}}(\lambda)\) estimates, as Tsekeri et al. (2018) show. The presented study, which includes modeling of \(\sigma_{\text{bsc}}(\lambda), \sigma_{\text{ext}}(\lambda),\) and \(\sigma_{\text{abs}}(\lambda)\) in the ambient and dried state based on ground-based and vertically resolved in-situ measurements of aerosol properties as well as remote sensing with state-of-the-art photometers and multiwavelength aerosol lidar, is unique in its complexity.

The study is structured as follows. First, a general overview of the methodology is presented. Subsequently, the measurement site and the deployed instrumentations are described. Afterward, the comparison of Mie-modeled with the measured aerosol optical properties is presented and discussed separately for the summer and winter field observations. Meteorological and aerosol conditions and Mie-model validation efforts are presented in the supplementary material. The quantification of the RH-induced lidar ratio enhancement is discussed for the summer case. Finally, a summary and concluding remarks are given.
2 Modeling of aerosol optical properties

The aerosol optical properties are calculated following the flowchart displayed in Figure 1. A model utilizing Mie's theory (Mie, 1908) allows calculating the optical properties of aerosol particles under the assumption that these particles are spherical. The Mie-model applied here fulfilled three main tasks. First, it is tested to what extent it can reproduce measured $\sigma_{\text{abs}}(\lambda)$ with the given constraints. Second, it is compared to lidar-based $\sigma_{\text{bsc}}(\lambda)$ and $\sigma_{\text{ext}}(\lambda)$ based on airborne in-situ measurements accounting the ambient RH. Third, it derives $LR(\lambda)$ at ambient aerosol conditions to examine the LR-RH dependence.

For both campaigns, an adapted, Mie-model, written in Python (package PyMieScA v1.7.5; Sumlin et al., 2018), simulates the aerosol optical properties; in particular, $\sigma_{\text{bsc}}(\lambda)$, $\sigma_{\text{ext}}(\lambda)$, $\sigma_{\text{sca}}(\lambda)$, and $\sigma_{\text{abs}}(\lambda)$ for eight different wavelengths. From $\sigma_{\text{bsc}}(\lambda)$ and $\sigma_{\text{ext}}(\lambda)$, the Mie-based $LR(\lambda)$ ($LR_{\text{Mie}}(\lambda)$) is derived. For slightly non-spherical particles, Mie-theory is still applicable to particles with a size-parameter $x = \pi D_p \lambda^{-1}$ of less than five; for particles with a larger $x$, Mie-theory results in a lower $LR(\lambda)$ than the slightly non-spherical particles would have (Pinnick et al., 1976). At 355 nm, for instance, Mie-theory would underestimate the $LR(\lambda)$ already for a non-spherical particle with a diameter larger than 570 nm, the corresponding thresholds for 532 nm and 1064 nm are 850 nm and 1700 nm. Also, giant particles, usually non-spherical, result in a larger $LR(\lambda)$ than calculated with Mie-theory.

The Mie-model requires three major input parameters: a) the aerosol particle number size distribution, which was measured onboard of airborne payloads or at ground level in Melpitz, b) the mixing-state of the aerosol particles, and c) the aerosol particle complex refractive index, which is estimated by the chemical composition measurements on the ground. The model contains a module to derive the aerosol optical properties in the dried state and the ambient state. For ambient state calculations, the model solves the semi-empirical parameterization of Petters and Kreidenweis (2007) to simulate the hygroscopic growth of the aerosol particles and therefore needs additional information about the ambient RH and $T$ as well as the aerosol hygroscopicity derived with the chemical composition measurements introduced in Sect. 3.1.1. This results in the ambient state PNSD as well as the “humidified” complex aerosol refractive index.

Regarding the mixing state of the aerosol, three different approaches are considered in the scientific community: 1) external mixture, in which each compound is presented by its PNSD, 2) internally homogeneous mixture, with
homogeneously mixed aerosol compounds within the aerosol particles, and 3) the internal core-shell mixture, in which a core of a specific compound, like sea salt or light-absorbing carbon, is surrounded by a shell of, e.g., organics or inorganic salts. For internally mixed aerosols, Ma et al. (2012) have shown that the core-shell mixing model for the aged aerosol conditions at Melpitz—the core-shell mixing model—usually is the better representation of represents the internally mixed approaches to estimate the aerosol optical properties. Rose et al. (2006) have shown that the number fraction of externally mixed soot aerosol particles at 80 nm diameter is relatively low in Melpitz, indicating a majority of most internally mixed aerosol particles at this size range. The study of Yuan et al. (2020), conducted at Melpitz observatory, has shown coating thicknesses of several tens of nm of BC cores with a diameter of about 200 nm estimated for February 2017. Based on these findings, the core-shell internal mixture model was utilized in this study to calculate the aerosol optical properties for both campaigns. We assume that the aerosol particles consist of a non-water-soluble core of light-absorbing carbon and a shell of water-soluble, non-absorbing material. However, it must be mentioned that, in general, the mixing of aerosol particles is somewhat complex, and a more sophisticated approach would be to consider mixtures of aerosol particle populations. For instance, a mixture could be a combination of homogeneously mixed aerosol particles containing no BC and aerosol particles containing a light-absorbing BC core surrounded by a shell of inorganic salts, organic material, or something else. However, the number fraction of both populations would remain unclear.

This mixing approach requires the determination of the aerosol particle core and shell size and their corresponding complex refractive index. The aerosol particle core diameter \( D_c \) is calculated with:

\[
D_c = D_p \times f_{v,eBC}^{-\frac{3}{8}},
\]

(1)

where \( f_{v,eBC} \) is the volume fraction of eBC and is assumed to be constant over the entire size range. The volume fraction of the eBC particles is estimated as described in the following Section 3.1.1.

Regarding the complex refractive index of the aerosol particles, following Ma et al. (2014) and references therein, the complex refractive index of water-soluble compounds is set to 1.53 + 1e-6i, with a 0.5% uncertainty of the real part and 0% of the imaginary part, respectively. The water-insoluble light-absorbing (eBC) compounds are estimated to have a wavelength-independent complex refractive index of 1.75 + 0.55i, with a 4% and 6.6% uncertainty, respectively. This approach leads to inaccuracies, especially for calculating \( \sigma_{abs}(\lambda) \) since the complex aerosol refractive index depends on the wavelength. Bond and Bergstrom (2006), e.g., recommended a complex refractive index of BC at 550 nm of 1.95 + 0.79i at 550 nm, whereas Moteki et al. (2010) reported values of 2.26 + 1.26i at 1064 nm.

Also, only BC is considered, whereas brown carbon (BrC), usually organic material and hence part of the particle shell, was not. However, BrC is especially effective in light absorption at lower wavelengths, whereas the contribution of BC to \( \sigma_{abs}(\lambda) \) decreases towards lower wavelengths. A brief discussion of the spectrally resolved Mie-based \( \sigma_{abs}(\lambda) \) follows in Sect. 4.2.1.

Hale and Query (1973) provided the complex refractive index of water (liquid; 25°C). Following this publication, the mean (± standard deviation) of the real part of the complex refractive index of water is 1.33 (± 0.0043) in the range from 0.3 to 1.0 µm wavelength. The imaginary part is negligibly small (4.5e-7) in this wavelength range. Hence, the complex refractive index of water is set to 1.33 + 0i with an assumed real part uncertainty of 0.5%. At ambient state, the complex refractive index of the aerosol particle shell is derived based on the volume-weighted Zdanovskii, Stokes, and Robinson (ZSR; Zdanovskii, 1948; Stokes and Robinson, 1966) mixing rule of the complex refractive index of the water-soluble components, and the additionally added water. Although the sampled aerosol was dried, it always contained a small amount of residual water, which is negligible for the hygroscopic growth calculations. In the Mie-model, each estimate of the aerosol optical properties is derived with a Monte-Carlo approach with \( n = 50 \) runs. Before each run, the input parameters are varied according to their uncertainty with a Gaussian normal distribution. A uniform distribution is used when the Gaussian normal distribution creates physically unreasonable input parameters, e.g., a negative volume fraction of eBC or negative ambient
Table 2 summarizes the input parameters of the Mie-model with the uncertainties and the underlying distribution for the variation within the Monte-Carlo approach.

The quality of the underlying assumptions is checked by means of correlation of the in-situ measured and modeled aerosol optical coefficients in the dry state, and details are provided in the related supplementary material (Figure S4 and S5). Mie-modeling and in-situ measurements agree within 18%, implying that the model constraints provide a good representation of the "real" aerosol properties, at least in the dried state with the limitation of a MAC(637 nm) applied to all considered wavelengths.

3 Experiments

The data assembled during two campaigns near Melpitz, Saxony, Germany, are examined in this study. The first campaign, named "Melpitz Column" or MelCol-summer, unless otherwise stated ongoing referred to as summer campaign, was conducted in May and June 2015 with an intensive measurement period including ground-based and air-borne in-situ measurements between June 13 and June 28. The second campaign, MelCol-winter, took place in February and March 2017 and thus is referred to as the winter campaign in the further course of this paper. The upcoming sections give an overview of the conducted experiments, introduce the Melpitz Observatory with its characteristic features, and provide an overview of the applied instrumentation on the ground and the air.

3.1 Melpitz Observatory

Both campaigns took place at the central European background station at Melpitz, Saxony, Germany. Melpitz Observatory (51° 31' N, 12° 55' E; 84 m a.s.l.) is located in Eastern Germany in a rural, agriculturally used area 44 km northeast of Leipzig. About 400 km to the north is the Baltic Sea, and about 1000 km to the west is the Atlantic Ocean. Detailed information about Melpitz Observatory is given in Spindler et al. (2010, 2013). As part of various measurement networks, such as GUAN (German Ultra-fine Aerosol Network; Birmili et al., 2016), ACTRIS (Aerosols, Clouds and Trace gases Research Infrastructure), and GAW (Global Atmosphere Watch), and the measurement facility LACROS (Leipzig Aerosol and Cloud Remote Observations System; Bühl et al., 2013) Melpitz Observatory comprises comprehensive instrumentation in quasi-continuous operation, for high-quality, long-term observations and can be adapted to the needs as required. An overview of the continuously operating instrumentation is presented in the following. Details about specific instrumentation additionally added during the campaigns will be given within respective subsections.

3.1.1 Ground in-situ instrumentation

In both campaigns, the PNSD was measured by a combination of a Dual Mobility Particle Size Spectrometer (DMPSS, TROPOS-type; Birmili et al., 1999) with 10% accuracy and Aerodynamic Particle Size Spectrometer (APSS, mod. 3321, TSI Inc., Shoreview, MN, USA) with 10%-30% uncertainty depending on the size range (Pfeifer et al., 2016).

A D-MPSS consists of a bipolar diffusion charger, two differential mobility analyzers (DMA; Knutson and Whitby, 1975), and two condensation particle counters (CPC; mod. 3010 and UCPC; mod. 3776, TSI Inc., Shoreview, MN, USA). The bipolar charger transforms the aerosol into a well-defined charge equilibrium, according to Fuchs (1968) and Wiedensohler et al. (1988). The TROPOS-type DMAs select the charged aerosol particles concerning their electrical mobility, and the CPC then counts their number concentration. Overall this setup covers an aerosol particle size range of 3-800 nm in mobility diameter ($D_m$). The PNSD is available every 20 minutes, and the scan duration is ten minutes. The final D-MPSS PNSD used in this study is derived utilizing an inversion routine (Pfeifer et al., 2014) accounting for multiple charged aerosol particles, including a diffusion loss correction based on the method of "equivalent pipe length" (Wiedensohler et al., 2012).
For the calculation of the optical properties with the Mie-theory, spherical particles must be assumed. Therefore, we assume that all aerosol particles measured by the D-MPSS system used here are spherical, and the $D_a$ is equal to the volume equivalent diameter ($D_v$). The quality of the PNSD measurements is assured by frequent calibrations, as Wiedensohler et al. (2018) described. To cover the entire size range from 10 nm to 10 $\mu$m, the APSS PNSD extended the D-MPSS PNSD. For this purpose, the aerodynamic diameter ($D_{aer}$) of the APSS is converted into $D_v$ applying:

$$D_v = \left( \sum \rho_p D_{aer}^3 \right)^{1/3} = \left( \frac{\rho_0}{\rho_{eff}} D_{aer}^3 \right)^{1/3}, \text{ with}$$

$$\frac{\rho_{aer}}{\chi} = \rho_{eff},$$

following DeCarlo et al. (2004). Thereby $\rho_0$ corresponds to the standard density of 1 g cm$^{-3}$, $\rho_{aer}$ to the aerosol density, $\rho_{eff}$ to the effective aerosol density of 1.5 g cm$^{-3}$ for fine mode aerosol and already accounts for the shape of the larger aerosol particles expressed with the shape factor $\chi$. The effective density of 1.5 g cm$^{-3}$ is chosen because the best overlap of the APSS and T-MPSS PNSD is achieved for most merged PNSDs. Also, this effective density fits reasonably well to the findings of Tuch et al. (2000) and Poulain et al. (2014) with reported aerosol particle densities of 1.53 ± 0.31 g cm$^{-3}$ and 1.4 g cm$^{-3}$ to 1.6 g cm$^{-3}$, respectively. Although shape factor and aerosol particle density are usually size-dependent, we assume a constant density and shape of the aerosol particles for all the measurements of the APSS. At visible wavelengths, the coarse-mode of the PNSD is less efficient than the fine-mode in terms of aerosol particle light scattering and extinction.

Hence, for aerosols dominated by accumulation mode particles, the underlying assumption is appropriate to calculate the extinction and scattering properties of the aerosol.

In addition to these continuously running instruments at Melpitz Observatory, a Quadrupole Aerosol Chemical Speciation Monitor (Q-ACSM, Aerodyne Res. Inc, Billerica, MA., USA; Ng et al., 2011) measured the mass concentration of non-refractory particulate matter (PM). Ammonium (NH$_4$), sulfate (SO$_4$), nitrate (NO$_3$), and chlorine (Cl), as well as the organic aerosol mass, have been derived in the fine-mode regime (NR-PM$_1$). Further details on the Q-ACSM measurements at Melpitz can be found in Poulain et al. (2020). An ion-pairing scheme (ISORROPIA II; Fountoukis and Nenes, 2007) is utilized to derive the chemical compounds of the aerosol particles at 293 K and 0% RH. Furthermore, a DIGITEL DHA-80 (Walter Riemer Messtechnik e.K., Hausen/Röhn, Germany) high volume aerosol sampler collected daily the PM$_{10}$ (10 denotes an aerodynamic diameter of the aerosol particles of 10 $\mu$m) aerosol particles on a quartz-fiber filter (Type MK 360, Munktell, Grycksbo, Sweden) with a total flow of 30 m$^3$ h$^{-1}$. Among others, Müller (1999), Gnauk et al. (2005), and Herrmann et al. (2006) provide detailed information about the aerosol sampler. The sampled quartz-fiber filters were analyzed offline and allow the determination of the total aerosol particle mass concentration (here, we focus on PM$_{10}$), water-soluble ions, and the mass of elemental carbon (EC). The EC mass concentration ($m_{\text{EC}}$) was measured following the EUSAAR2 protocol (Cavalli et al., 2010).

A continuously operating Multi-Angle Absorption Photometer (MAAP; Model 5012, Thermo Scientific, Waltham, MA, USA; Petzold and Schönlinner, 2004) recorded the $\sigma_{abc}(\lambda)$ at Melpitz Observatory at a wavelength of 637 nm with an uncertainty of 10% (Müller et al., 2011) to 12% (Lack et al. 2014). Several corrections are applied to the aerosol particle light absorption measurements of the MAAP. Following Müller et al. (2011), a wavelength correction factor of 1.05 is applied to all MAAP-data in this study. Previously, observations conducted in Melpitz by Spindler et al. (2013) and Poulain et al. (2014) have shown that the submicron aerosol regime contains 90% of the total PM$_{10}$ equivalent black carbon (eBC; Petzold et al., 2013) mass concentration ($m_{\text{eBC}}$). Hence, on the $m_{\text{eBC}}$ data, a correction factor of 0.9 is applied to match the corresponding PM$_1$ measurements of the Q-ACSM. With $m_{\text{EC}}$ and these absorption measurements, $m_{\text{eBC}}$ is derived using a time-dependent ($t$) mass absorption cross-section related to the MAAP wavelength of 637 nm ($MAC(t, \lambda = 637 \text{ nm})$) with:

$$m_{\text{eBC}}(t, 637 \text{ nm}) = \frac{\sigma_{\text{abc}}(t, \text{hourly}, 637 \text{ nm})}{MAC(t, \text{daily}, 637 \text{ nm})}. \quad (34)$$
The daily average $\text{MAC}(t, 637 \text{ nm})$ is derived by dividing the daily $m_{\text{EC}}$ by the daily (midnight to midnight) mean of the measured $\sigma_{\text{abs}}(637 \text{ nm})$:

$$\text{MAC}(t(\text{daily}), 637 \text{ nm}) = \frac{m_{\text{EC}}(t(\text{daily}))}{\sigma_{\text{abs, MAAP}}(t(\text{daily}), 637 \text{ nm})^2}$$

(45)

Following this approach, a mean daily $\text{MAC}(637 \text{ nm})$ of 10.4 m$^2$ g$^{-1}$ (median 10.9 m$^2$ g$^{-1}$; IQR: 7.1 to 12.3 m$^2$ g$^{-1}$) is derived between February 1 and March 15, 2017. Recently, Yuan et al. (2020) provided $\text{MAC}(870 \text{ nm})$ estimates for the winter campaign period of this study of 7.4 m$^2$ g$^{-1}$ (geometric mean value, range from 7.2 to 7.9 m$^2$ g$^{-1}$), which relates to a $\text{MAC}(637 \text{ nm})$ of around 10.8 m$^2$ g$^{-1}$ (10.5 to 11.5 m$^2$ g$^{-1}$) assuming an absorption Ångström exponent (AAE) of 1.2 (taken from Yuan et al., 2020). Zanatta et al. (2016) also reported a geometric mean $\text{MAC}(637 \text{ nm})$ of 8.2 m$^2$ g$^{-1}$ (geometric standard deviation of 1.5 m$^2$ g$^{-1}$). For the period between June 1 and June 30, 2015, a mean daily $\text{MAC}(637 \text{ nm})$ of 7.3 m$^2$ g$^{-1}$ (median 7.2 m$^2$ g$^{-1}$; IQR: 6.0 to 8.4 m$^2$ g$^{-1}$) is estimated at Melpitz Observatory, which agrees with the 7.4 m$^2$ g$^{-1}$ previously reported by Nordmann et al. (2013) and is slightly lower than the geometric mean $\text{MAC}(637 \text{ nm})$ of 9.5 m$^2$ g$^{-1}$ (geometric standard deviation of 1.38 m$^2$ g$^{-1}$) reported by Zanatta et al. (2016) for the aerosol at Melpitz during summer. However, Nordmann et al. (2013) reported estimates based on Raman spectroscopy. Hence, the estimated $\text{MAC}(637 \text{ nm})$ values for summer and winter seem reasonable but are evaluated in-depth later. The specific volume fractions of each aerosol compound, $f_{i,v}$, are derived based on the Q-ACSM and MAAP measurements, dividing the mass of each aerosol compound’s mass with its respective density. Appendix 1 lists the density of each derived aerosol compound. Moteki et al. (2010) reported that it is accurate within 5% to assume the density of non-graphitic carbon at 1.8 g cm$^{-3}$. Therefore, in this study, a BC density of 1.8 g cm$^{-3}$ is used.

Due to a lack of airborne chemical composition measurements, we assume that the chemical composition derived on the ground represents the airborne aerosol measurements in both campaigns.

These measurements were completed by a Nephelometer (mod. 3563, TSI Inc., Shoreview, MN, USA), which measures the $\sigma_{\text{abs}}(\lambda)$ at 450, 550, and 700 nm with a relative uncertainty by calibration and truncation of about 10% (Müller et al., 2009). The error of the Nephelometer measurements due to truncation and illumination is corrected following Anderson and Ogren. (1998).

The aerosol particle hygroscopicity parameter $\kappa$, introduced by Petters and Kreidenweis (2007), represents a quantitative measure of the aerosol's water uptake characteristics and depends on the aerosol particles' chemical composition of the aerosol particles-as well as the ground size. A Volatility Hysteresis-Tandem Differential Mobility Analyser (VH-TDMA), first introduced by Liu et al. (1978), measures the hygroscopic growth of aerosol particles at a specific RH and particles sizes, and with that, the water uptake is estimated. A VH-TDMA was deployed at Melpitz Observatory during the summer campaign and operated at six different size bins (30, 50, 75, 110, 165, and 265 nm) from which the size-resolved aerosol hygroscopicity $\kappa(D_{p})$ was inferred. For particles smaller than 30-nm, we assume $\kappa(30 \text{ nm})$ and for particles larger than 265-nm, $\kappa(265 \text{ nm})$, respectively. For particles between two sizes, linear interpolation is applied. The scientific community uses various VH-TDMAs, but detailed insights on the system deployed here provide Augustin-Bauditz et al. (2016).

During the winter campaign, no size-resolved direct hygroscopicity measurements were available. Therefore, the hygroscopicity of the aerosol particles encountered in the winter campaign is derived based on the parallel conducted measurements of the aerosol chemical composition utilizing the volume-weighted ZSR mixing rule considering the hygroscopicity parameter of every single aerosol compound $\kappa_i$ listed in Appendix 1. A comparison of the size-segregated $\kappa(D_{p})$ estimates of the VH-TDMA with bulk Q-ACSM measurements during the summer campaign shows a 1:1 agreement with high correlation ($R^2 = 0.98$, fit through the origin) at 165 nm (see Figure S6). Hence, bulk Q-ACSM measurements represent the aerosol at a size of around 165 nm. However, the bulk Q-ACSM approach might over- or underestimate the hygroscopicity of aerosol particles smaller or larger than 165 nm in diameter.
Furthermore, Düsing et al. (2018) have conducted an optical closure experiment comparing Mie-based aerosol particle light extinction and backscatter coefficients with lidar measurements, using both \( \kappa \) estimates based on chemical composition and cloud condensation nuclei counter measurements at 0.2% supersaturation. In the case of the chemical composition, the aerosol particle light extinction coefficient did agree with the lidar within 10%. Hence, using \( \kappa \) from the bulk Q-ACSM measurements is a feasible approach.

### 23.1.2 Ground-based remote sensing

In addition to the in-situ measurements on the ground, in both campaigns, a Lidar system was used to determine \( \sigma_{\text{bsc}}(\lambda) \) and \( \sigma_{\text{ext}}(\lambda) \). This system was Polly\textsuperscript{XT}, a 3+2+1 wavelength Raman polarization lidar system, in the first version introduced by Althausen et al. (2009). The Polly\textsuperscript{XT} version in this study is operated with three channels for aerosol particle light backscattering and two for aerosol particle light extinction. During the summer campaign, a near-field channel at 532 nm was available. After the summer campaign, Polly\textsuperscript{XT} was updated and equipped with an additional near-field channel at 355 nm and therefore available during the winter campaign.

Vertical profiles of these aerosol properties are available; each 30 s with a vertical resolution of 7.5 m. The geometry of emitted laser and far field-of-view (FOV) leads to a partial overlap below an altitude of 800 m, known as the overlap height, and can be determined experimentally (see Wandinger and Ansmann, 2002). Below 800 m, an overlap correction is applied to the lidar data (see Engelmann, 2016; Wandinger and Ansmann, 2002). The standard far FOV is 1 mrad and the near FOV is 2.2 mrad (Engelmann et al., 2016). The automated data evaluation routines and quality check control are presented in detail in Baars et al. (2016). An intercomparison campaign presented by Wandinger et al. (2016), including different EARLINET (European Aerosol Research Lidar NETwork) instruments, including the system within this study (see Lidar system named le02 therein), has shown a maximum deviation of less than 10%. Hence, we assume a 10% measurement uncertainty of the \( \sigma_{\text{bsc}}(\lambda) \) measurements.

During the daytime, the signal-to-noise ratio in the Raman channels is too weak due to solar radiation to provide robust Raman \( \sigma_{\text{ext}}(\lambda) \). Therefore, in this and other studies, e.g., Omar et al. (2009), Kim et al. (2018), Rosati et al. (2016a), and Höpner et al. (2016), the \( \sigma_{\text{bsc}}(\lambda) \) is converted to \( \sigma_{\text{ext}}(\lambda) \) utilizing the extinction-to-backscatter ratio, also known as lidar ratio (LR, in sr), with:

\[
\sigma_{\text{ext}}(\lambda) = \sigma_{\text{bsc}}(\lambda) \times LR(\lambda). \tag{56}
\]

\( LR \) is an intensive aerosol property. The estimates of \( \sigma_{\text{ext}}(\lambda) \) hence are subject to uncertainties arising from the LR uncertainty and \( \sigma_{\text{bsc}}(\lambda) \).

In the past, several studies investigated the LR of different aerosol types with ground-based lidar systems (Haarig et al., 2016, Mattis et al., 2004, Wang et al., 2016, and Ansmann et al., 2010; with an airborne lidar system by Groß et al. (2013). Cattrall et al. (2005) estimated LRs at 550 nm and 1020 nm wavelength based on retrievals of direct sky radiance and solar transmittance measurements. Tao et al. (2008) and Lu et al. (2011) determined the LR with a synergistic approach combining space-borne and ground-based lidar. Düsing et al. (2018) provide LR based on airborne in-situ measurements estimated with Mie-theory. All these investigations clearly show that the LR is highly dependent on the predominant aerosol types. Müller et al. (2007) and Mattis et al. (2004) provided an overview of the LR for different aerosol types. Mattis et al. (2004) provided long-term (2000-2003) estimates of the LR for central European haze (anthropogenic aerosol particles) of 58 (±12) sr for 355 nm, 53 (±11) sr for 532 nm, and 45 (±15) sr for 1064 nm wavelength, respectively. In this study, the measured \( \sigma_{\text{bsc}}(\lambda) \) is transformed into \( \sigma_{\text{ext}}(\lambda) \) with these estimates (see Figure 1; lidar box). The uncertainties of the estimates of Mattis et al. (2004) and the measurement uncertainties of the lidar system are accounted for in the derived \( \sigma_{\text{ext}}(\lambda) \). Later, the LR derived with the Mie-model in the ambient state is compared with the LR provided by Mattis et al. (2004). With the uncertainty range of the LR by Mattis et al. (2004) and applying Gaussian error propagation, the uncertainty of the lidar-based \( \sigma_{\text{ext}}(\lambda) \) is at best 23% at 355 nm, and 35% at 1064 nm, respectively.
Additionally, a sky spectral radiometer (mod. CE318, Cimel Electronique, 75011 Paris, France) was deployed during both intensive periods of both campaigns as part of the AERONET observations. This pointed sun radiometer derived the AOD at several wavelengths, and Holben et al. (1998) provide detailed insights on the working principle of this instrument. It was used to cross-check the lidar retrievals to validate the integrated \( \sigma_{ad}(\lambda) \) profiles with the AERONET AOD.

**With a combination of both the lidar and the sun-photometer** directly deriving the LR from nighttime observations with the Raman-Lidar would also have been a feasible approach. However, as the atmospheric conditions between night and daytime were not homogenous and quite variable, we could not apply the nighttime finding to our daytime observations. However, we used AERONET AOD data to validate our extinction profiles and found good agreement whenever atmospheric conditions allowed. E.g., for June 28, 2015, the integral of the mean aerosol particle light coefficient between 0 and 2500 m and 8 to 10 UTC (below the overlap height, the values are linearly extrapolated to the ground) is 0.13 at 355 nm and 0.072 at 532 nm. The corresponding AOD(355 nm), extrapolated with the Ångström exponent between 340 and 380 nm, is 0.14 and 0.097 at 532 nm (extrapolated between 500 and 675 nm). Thus, we believe the used lidar ratio values are well justified.

**With a lidar and sun-photometer combination**, profiles of \( \sigma_{ad}(\lambda) \) can be estimated using the Generalized Aerosol Retrieval from Radiometer and Lidar Combined data algorithm (GARRLIC; Lopatin et al., 2013). However, AOD at 404 nm of 0.4 and more is needed for this purpose; thus, we could not apply it for our study.

### 23.1.3 Airborne in-situ measurements

**Measurement platforms**

During the intensive period of the summer campaign, a set of state-of-the-art instruments, installed on the airborne platform ACTOS (Siebert et al., 2006), determined microphysical and aerosol optical properties. ACTOS was designed as an external cargo under a helicopter with a 150 m long aerial rope and was operated at maximum ascend and descend speeds of 6 m s\(^{-1}\). Ambient RH and temperature \( (T) \) were recorded **as well** and **are** averaged to a temporal resolution of 1 Hz. A data link was established between ACTOS and a receiver station installed on the helicopter. The scientist on board the helicopter adjusted flight height and track based on the real-time data observation. The measurement strategy is shown in the supplementary material with a typical flight pattern displayed in **Figure S1**.

On ACTOS, a custom-made silica-bead-based diffusion dryer dried the air sample to ensure an aerosol humidity below 40%, following the recommendations of Wiedensohler et al. (2012). The RH has been measured downstream of the dryer with an RH sensor (model HYT939, B+B Thermo-Technik GmbH, Donaueschingen, Germany). The upper cut-off of the inlet system is estimated at around 2 \( \mu \)m following Kulkarni et al. (2011).

During MelCol-Winter, the tethered balloon system BELUGA (Balloon-bornE modular Utility for profilinG the lower Atmosphere, Egerer et al., 2019) carried a set of payloads, which determined meteorological conditions, including ambient \( T \) and \( RH \), as well as microphysical and aerosol optical properties. The aerosol was sampled with instrumentation with a temperature-insulated box. The 90 m\(^3\) helium-filled balloon was attached on a 2 km long tether (3 mm Dyneema®), an electric winch allowed profiling with a climb and sink rate of 1 to 3 m s\(^{-1}\).

Varying wind speeds during the campaign changed the inclination of the aerosol inlet accordingly. Therefore, we do not account for the varying upper cut-off of the inlet. However, calculations following Kulkarni et al. (2010) with an inclination angle of 90° show that 50% of 10 \( \mu \)m aerosol particles with a density of 2 g cm\(^{-3}\) are aspirated by the inlet at a wind-speed of around 0.8 m s\(^{-1}\).

The aerosol was passively dried with a silica-bead-based dryer similar to the one on ACTOS to dampen sudden changes in the RH of the aerosol stream. Such speedy fluctuations in relative humidity affect filter-based absorption measurements and **have** been shown by Düsing et al. (2019), among others, for the instrument used in this study.
Aerosol optical properties

In summer and winter, the aerosol optical properties were measured onboard ACTOS. The Single Channel Tri-Colour Absorption Photometer (STAP; Brechtel Manufacturing Inc., Hayward, CA, USA) derived \( \sigma_{\text{abs}}(\lambda) \) at 450, 525, and 624 nm wavelength, respectively. Briefly, the STAP evaluates \( \sigma_{\text{abs}}(\lambda) \) based on light attenuation measurements behind two filters with a spot-size of around 1.75 x 10^{-5} m². In this study, used quartz-fiber filters (Pallflex membrane filters, type E70-2075W, Pall Corp., Port Washington, NY, USA) were used. On one filter, the aerosol matters deposits, and one filter spot stays clean downstream of the first filter. A photodetector detects the intensity of light of the given wavelength behind these filter spots. All raw data have been recorded on a 1 Hz time resolution. At default, the STAP estimates \( \sigma_{\text{abs}}(\lambda) \) based on 60 s running averages of the measured intensities at default. At this averaging period, the measurement uncertainty is estimated to be 0.2 Mm⁻¹. Based on differential light attenuation measurements between two time-steps, the STAP calculates the \( \sigma_{\text{abs}}(\lambda) \). Filter-loading and the enhancement of absorption due to multiple scattering within the filter-material have are corrected following Ogren (2010) and Bond et al. (1999). These corrections include the real-time estimated filter-transmission dependent loading correction factor:

\[
\bar{f}(\tau) = (1.0796\tau + 0.71)^{-1},
\]

where the transmission \( \tau \) is defined as the ratio of the intensity \( I(t) \) measured at time \( t \) and the blank-filter intensity \( I_0 = I(t_0) \). Due to the limited computational power of the internal chip onboard-Off, the STAP \( \sigma_{\text{abs}}(\lambda) \) are recalculated based on 30 seconds time resolution during the post-processing with more considerable precision. Also, STAP data has been corrected in terms of scattering artifacts following Bond et al. (1999). At the time of the measurement campaign, the STAP was still in an early stage of development and reacted very sensitively to changes in temperature. Therefore, measurements of the STAP from the summer campaign are not shown here but are mentioned for the sake of completeness.

Additionally to the STAP measurements in summer, a Cavity Attenuation Phase Shift Monitor (CAPS PMw, Aerodyne Research, Billerica, MA, USA) was measuring \( \sigma_{\text{ext}}(\lambda) \) and \( \sigma_{\text{ext}}(\lambda) \) at 630 nm wavelength each second. The measured aerosol particle light scattering coefficient is not used within this study, and therefore, the truncation error of \( \sigma_{\text{ext}}(630 \text{ nm}) \) is not corrected. Moreover, we focus on \( \sigma_{\text{ext}}(630 \text{ nm}) \) estimated with a 5% accuracy. However, a detailed characterization of the CAPS PMssa monitor is provided by Modini et a. (2021). Truncation and scattering cross-calibration correction factors are reported with uncertainties of 2% and 4% to 9% for fine and coarse mode dominated aerosol.

Aerosol particle number size distribution

In summer, a TROPOS-built MPSS determined the PNSD with a temporal resolution of two minutes covering a size range of 8 nm to 230 nm. This temporal resolution translates into a vertical spatial resolution of several 100 m depending on the ascent/descent speed of the helicopter. Like the D-MPSS on the ground, this MPSS included a bipolar charger (here mod. 3077A, TSI Inc., Shoreview, MN, USA) containing radioactive Kr-85, a TROPOS-type DMA (Hauke-type, short), and a condensation particle counter (CPC; mod. 3762A, TSI Inc., Shoreview, MN, USA) with a lower cut-off diameter \( (D_{p,50\%}; \text{the CPC detects 50\% of the aerosol particles with this diameter}) \) of around 8 nm and counting accuracy of 10%. An optical particle size spectrometer was used to determine the PNSD within a specific size range in both campaigns. In the summer campaign, an optical particle size spectrometer (OPSS; here mod. skyOPC 1.129, GRIMM Grimm Aerosol Technik, Ainring, Germany) recorded the optical equivalent PNSD covering an aerosol particle size range of 350 nm to 2.8 µm (optical diameter) with a temporal resolution of 1 Hz. The manual of the skyOPC (v. 2.3) states that each offspring OPSC-OPSS unit is calibrated to a mother instrument with a so-called in-house standard using polydisperse mineral dust (dolomite). The polarization of the used laser with a wavelength of 655-nm is unknown but is needed to calculate precise response curves. Because of these reasons, a correction regarding the complex aerosol refractive index \( (n = n_r + i\kappa) \) could not be applied to the data set. The OPSS in-situ measurements are quality checked by comparing the average PNSD of the lowermost 200 m with the ground in-situ measurements (see Figure 2).
The comparisons reveal a distinct underestimation of the aerosol particle number concentration above 800 nm in optical diameter (see Figure 2). The underestimation is caused presumably due to a mixture of losses within the system, which cannot be addressed appropriately. The here missing refractive index correction of the OPSS would shift the OPSS PNSD more to larger particle diameters (see Alas et al., 2019). A corresponding two-minute mean of the OPSS measurements extended the MPSS PNSD, and the resulting PNSD has been corrected concerning aspirational and diffusional losses following Kulkarni et al. (2011) and Wiedensohler et al. (2012) using the method of the "equivalent pipe length".

In the winter campaign, an OPSS (mod. 3330, TSI Inc., Shoreview, MN, USA) was sampling the PNSD in a range of 0.3 to 10 µm in 16 size bins every 10 seconds. Diffusional losses at the OPSS size range are negligible and are not considered. Contrary to the PNSD derived with the sykOPC, this OPSS PNSD is corrected with in-house software in terms of the complex aerosol refractive index for the complex aerosol refractive index. Briefly, the used software utilizes Mie theory to calculate the intensity of sideward scattered light with a given wavelength of aerosol particles with a complex refractive index and a given diameter D within an angular range. The next step shifts the diameter up to the intensity that matches the intensity of the calibration aerosol (here PSL) of a specific diameter and refractive index. As a result, the size bins are remapped to a new diameter array. For the calculations, the specific characteristics of the device have to be known. In this case, the sideward angular range is ±60°, the wavelength is 660 nm assuming unpolarized light and a refractive index of the calibration aerosol at this wavelength of 1.581+i0. A complex aerosol refractive index of 1.54 + i0 is used since this results in OPSS PNSD with a decent overlap to the MPSS PNSD measured on the ground. The imaginary part of the complex aerosol refractive index is forced to 0 because it leads to a significant overestimation of the coarse mode in the PNSD when the imaginary part of the complex aerosol refractive index is above 0 (see Alas et al., 2019). Note that this complex aerosol refractive index is not the refractive index used in the Mie-model because the imaginary components of the refractive index are also used in the model there. For the investigated days of the winter campaign, a median complex refractive index of the aerosol of 1.56+i0.11 is found for February 9 and 1.56+i0.06 for March 9, respectively. However, these refractive indices are based on the ZSR mixing of homogeneously mixed particles but, a) we assumed a core-shell mixing of the aerosol particles and b) the shape of the aerosol particles is particle effective as well for the refractive index correction. Therefore, the used complex refractive index for correction is more an "effective" refractive index to match the OPSS PNSD to the PNSD derived at ground level with the MPSS and APSS.
In both cases, the instrumentation onboard the payloads did not cover the entire aerosol particle size range from 10 nm to 10 \( \mu \text{m} \). Since the in-situ instrumentation at the ground is quality-assured, the ground-based measurements are the reference and are utilized to correct the airborne measurements. The missing size range is addressed as follows: The size range of the corresponding PNSD from the ground fills the missing size range; from 10 nm up to 326 nm, in the winter case, in the summer case, all sizes larger than 800 nm in optical diameter. Advantageously this addresses the unaccounted underestimation of larger particles by the skyOPC in the summer case and also provides volume-equivalent diameters for the Mie calculations in that size range, and accounts for uncertainties introduced due to differences in the complex refractive index of the calibration aerosol and the prevalent aerosol.

To account for vertical variability within the atmosphere, the ground-based PNSD is corrected for altitude, establishing a non-fixed altitude-correction factor \( f_h \). This factor normalizes the ground-based PSND (each bin equally) with the number concentration ratio of the aerosol particles detected by the OPSS at altitude \( h \) (\( N_{\text{OPSS}}(h) \)) and the mean in a layer near ground below an altitude \( x \) (\( N_{\text{OPSS}}(<x \text{ m}) \)). The altitude-correction factor \( f_h(h) \) is calculated according to Eq. (68):

\[
f_h(h) = \frac{N_{\text{OPSS}}(h)}{N_{\text{OPSS}}(<x \text{ m})}
\]

where \( N_{\text{OPSS}}(<x \text{ m}) \) is the mean aerosol number concentration derived with the OPSS in the lowermost \( x \) m. For the summer campaign, \( x \) is set to 200 m, and in the winter campaign, 50 m. \( N_{\text{OPSS}}(h) \) is the mean aerosol particle number concentration detected by the OPSS at a given height \( h \). In the summer campaign, \( h \) is the corresponding mean height of the two minutes MPSS scan period; in the winter campaign, it is the mean altitude of the 10 second measurement period of the OPSS. Advantageously, for the summer case, this method accounts for uncertainties introduced due to differences in the complex refractive index of the calibration aerosol and the prevalent aerosol and accounts for the upper cut-off limit of the inlet system.
4 Results

4.1 MelCol-summer

4.1.1 Model vs. Lidar

Figure 3: a) Vertical profiles of the 20m-layer averages of the ambient RH (blue), potential temperature $\theta$ (red), b) the aerosol particle number concentration of all particles ($N_{\text{CPC}}$; black) and the particles detected by the OPSS ($N_{\text{OPSS}}$; red). Shaded areas around $T$, $RH$, and $N_{\text{OPSS}}$ represent the standard deviation of the mean in the layer. c) Aerosol particle light backscattering...
coefficient ($\sigma_{bsc}(\lambda)$) averaged from 08:35 to 09:00 UTC. Lines represent lidar estimates and modeled estimates displayed by triangles (for each PNSD scan on ACTOS) for the given wavelengths 355 nm (blue), 532 nm (green), and 1064 nm (red). d) aerosol particle light extinction coefficient ($\sigma_{ext}(\lambda)$), correspondingly. Shaded areas around the lidar-based coefficients indicate the assumed 10% uncertainty of $\sigma_{bsc}(\lambda)$ and the range of possible $\sigma_{ext}(\lambda)$ following the given range of Mattis et al. (2004). e) the extinction-to-backscatter ratio for the different wavelengths (indicated by colors) based on Mie-calculations (dots with error bars) and from Mattis et al. (2004) (solid vertical lines, vertical dashed lines represent uncertainty). Uncertainty-bars around the Mie-based $\sigma_{bsc}(\lambda)$ and $\sigma_{ext}(\lambda)$ denote 3-sigma-range; around $L_R\text{Mie}(\lambda)$ they denote the range of possible $L_R\text{Mie}(\lambda)$ resulting from the uncertainties of the modeled $\sigma_{bsc}(\lambda)$ and $\sigma_{ext}(\lambda)$. The given profiles were derived during flight b between 08:08 and 09:58 UTC on June 26, 2015.

Figure 3 shows the vertically resolved atmospheric conditions during the measurement flight between 08:08 and 09:58 UTC on June 26, 2015. The 20 m-layer averages of microphysical aerosol particle properties, the ambient $RH$ and $T$, and the measured (average between 08:35 and 09:00 UTC) and modeled aerosol optical properties of each PNSD scan are shown. The top of the PBL is about at an altitude of around 2 km. From 2000 m to 0 m altitude, the total aerosol particle number concentration, measured by the CPC ($N_{CPC}$), as well as the number concentration for aerosol particles larger than 350 nm ($N_{OPSS}$), indicates the presence of two different aerosol layers (panel b)). Between 1200 and 1800 m altitude, a layer is indicated by a constant $N_{CPC}$ of around 4000 cm$^{-3}$ and a $N_{OPSS}$ of around 55 cm$^{-3}$. In the layer from 700 m to 0 m altitude, $N_{CPC}$ steadily increases towards the ground up to 5000 cm$^{-3}$, while $N_{OPSS}$ scatters around 45 cm$^{-3}$. For this layer, the model calculates larger optical coefficients than observed with the lidar. Above an altitude of 700 m, the model calculates lower $\sigma_{bsc}(\lambda)$ at 355 nm and 532 nm and slightly lower $\sigma_{ext}(355 \text{ nm})$ (Figure 3c and d)). That indicates different aerosol populations in these layers. The flight was conducted in the early morning from 08 to 10 UTC. During this daytime, the PBL is usually still developing due to thermal convection. Hence, most of the data were collected within the residual layer. The residual layer is an aged layer of aerosol, and the aerosol sampled on the ground should not represent the layer aloft the PBL. However, the model calculates aerosol particle light backscatter and extinction within 35% compared to the lidar with the best agreement at 532-nm, reproducing the extinction within 12%, much smaller than the approximated lidar uncertainty. Within the PBL, presumably up to an altitude of 600 m, the model significantly calculates larger $\sigma_{ext}(\lambda)$ and $\sigma_{bsc}(\lambda)$. Surprisingly, the assumptions within the model capture the conditions within the residual layer better than the aerosol conditions within the PBL. Maybe, the more aged aerosol within the residual layer fits better the core-shell mixing assumption with the model.

Figure 4: Scatter plots of the measured (lidar) and modeled (Mie) ambient state aerosol particle light backscattering ($\sigma_{bsc}(\lambda)$, panel a)) and extinction ($\sigma_{ext}(\lambda)$, panel b)) coefficient derived during flight 20150626a. Vertical uncertainty bars indicate the range within ±three times the standard deviation of the mean. Horizontal uncertainty bars denote the uncertainty of the lidar estimates.
Colored lines represent linear fit at the corresponding color for 1064 nm (red), 532 nm (green, NF dark green), and 355 nm (blue). The black dashed line represents the 1:1 line.

Figure 4a) and 4b) summarize the results shown in Figures 3c) and 3d). Regarding \( \sigma_{\text{bsc}}(\lambda) \), the Mie-model calculates around 34 (±6.4)% larger values than measured with the lidar at 1064 nm wavelength, 19.1 (±4)% lower values at 532 nm, and 35.3 (±3.3)% lower values at 355 nm. Considering \( \sigma_{\text{ext}}(\lambda) \), the estimates of the Mie-model are 31 (±5.8)% larger than the lidar-based estimates at 1064 nm wavelength and by 5 (±4)% larger at 532 nm. At 355 nm, the Mie-model calculates around 16.7 (±3)% lower aerosol particle light extinction coefficients than derived with the lidar.

Figure 3e) displays the spectrally resolved modeled \( LR_{\text{Mie}}(\lambda) \) and the \( LR(\lambda) \) with the given uncertainty range reported by Mattis et al. (2004). Within the lowermost 1200 m, \( LR_{\text{Mie}}(\lambda) \) is relatively constant, and the RH increases from ground to 1200 m from around 50% to 70%. The impact of the RH on the \( LR(\lambda) \) is small due to the small hygroscopic growth of the aerosol particles in this RH range. Under these conditions, the mean \( LR_{\text{Mie}}(\lambda) \) is 54 sr at 355 nm and 532 nm, respectively. This average \( LR_{\text{Mie}}(\lambda) \) is in the range of reported \( LR(\lambda) \) for urban haze aerosol reported by Müller et al. (2007) and Mattis et al. (2004) and is reasonable considering also the \( LR(532 \text{ nm}) \) of polluted dust aerosol of 60 sr reported by Omar et al. (2009). The anthropogenic influence (urban, polluted) is indicated by a larger \( m_{\text{a,bc}} \) than observed on June 17 and 28 (see Figure S2). The mean \( LR_{\text{Mie}}(1064 \text{ nm}) \) below 1200 m altitude is 30 sr and agrees with the findings of Omar et al. (2009). They reported an \( LR(1064 \text{ nm}) \) of 30 sr based on satellite-borne lidar observations for clean continental, polluted continental, and polluted dust aerosol. Above 1200 m altitude, the \( LR_{\text{Mie}}(\lambda) \) followed the trend of the RH up to the PBL top, indicating an \( LR\text{-RH} \) dependence.
Figure 5 displays vertical profiles of the same observed parameters as shown in Figure 3 obtained during the second flight (12:43 to 14:19 UTC) on June 17, 2015. Differently from June 26, a larger decrease of RH was observed above the top of the PBL at around 1800 m to 2000 m altitude (Figure 5a). Below 2000 m altitude, the RH is steadily decreasing from 75% to 35% towards the ground. The stable $N_{\text{OPSS}}$ and $N_{\text{CPC}}$ of ~15 cm$^{-3}$ and 3800 cm$^{-3}$, respectively, indicates a well-mixed planetary boundary layer up to an altitude of around 1800 m (Figure 5b). Compared to the case of June 26, on average, the model values of the $\sigma_{\text{bsc}}(\lambda)$ are 1.4% to 12.3% lower than the lidar-based ones (see Table 2). The model calculates significantly lower (42.9% to 35.9%) $\sigma_{\text{ext}}(\lambda)$ in the ambient state than derived from the lidar aerosol particle light backscatter using the $LR(\lambda)$ of Mattis et al. (2004).

We assume that the $LR$s for urban haze aerosol reported by Mattis et al. (2004) might not apply to that day. The spectral behavior of $LR_{\text{Mie}}(\lambda)$ was different from the case of June 26. In particular, during flight b on June 17, the $LR_{\text{Mie}}(532 \text{ nm})$ is in the range of $LR_{\text{Mie}}(1064 \text{ nm})$, whereas on June 26 $LR_{\text{Mie}}(532 \text{ nm})$ it is in the range of $LR_{\text{Mie}}(355 \text{ nm})$. Within the lowermost 400 m, under dry conditions at around 40% RH, the $LR_{\text{Mie}}(355 \text{ nm})$ is around 38 sr, at $LR_{\text{Mie}}(532 \text{ nm})$ and $LR_{\text{Mie}}(1064 \text{ nm})$ is around 23 sr. These $LR$s agree with Catrall et al. (2005), who have reported an $LR(550 \text{ nm})$ of 28 ($\pm$5) sr with a ratio of $LR(550 \text{ nm})/LR(1020 \text{ nm})$ of 1.0 ($\pm$0.2) for marine aerosol. Hence, the prevalent aerosol on this day possibly could be classified as marine-type aerosol applying the classification of Catrall et al. (2005). The origin of the corresponding trajectory cluster (see supplementary material; WS-A2 (clean); Sun et al., 2020) located over the North Atlantic supports this aerosol classification. Applying the $LR_{\text{Mie}}(\lambda)$ displayed in the Figure 5e) to $\sigma_{\text{bsc, lid}}(\lambda)$, the slope of the linear fit of modeled and the lidar-based $\sigma_{\text{ext}}(\lambda)$ is much closer to 1, and the agreement is within 12.9% (underestimation of 7% at 1064 nm, 7.9% at 532 nm, 5.2% at 532 nm near-field channel, and 12.9% at 355 nm). Above the PBL, within the free troposphere, the model is significantly larger than the lidar estimates. However, ACTOS was not flying directly above the lidar; hence, small scale differences in the PBL height could explain the difference. These variations in the PBL height are also visible in Figure S1, with distinct variations of the aerosol load within a short period.
Averaged over all four investigated flights, the Mie-model calculates lower optical coefficients than derived by the lidar. Table 2 summarizes the slopes of the correlation between measured and modeled optical coefficients of the four investigated flights.

Table 2: Overview of the slopes and their standard error of a linear regression between the modeled extinction and backscattering coefficient with the measured ones from the lidar for the four investigated flights and summarized for all data points displayed with three significant figures accuracy.

<table>
<thead>
<tr>
<th>flight</th>
<th>backscattering</th>
<th>extinction</th>
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<tr>
<td></td>
<td>355 nm</td>
<td>532 nm</td>
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<td></td>
<td>532 nm</td>
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<td></td>
<td>532 nm NF</td>
<td>1064 nm</td>
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<tr>
<td>17b</td>
<td>0.877 (±0.046)</td>
<td>0.963 (±0.0568)</td>
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<td></td>
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<td>0.958 (±0.0506)</td>
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<tr>
<td>26a</td>
<td>0.647 (±0.0333)</td>
<td>0.809 (±0.0401)</td>
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<td>0.879 (±0.0473)</td>
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<tr>
<td>28a</td>
<td>0.706 (±0.0295)</td>
<td>0.709 (±0.0363)</td>
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<td>0.582 (±0.0318)</td>
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<tr>
<td>28b</td>
<td>0.583 (±0.0369)</td>
<td>0.774 (±0.045)</td>
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<td>0.855 (±0.0708)</td>
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<tr>
<td>all</td>
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<td>0.825 (±0.0226)</td>
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<td>0.966 (±0.118)</td>
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On average, the modeled \(\sigma_{\text{bsc}}(\lambda)\) is 32.2 (±1.9)% lower at 355 nm, 17.5 (±2.3)% at 532 nm, 3.3 (±11.8)% at 532 nm near-field channel, and 9.2 (±3.6)% lower at 1064 nm; the modeled \(\sigma_{\text{ext}}(\lambda)\) is 25.2 (±2.1)% lower at 355 nm, 13.6 (±2.9)% at 532 nm, 22.6 (±11.8)% at 532 nm near-field channel, and 28.9 (±3.9)% lower at 1064 nm. Over For all cases, the largest fraction of cases with an overlap of the uncertainty ranges of modeled and lidar-based values are observed at 532 nm for the near-field channel extinction at 355 nm. Most cases of overlap at backscatter, in particular, 61%, are observed at 532 nm and the far-field configuration of the lidar. Ferrero et al. (2019) have shown that unaccounted dust significantly impacts the modeling of \(\sigma_{\text{bsc}}(\lambda)\). Their Mie-calculations have been 72% to 39% lower than the corresponding lidar measurements without considering dust. After considering the 45% of unaccounted PM_{10} mass as dust, their modeled results agreed with the lidar measurements (37% overestimation at 355 nm, and within 7% at 532 nm and 1064 nm) and increased the intensity of the scattered light at 180° significantly. In our study, we do not consider dust or any other crustal material within the chemical composition. Hence, the missing dust and crustal material could explain the underestimation of the Mie-model. Moreover, as the refractive index correction of OPSS tends to shift the particle towards a larger diameter, at least partially, that could explain some of the underestimations, although the used size range of the skyOPC is limited between 356 and 800 nm.

Another reason could be underestimating the aerosol hygroscopicity and, hence, underestimating the aerosol particle growth resulting in a lower simulated extinction and backscatter cross-section of the aerosol particles in the ambient state. As stated by Wu et al. (2013), evaporation of NH_{4}NO_{3} within the VH-TDMA system can occur, and therefore the hygroscopicity is underestimated compared to size-segregated hygroscopicity estimates based on chemical composition measurements. Also, as Rosati et al. (2016b) have shown, the variation in temperature and RH can influence the
apportionment of ammonium nitrate, which has a $\kappa$ of 0.68 (see Appendix table 1). A lower temperature at higher altitudes results in less evaporation and a larger volume fraction of ammonium nitrate, and a larger hygroscopicity in that altitude.

Furthermore, De Leeuw and Lamberts (1986) have shown that $\sigma_{\text{ext}}(\lambda)$ is sensitive to a) the refractive index and b) the covered size range. At a size-constant imaginary part of 0.05, the variation in $\sigma_{\text{ext}}(\lambda)$ for a real part of 1.4 to 1.6 is almost one order of magnitude. At a real part of 1.56, they have shown that increasing the imaginary part from $10^{-3}$ to $10^{-1}$ decreases $\sigma_{\text{ext}}(\lambda)$ by one to two orders of magnitude. Since the BC content mainly drives the imaginary part within the aerosol, an overestimation of the BC mass would result in a larger imaginary part of the refractive index and hence to a $\sigma_{\text{abs}}(\lambda)$ which would be too small. Also, they stated, extending the covered aerosol particle diameters to more than 32 $\mu$m significantly increases extinction and backscatter. They also showed that $\sigma_{\text{ext}}(\lambda)$ is, in general, less sensitive to the imaginary part of the complex refractive index compared to $\sigma_{\text{abs}}(\lambda)$. However, the real part is essential, and the aerosol particle light extinction increases with increasing the real part. Thereby, the increase is larger the smaller the wavelength is. Hence, a) non-captured aerosol particles larger than the observed size range could lead to larger $\sigma_{\text{abs}}(\lambda)$ and $\sigma_{\text{ext}}(\lambda)$, and b) the constant complex aerosol refractive index over all wavelengths and for all particle sizes could also influence the results. However, the bulk chemical composition approach shows good agreement with the in-situ scattering measurements on the ground – at least at 450 nm wavelength. A wavelength-dependent complex refractive index of the aerosol components could improve the agreement.

Furthermore, correcting the airborne PNSD with the OPSS-based altitude correction factor $f_h$ might underestimate $dN/d\log D_p$ in higher altitudes, resulting in lower modeled optical coefficients than observed with the lidar.

Ma et al. (2012) have already shown that a mixture of fully externally and internally core-shell mixed aerosol containing light-absorbing carbon is a better representation to derive the hemispheric aerosol particle light backscattering coefficients (HBF). Also, they reported a mass fraction of fully externally mixed light-absorbing carbon of 0.51 ($\pm$0.21) in the North China Plain for July 12 to August 14, 2009. With fixed refractive indices of the aerosol components (1.8 + 0.54i for light-absorbing carbon and the less absorbing components 1.55 + 1e-7i) and constant volume fractions for the whole observed particle size range, they have shown that the core-shell approach overestimates the measured HBF at 450 nm by around 10% and underestimates the measured HBF by about 5% at 700 nm wavelength. Although HBF is not $\sigma_{\text{ext}}(\lambda)$, these results show that the constant mixing approach in this study might lead to biases in the modeled aerosol optical coefficients.

In addition, the integration approach in combination with the non-observed size range from 230–$\lambda_{\text{fm}}$ nm, the last channel of the MPSS on ACTOS, to 356–$\lambda_{\text{fm}}$ nm optical diameter, the first channel of the skyOPC, could cause an underestimation of the optical parameters when the peak of the optical parameter size distribution, $\sigma_{\text{model}}(\lambda)/d\log D_p$, is in between the mentioned diameters. Based on the ground-based observations, we simulated a similar case. We removed some bins in the size range of 226 to 356 $\lambda_{\text{fm}}$ nm and did Mie-model calculations for the winter period. There is no significant difference is observed between both approaches for aerosol particle light extinction coefficient at all three wavelengths and the aerosol particle light backscatter coefficient at 1064–$\lambda_{\text{fm}}$ nm (within 2.5%). However, with the gap, at 355 and 532–$\lambda_{\text{fm}}$ nm, the aerosol particle light backscatter coefficient is calculated around 8% larger and might indicate that the airborne-based calculated aerosol particle light backscatter coefficients at these wavelengths are too large.

To summarize, biased hygroscopicity, the refractive index, assumed mixing approach, the eBC volume, and the limited observed size range can lead to the differences of both approaches. However, considering the maximum uncertainty of the lidar of 23% at 355–$\lambda_{\text{fm}}$, and 352–$\lambda_{\text{fm}}$, and 35% at 1064–$\lambda_{\text{fm}}$, on average, the modeled extinction is within the uncertainty of the lidar for 532 and 1064–$\lambda_{\text{fm}}$, for 355–$\lambda_{\text{fm}}$, the model is slightly smaller. Also, the modeled values are subject to uncertainty as well. On average, at 355 nm, the three times standard deviation of mean is 20.1% of the mean modeled extinction coefficient, at 352–$\lambda_{\text{fm}}$ 21.4%, and at 1064–$\lambda_{\text{fm}}$ 21%. In the aerosol particle light backscatter coefficient at 355–$\lambda_{\text{fm}}$, we have a 26.8% uncertainty, at 532–$\lambda_{\text{fm}}$, a 29.1% uncertainty, and for 1064–$\lambda_{\text{fm}}$, we have 24.9%, respectively.
4.1.2 RH dependence of the LR(\lambda)

The LR(\lambda) dependence on the RH is examined based on the four measurement flights during the summer campaign, the LR(\lambda) dependence on the RH is examined. The winter cases are excluded in this analysis because the underlying measurements are based on airborne in-situ measurements, different in a) the underlying hygroscopicity estimates, and b) the measured aerosol particle number size distribution.

Figure 3e) and Figure 5e) displays the Mie-based ambient state LR(\lambda) at the given wavelengths (dots with error bars) and the reference LR(\lambda) of Mattis et al. (2004), represented by the color-coded vertical lines with the given uncertainty range marked as dashed lines around these. The mean LR(\lambda) of flight 26a calculated with the Mie-model in the ambient state was 64.1 (±14.1) sr at 355 nm, 61.7 (±10.9) sr, and 36.2 (±8.0) sr at 1064 nm, which is 10.5% larger, 16.4% larger and 19.6% lower than the corresponding LR(\lambda) reported by Mattis et al. (2004) but in the given range. The vertical structure of LR_{Mie}(\lambda) follows the trend of the RH. Aerosol changes with height probably cause some changes in the LR too. However, a comparison of the LR profile in the dry state with the LR profile in the ambient state shows that the LR increases more with increasing RH than it does with a change in the aerosol itself (see Figure S7).

Previous studies reported a significant influence of the RH on the aerosol optical properties often expressed with an enhancement factor. Zieger et al. (2013), e.g., presented the aerosol particle light scattering enhancement for different European sites, Skupin et al. (2016) published a four-year-long study on the impact of the RH on the aerosol particle light extinction for Central European aerosol, and Haarig et al. (2017) showed the backscatter and extinction enhancement for marine aerosol. Ackermann (1998) investigated the dependence of the LR(\lambda) on RH for different aerosol types with a numerical simulation but has not presented an LR(\lambda) enhancement factor, and the underlying PNSD were solely based on climatology data and not based on actual measurements like within this study. Following the approach of Hänel (1980), the RH- and wavelength-dependent enhancement factor of the LR(\lambda), f_{LR}(RH, \lambda), is expressed with:

\[ f_{LR}(RH, \lambda) = f_{LR,dry} \times (1 - RH)^{-\gamma(\lambda)}, \]  

(9)

where \( f_{LR,dry} \) is equal to \( f_{LR}(RH = 0, \lambda) \), the LR(\lambda) enhancement factor at 0% RH and is forced through 1. \( \gamma(\lambda) \) denotes the wavelength-dependent fitting exponent.

![Figure 6: Mie-based RH-dependent LR(\lambda) enhancement factor \( f_{LR}(RH, \lambda) \) calculated with the airborne in-situ PNSD derived with ACTOS plotted for the three lidar wavelengths (dashed line). Symbols represent the investigated flights, colors the considered wavelength, and the shaded area around the standard error of the fit. In comparison, the estimates for the continental aerosol of Ackermann (1998) and Zhao et al. (2017) for North China Plain (NCP) aerosol translated into the lidar ratio enhancement factor are displayed as solid and dotted-dashed.](image-url)
The estimated \( f_{\lambda}(RH, \lambda) \) for the four investigated measurement flights (17b, 26a, 28a, 28b) is displayed in Figure 6, and Table 3 shows the corresponding fitting parameters with the standard errors of the fit. Note that the "dried state" \( LR(\lambda) \) is calculated for aerosol with some residue water because the sampled aerosol was never completely dry. The \( RH \) measured after the dryer was at most 48.3% on flight 20150617b and reached a maximum of 35.8% on the other days. In the Mie-model, the aerosol particles in the dried state are treated as completely dry. However, the growth in the size of the aerosol particles at this \( RH \) level is small (around 10%), and the bias on the \( LR(\lambda) \) enhancement estimates should be negligibly small. In the 48%-\( RH \) case, the difference in \( RH \) results in a deviation of 3.2% in dry state diameter. The optical deviation translates into a deviation of 6.5% in this regard. Zieger et al. (2013) have shown the scattering enhancement due to hygroscopic growth for different European sites. In all but marine air-mass-influenced cases, no hysteresis effect has been observed at Melpitz, and they stated that these might occur due to high fractions of low hygroscopic organic material. Hence, the effects of the aerosol efflorescence can be neglected since the volume fraction of the organic material within the aerosol population was relatively large during the summer campaign period. A mean volume fraction of 0.58 (median=0.59, IQR from 0.47 to 0.69) was estimated based on the chemical composition and assumed material densities within the period between June 1 and June 30, 2015.

The \( LR(\lambda) \) enhancement factor shows a clear dependence on the ambient \( RH \) with an expected enhancement factor of around one at low \( RH \). The observed trend follows the results reported by Ackermann (1998) (solid lines in Figure 6) for continental aerosol but with larger quantities, especially at larger \( RH \). The aerosol sampled in this study results in an \( LR(\lambda) \) enhancement factor of up to 3.7 (2.4, 2.2) at 532 nm (1064 nm, 355 nm) at 93.7% \( RH \). The power series representation of Ackermann (1998), however, resulted in an \( f_{\lambda}(355 nm) \) of 1.6, \( f_{\lambda}(532 nm) \) of 1.73, and \( f_{\lambda}(1064 nm) \) of 1.71 at 99% \( RH \). With the approach of Following Zhao et al. (2017), we get an \( f_{\lambda}(532 nm) \) of 2.4 at 99% \( RH \).

\( f_{\lambda}(RH, 355 nm) \) and \( f_{\lambda}(RH, 1064 nm) \) behave similarly. The calculated \( LR \) enhancements follow the overall trend but the data points of flight 20150617b, indicated filled circles, show a positive offset to the fit-function. A predominant aerosol type on that day, which might be different from the other shown days, is assumed to be the reason for a different \( LR(\lambda) \) enhancement factor behavior.

\( \gamma(352 nm) \) is significantly larger than \( \gamma(355 nm) \) and \( \gamma(1064 nm) \), respectively. The data points sampled under ambient conditions of 60% to 80% \( RH \) are overrepresented in the fit. Furthermore, Mie calculations (settings: \( f_{\lambda, BC} = 0.03 \), \( \kappa = 0.3 \), \( T = 20^\circ C \), core-shell mixture), conducted based on the basis of the PNSD measured at Melpitz Observatory during June 26, 2015, show that in this \( RH \) range, the \( LR(532 nm) \) gets more enhanced than the \( LR(1064 nm) \) or \( LR(355 nm) \) and might be a typical feature of the predominant aerosol or results from the model constraints. Similarly, in the results of Ackermann (1998), the \( LR-TO-RH \) dependence for continental aerosol was not following the exponential curve perfectly. Also, \( LR(\lambda) \) for marine aerosol is more enhanced at this \( RH \) range than Ackermann (1998) reported. Therefore, the fit for 532 nm at this \( RH \) range might be over-weighted, which might lead to an overestimation of \( \gamma(532 nm) \). Also, at 355 nm Ackermann (1998) has shown a decreasing \( LR(355 nm) \) above 90% \( RH \), which we could not observe in this study solely based on the small number of cases and the observed \( RH \) range. The observations follow a trend similar to the reported parameterization of Zhao et al. (2017) but with a different magnitude. Although the \( LR-Enhancement \) was derived similarly, differences can occur because they normalized their observations to \( RH_0 = 40 \%. Also, they used data based on PNSD recorded in the North China Plain (NCP) and a different approach of the aerosol mixing state utilizing a mixture of internally and externally mixed aerosol with a fraction of 51% externally mixed BC.

The results are opposed to the findings of Takamura and Sasano (1987), showing a negative correlation of \( LR(\lambda) \) and \( RH \) at 355 nm and a slight dependence of the \( LR(\lambda) \) on the \( RH \) at larger wavelengths. The opposing finding might be caused by their different analysis approach since Takamura and Sasano (1987) used PNSDs inferred from angular light
scattering measurements of a polar Nephelometer, including more uncertainty-increasing processing steps. Also, their Mie calculations are based on PNSD estimates at different RH levels with assumed homogeneously mixed aerosol particles with an effective complex refractive index at the ambient state. Contrary, our investigations are based on hygroscopic growth simulations and a core-shell mixing approach. Furthermore, the limited covered size range of the aerosol particle hygroscopicity might introduce some bias in our results since the $\kappa(D_p)$ estimates above 265 nm are maybe too large or too small, which would have an impact on the Mie-model results, especially on $\sigma_{occ}$, which is more sensitive to the complex aerosol refractive index than $\sigma_{ext}(\lambda)$.

Nevertheless, the presented results provide reasonable first estimates of the RH-induced $LR(\lambda)$ enhancement factor based on in-situ measured PNSD for the observed RH range for the aerosol conditions at Melpitz. Although Ackermann (1998) already has shown the $LR$-to-RH dependence for three different aerosol types (marine, continental, desert dust), future research should collect more data to provide $f_{LR}(RH, \lambda)$ with the corresponding $\gamma(\lambda)$ estimates, including separation into different aerosol types.

Future research should investigate the impact of the mixing-state and hygroscopic growth factor representation within the Mie-model on the lidar ratio enhancement factor. Also, one should investigate the impact of RH-dependent $LR$ within the Fernald-Klett retrieval.

Table 3: Overview of the fitting parameter of the $LR(\lambda)$ enhancement factor. The standard error of fit is marked with brackets.

<table>
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<tr>
<th>$\lambda$ [nm]</th>
<th>$\gamma(\lambda)$</th>
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<tr>
<td>355</td>
<td>0.29 (±0.01)</td>
</tr>
<tr>
<td>532</td>
<td>0.48 (±0.01)</td>
</tr>
<tr>
<td>1064</td>
<td>0.31 (±0.01)</td>
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Data representing another season with different atmospheric conditions was collected and is evaluated for the winter of 2017. Exemplarily, the data of two measurement days within winter 2017 is discussed in the following.

4.2.1 Optical closure of Mie-model and lidar during MelCol-winter

Aerosol Particle Light Absorption

During winter, two balloon launches at different levels of pollution were conducted. This part focuses on the evaluation of the model with airborne in-situ measurements in a dried state. The corresponding atmospheric conditions are shown. The findings provide insights to, e.g., evaluate $\sigma_{\text{abs}}(\lambda)$ derived from lidar with similar setups.

Figure 7: Panel a): 20-m layer averages of the ambient and post dryer RH, and T (a). Panel b): the aerosol particle number concentration measured by the OPSS ($N_{\text{OPSS}}$) and the ratio of the standard deviation of the mean and the mean itself (solid black and red dashed line). Shaded areas around $T$, RH, and $N_{\text{OPSS}}$ represent the standard deviation of the mean in the layer. Panel c), d), and f) display the aerosol particle light backscattering ($\sigma_{\text{bsc}}(\lambda)$), extinction ($\sigma_{\text{ext}}(\lambda)$), and absorption coefficients ($\sigma_{\text{abs}}(\lambda)$). Mean values are calculated for the period 11:20-11:58 UTC on February 9, 2017. Shaded areas in the panel f) represent the standard deviation of the mean. Shaded areas around the lidar-based coefficients indicate the assumed 10% uncertainty of $\sigma_{\text{bsc}}(\lambda)$ and the range of possible $\sigma_{\text{ext}}(\lambda)$ following the given range of Mattis et al. (2004). Panel e) displays the $LR(\lambda)$ derived with the Mie-model (dots with a range bar from min to max) and the reference of Mattis et al. (2004) with its respective uncertainty range displayed with dashed lines. Uncertainty bars around the Mie-based coefficients cover the range from minus three to plus three time standard deviation Uncertainty around the $LR(\lambda)$ is minimum and maximum $LR(\lambda)$ resulting from calculations with the threefold standard deviation from the $\sigma_{\text{bsc}}(\lambda)$ and $\sigma_{\text{ext}}(\lambda)$. 
Figure 7a) displays the vertical distribution of 20-m averages of the ambient RH (blue line), post-dryer RH (light blue line), and $T$ (red line) measured on February 9, 2017, between 11:20 and 11:58 UTC (a), the same time window of the averaged lidar profiles. A very sharp inversion characterizes this measurement day that the balloon could not ascend through. Below, the atmosphere was in a well-mixed state, which is indicated by a relatively constant potential temperature of around 270 K and a stable $N_{\text{OPSS}}$ (Figure 7b)). $N_{\text{OPSS}}$ varies between 180 cm$^{-3}$ to 220 cm$^{-3}$ within the lowermost 300 m above ground, followed by a steady decrease to around 160 cm towards 450 m. Figure 7c) and Figure 7d) display the modeled and lidar-based $\sigma_{\text{bsc}}(\lambda)$ and $\sigma_{\text{ext}}(\lambda)$.

Figure 8 displays the vertically resolved atmospheric parameters shown in Figure 7 but for March 9, 2020, between 13:30 and 14:09 UTC. Compared to February 9, March 9 is characterized by a much lower atmospheric aerosol load within the PBL indicated by an almost three times lower $N_{\text{OPSS}}$. The measurement flight during this day could profile the atmosphere up to an altitude of around 1080 m, and hence the entire planetary boundary layer was covered. The top of the PBL reached an altitude of around 750 m, indicated by the temperature inversion at this height (see Figure 8a)).

<table>
<thead>
<tr>
<th>RH [%]</th>
<th>$N_{\text{OPSS}}$ [cm$^{-3}$]</th>
<th>$\sigma_{\text{bsc}}$ [Mm$^{-1}$ sr$^{-1}$]</th>
<th>$\sigma_{\text{ext}}$ [Mm$^{-1}$]</th>
<th>$\sigma_{\text{abs}}$ [Mm$^{-1}$]</th>
<th>LR [sr]</th>
</tr>
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<tbody>
<tr>
<td>0.0</td>
<td>20</td>
<td>0.4</td>
<td>0.8</td>
<td>1.2</td>
<td>50.0</td>
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<tr>
<td>0.1</td>
<td>40</td>
<td>0.8</td>
<td>1.0</td>
<td>1.5</td>
<td>100.0</td>
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<tr>
<td>0.2</td>
<td>60</td>
<td>1.5</td>
<td>2.0</td>
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<td>150.0</td>
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<tr>
<th>RH [%]</th>
<th>$N_{\text{OPSS}}$ [cm$^{-3}$]</th>
<th>$\sigma_{\text{bsc}}$ [Mm$^{-1}$ sr$^{-1}$]</th>
<th>$\sigma_{\text{ext}}$ [Mm$^{-1}$]</th>
<th>$\sigma_{\text{abs}}$ [Mm$^{-1}$]</th>
<th>LR [sr]</th>
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<tr>
<td>0.0</td>
<td>20</td>
<td>0.4</td>
<td>0.8</td>
<td>1.2</td>
<td>50.0</td>
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<tr>
<td>0.1</td>
<td>40</td>
<td>0.8</td>
<td>0.8</td>
<td>1.0</td>
<td>100.0</td>
</tr>
<tr>
<td>0.2</td>
<td>60</td>
<td>1.5</td>
<td>2.0</td>
<td>2.5</td>
<td>150.0</td>
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Figure 8: Corresponding to Figure 7 for the period 13:30-14:09 UTC on March 9.
The profiles of the Mie-modeled and measured $\sigma_{abs}(\lambda)$ in the dried state conducted on February 9 and March 9, 2017, are shown in panel f of Figure 7 and Figure 8. The linear fit and the corresponding fittings are displayed in Figure 9c. Figure 10c), fitting parameters are given in Table 4.

On February 9 between 11:00 and 12:00 UTC and March 9 between 13:00 and 15:00 UTC, the MAAP on the ground measured a mean $\sigma_{abs}(637 \text{ nm})$ of 21.2 Mm$^{-1}$ and 1.46 Mm$^{-1}$, respectively (Figure 7f and Figure 8f); black dot) which was 7.1% smaller and 12.9% larger than the average $\sigma_{abs}(624 \text{ nm})$ measured by the STAP within the lowermost 200 m above ground (22.8 Mm$^{-1}$, 1.3 Mm$^{-1}$).

The spectral behavior of the $\sigma_{abs}(\lambda)$ can be described with the absorption Ångström exponent AAE:

$$AAE(\lambda_1, \lambda_2) = -\frac{\ln(\frac{\sigma_{abs}(\lambda_1)}{\sigma_{abs}(\lambda_2)})}{\ln(\frac{\lambda_1}{\lambda_2})}$$

The $AAE_{STAP}(624 \text{ nm}, 450 \text{ nm})$ was 1.64 ± 0.02 on average within the lowermost 700 m on February 9 and is slightly larger than the daily mean $AAE_{AE33}(660,450 \text{ nm})$ of 1.49 (±0.08 standard deviation of the mean) derived from parallel conducted, spectrally resolved, $\sigma_{abs}(\lambda)$ measurements at Melpitz (model AE33; Magee Scientific, Berkeley, CA, USA). For March 9, 2017, we could not compare the AAE since the AE33 stopped its measurements on February 22, 2017. The comparison of the $AAE_{STAP}(624 \text{ nm}, 450 \text{ nm})$ with $AAE_{AE33}(660,450 \text{ nm})$ of and of $\sigma_{abs,STAP}(624 \text{ nm})$ with the MAAP indicate a decent representation of the $\sigma_{abs}(\lambda)$ derived by the STAP. Comparing the measurements of the MAAP and AE33 in the period between February 4 and February 22, 2017, reveal a dependence of $\sigma_{abs,AE33}(635 \text{ nm}) = 1.27 \sigma_{abs,MAAP}(637 \text{ nm})$.

As shown in Figure S4b), in the winter period, the Mie-model simulates on average around 8% larger $\sigma_{abs}(637 \text{ nm})$ than measured by the MAAP. For the airborne measurements, the assumptions within the Mie-model to derive $\sigma_{abs}(\lambda)$ in the dried state lead to a 26.8 (±1.5%), 20.2 (±1.7%) and 7.6 (±1.9%) underestimation at 450 nm, 525 nm, and 624 nm respectively on February 9 (see Figure 9c and 7f) and indicates a spectral dependence. On March 9, 2017, a 88–to 92% overestimation of the airborne measured $\sigma_{abs}(\lambda)$ was observed (see Figure 10c Figure 8f).

At the ground, the Mie-simulation based on the aerosol microphysical measurements calculates a $\sigma_{abs,Mie}(630 \text{ nm})$ on February 9 (March 9), which is 12.8% (103%) larger than measured by the MAAP at 637 nm. The assumptions within the model, which lead to the overestimation of the ground-based $\sigma_{abs}(\lambda)$ estimates, also propagate into the airborne modeling. An overestimation of 103% indicates aerosol conditions during March 9, which the model cannot capture. For instance, the estimated $MAC(637 \text{ nm})$, which indirectly leads to the eBC volume fraction used within the model, is maybe too small due to probably too small $n_{EBC}$ measurements. However, we consider EC as eBC, which can also introduce some bias in the $MAC(637 \text{ nm})$ estimate. In particular, on February 9, a $MAC(637 \text{ nm})$ of 10.9 m$^2$ g$^{-1}$ is derived; on March 9, a small $MAC(637 \text{ nm})$ of 6.6 m$^2$ g$^{-1}$. On March 10, the $MAC(637-\text{nm})$ estimate is almost as double as on March 9 and indicates a transition to another aerosol mass during that day (see AppendixFigure 1).

Zanatta et al. (2018) and Yuan et al. (2020), e.g., have shown that the mixing of BC is an important parameter influencing the value of the $MAC(\lambda)$ directly. They reported $MAC(\lambda)$ for pure externally mixed BC aerosol particles. For Melpitz, during the winter period of this study and applying an AAE of 1, the $MAC(870 \text{ nm})$ of 5.8 m$^2$ g$^{-1}$ reported by Yuan et al. (2020) translates into 7.9 m$^2$ g$^{-1}$ at 637 nm. With an AAE of 1, modeled $MAC(550 \text{ nm})$ for pure BC particles reported by Zanatta et al. (2018) translates into very small 3.5 m$^2$ g$^{-1}$ to 5.7 m$^2$ g$^{-1}$ at 637 nm depending on the particle size. Nevertheless, the $MAC(637 \text{ nm})$ on February 9 coincide with the estimates of Yuan et al. (2020). Therefore, on February 9, 2017, $\sigma_{abs,Mie}(624 \text{ nm})$ and $\sigma_{abs,STAP}(624 \text{ nm})$ agree reasonably well within 7.6% since a $MAC$ estimated at 637 nm represents 624 nm reasonably well.

The core-shell mixing representation within the model does not apply to the aerosol on March 9 because a $MAC(637 \text{ nm})$ is in the range of the estimates of Yuan et al. (2020) and Zanatta et al. (2018) indicate an external mixture

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rather than an internal core-shell mixture. The larger MAC(637 nm) on February 9, on the other hand suggests a good representation of the mixing state of the prevalent aerosol.

The AAE can explain the spectral dependence for both days. Within the lowermost 700 m above ground, a median $AAE_{\text{Mie}}(624 \text{ nm}, 450 \text{ nm})$ of 0.94 is found; on February 9 and 1.05 on March 9, respectively. The corresponding median $AAE_{\text{STAP}}(624 \text{ nm}, 450 \text{ nm})$ of 1.65 on February 9 and 1.08 on March 9 clearly indicated a significant amount of BrC aerosol particles, according to Zhang et al. (2020). The AAE of BC is near unity at visible and near-infrared wavelengths (e.g., Kirchstetter and Thatcher, 2012) and can go as high as 1.6 when BC is coated with a transparent material (Cappa and Lack, 2010). The values of $AAE_{\text{Mie}}(624 \text{ nm}, 450 \text{ nm})$ of around 1 agree with these findings. $AAE_{\text{STAP}}$ on both days and $AAE_{\text{AE33}}$ on February 9 indicates the presence of BrC. BrC contributes less to the absorption at near-infrared wavelengths and shows an increasing contribution to the aerosol particle light absorption towards UV wavelengths (e.g., Kim et al., 2020; Sun et al., 2007). The daily mean volume fraction of organic material detected by the Q-ACSM on February 9 is 45.1%, peaking at around 50% during the flight time. On March 9, during flight time, a volume fraction of 34.4% is found with values as small as 17% in the morning hours. The small volume fraction (March 9) has less of an impact on the Mie-model and leads to the small spectral dependence of the overestimation. The larger volume fraction on February 9, on the other hand, indicates a large content of BrC and hence a larger spectral dependence of the deviation.

To summarize, for March 9, it is more likely that a combination of the aerosol mixing representation within the model and the possibly too small MAC(637 nm) led to the overestimation by the model rather than the missing BrC. An overlap over measurement and model uncertainties is achieved in a maximum of 10 % of the cases. For February 9, the agreement within 8% at 624 nm indicates that the MAC(637 nm) represents the prevalent aerosol within a satisfying range; the missing BrC content within the model resulted in a larger spread in the underestimated. The mixing approach within the model seemed to have better represented the aerosol present on February 9. The fraction of overlapping uncertainties is 0.95 for 624 nm, 0.54 for 525 nm, and 0.14 for 450 nm.

In conclusion, when used for, e.g., the validation of lidar-based aerosol particle light absorption estimates, one should a) consider the mixing state of the aerosol or include this in the uncertainty analysis, and b) should include BrC with a spectral resolved MAC(λ).

Aerosol particle light backscattering and extinction coefficient

The comparison of the lidar estimates of $\sigma_{\text{bsc}}(\lambda)$ and $\sigma_{\text{ext}}(\lambda)$ with the modeled values is conducted and is shown below.

![Figure 9: Optical coefficients derived with the Mie-model (ambient for extinction a) and backscattering b); dry for absorption c) based on the data from February 9 plotted against the coefficients derived with lidar and STAP, respectively. The black line indicates the 1:1 line, and colors represent the respective wavelengths. Horizontal error bars indicate the uncertainty range of the lidar estimates for backscattering and extinction; for measured absorption, they represent the standard deviation of the mean. Vertical error bars indicate three times the standard deviation of the mean in the case of the Mie-model.](image-url)
The \( \sigma_{\text{bsc}}(\lambda) \) and \( \sigma_{\text{ext}}(\lambda) \) are displayed in panels c) and d) of Figure 7 and Figure 8 for February 9, and March 9, 2017. Dots represent the Mie-modeled coefficients, with error bars are the three-times standard deviation of the mean of the Mie-calculation, lines, Lines in corresponding colors represent the lidar estimates. Figure 9a) and 9b), 10a) and 10b) display the correlation of the modeled and measured \( \sigma_{\text{bsc}}(\lambda) \) and \( \sigma_{\text{ext}}(\lambda) \) shown in Figure 7c) and 7d) and Figure 8c) and 8d), correspondingly. The linear fit estimates, the corresponding standard error of fit, and correlation coefficients are given in Table 4. Note that the shown fit of Figure 9 (Figure 10) is forced through the coordinate origin, which artificially enhances the coefficient of determination \( R^2 \). The fits are forced through zero since a) the range of the values of the observed optical coefficients was small and b) because both model and measurements rely on the present aerosol, and if no aerosol is prevalent both, model and observation should be zero. Therefore, results of \( R^2 \) should be considered with care.

For February 9, considered considering all wavelengths and field-of-view configurations of the lidar, the model results agree with the measured \( \sigma_{\text{bsc}}(\lambda) \) within 21.2% at 1064 nm to 37.8% at 532 nm and 372 nm. At 1064 nm, the modeled aerosol particle light extinction coefficients are up to 30.5 (±1.8)% lower than those derived based on the lidar measurements with a mean underestimation of 18.3 (±0.8)%

An overlap of the uncertainties is achieved at 355 nm in 25% of the cases and 37% considering the near-field channel. At 532 nm, no overlap is achieved. Due to the small number of cases, the 100% overlap at 1064 has to be considered with care. However, the modeled extinction agrees with the lidar-based estimates in 100% of the cases considering overlapping uncertainty ranges but is, on average, 18 to 30% smaller.

We only can speculate about the underlying reasons. First, correcting the lower aerosol particles with the altitude correction factor might underestimate the aerosol particle number concentration of the aerosol particles up to 300 nm in diameter. Particles with about the same size as the incoming radiation wavelength are most efficient in scattering. In the study of Virkkula et al. (2011), aerosol particles in the range of 100- to 1000 nm contribute most to the aerosol particle light scattering at 550 nm. Therefore, at 355 nm, an artificial under-sampling of the aerosol particles up to 300 nm in diameter induced by the altitude correction factor could lead to underestimating the modeled aerosol particle light scattering and thus extinction. Also, the Mie-model and the refractive index correction of the OPSS did not consider non-spherical particles, leading to a bias induced by the underlying PNSD. Moreover, some deviations can be explained by the wavelength-independent complex aerosol refractive index of the aerosol and probably, at this time present by the presence of non-captured, huge particles, as discussed already in the summer part, could explain some of the deviations. However, all modeled \( \sigma_{\text{ext}}(\lambda) \) match the range of aerosol particle light extinction coefficients calculated with the minimum and maximum \( LR(\lambda) \) provided by Mattis et al. (2004).

Figure 7e) shows the \( LR(\lambda) \) with the range bars indicating the minimum and maximum value of the ambient state Mie-modeling result. A clear positive connection between the \( LR(\lambda) \) and \( RH \) is significant in the summer cases. Overall, the average \( LR(\lambda) \) in the shown profile is 63.8 sr at 355 nm, 69.0 sr at 532 nm, and 37.6 sr at 1064 nm, which is in the range of the \( LR(\lambda) \) reported by Mattis et al. (2004) except for the \( LR(532 \text{ nm}) \) at 532 nm which was 7.8% larger than the maximum reported \( LR(532 \text{ nm}) \). However, these \( LR(\lambda) \) seem reasonable since Catrall et al. (2005) reported an \( LR(550 \text{ nm}) \) of around 70 sr for aerosol classified as urban/industrial aerosol, and Omar et al. (2009) estimated an \( LR(532 \text{ nm}) \) of 70 sr for aerosol classified as polluted continental and smoke. Considering the origin of the aerosol (industrial area in south Poland), these results appear conclusive.

Considering March 9, 2017, comparing the Mie-model results with the lidar-based estimates results in an underestimation at 1064 nm in backscattering by about 14% (0.86 ± 0.02). Thereby an overlap of the uncertainties ranges is achieved in 69% of the cases. In extinction, the underestimation is as large as 36% (0.64 ± 0.02), respectively, with an overlap in 69% of 50 cases. In the case of backscattering, the underestimation increases with a decrease in wavelength (overlap of the uncertainty ranges in 12.5% of the cases at 355 nm) and indicates that a wavelength-dependent complex
refractive index is needed to precisely model $\sigma_{\text{bsc}}(\lambda)$. Overall the conditions have been relatively clean and were similar to the shown cases of the summer campaign with roughly the same amount of aerosol particle light absorption. The summer results show an underestimation of the lidar estimates by the Mie-model with similar slopes of the linear fit. The assumption within the Mie-model in the dried state results in good agreement with in-situ measurements of $\sigma_{\text{ext}}(\lambda)$ and $\sigma_{\text{abs}}(\lambda)$, overestimating the in-situ measured $\sigma_{\text{abs}}(\lambda)$. However, the hygroscopic growth, the refractive index of the aerosol particles estimated by their chemical composition, or the refractive index for the correction of the OPSS, might be inaccurate. However, using the ZSR-based real part of the complex refractive index of 1.56 during both days cannot explain the lidar and Mie-model differences. Applying this real part to the data of February 9, the slope of the correlation changes within absolute values of -0.055 to 0.045 compared to a real part of 1.54.

Nevertheless, most of the modeled $\sigma_{\text{ext}}(\lambda)$ match with the lidar estimates within the range of the $LR(\lambda)$ estimates of Mattis et al. (2004). Except above 450 m altitude and 355 nm wavelength, the modeled $\sigma_{\text{ext}}(\lambda)$ is significantly smaller than the lidar estimates, indicating an underestimation of the aerosol particle number concentration at this altitude and size range caused probably by an inaccurate altitude correction factor of the PNSD.

**Figure 10: Corresponding to Figure 9 for the date of March 9, 2017.**

$LR_{\text{Mie}}(\lambda)$ estimates are shown in Figure 8e). Within the planetary boundary layer, below an altitude of 600 m, where the ambient RH is stable, the $LR_{\text{Mie}}(\lambda)$ agrees with the estimates of Mattis et al. (2004) estimates. At 355 nm, a mean $LR_{\text{Mie}}(355 \text{ nm})$ of 64.2 sr, at 532 nm an $LR_{\text{Mie}}(532 \text{ nm})$ of 65.7 sr, and at 1064 nm an $LR_{\text{Mie}}(1064 \text{ nm})$ of 34.3 sr was calculated, indicating that the aerosol observed here was of type urban haze. Like in the profile of February 9, 2017, the vertical distribution of the $LR_{\text{Mie}}(\lambda)$ follows the trend of the ambient RH. The uncertainty of the $LR_{\text{Mie}}(\lambda)$ estimates increases with an increasing standard deviation of the ambient RH.

**Table 4: Fitting estimates with its standard error and coefficients of determination ($R^2$) of the linear fits shown in Figure 9 and Figure 10.** Abbreviation NF indicates the near-field channel of the lidar.

<table>
<thead>
<tr>
<th>day</th>
<th>$\lambda$ [nm]</th>
<th>$\sigma_{\text{bsc}}$</th>
<th>$\sigma_{\text{ext}}$</th>
<th>$\sigma_{\text{abs}}$</th>
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</thead>
<tbody>
<tr>
<td>2017-02-09</td>
<td>355</td>
<td>0.69 ± 0.02</td>
<td>1.00</td>
<td>0.82 ± 0.02</td>
</tr>
<tr>
<td></td>
<td>532</td>
<td>0.74 ± 0.02</td>
<td>0.99</td>
<td>0.81 ± 0.01</td>
</tr>
<tr>
<td></td>
<td>1064</td>
<td>0.62 ± 0.01</td>
<td>1.00</td>
<td>0.80 ± 0.02</td>
</tr>
<tr>
<td></td>
<td>532 NF</td>
<td>0.65 ± 0.01</td>
<td>0.99</td>
<td>0.83 ± 0.01</td>
</tr>
<tr>
<td></td>
<td>1064</td>
<td>0.79 ± 0.01</td>
<td>1.00</td>
<td>0.70 ± 0.02</td>
</tr>
<tr>
<td></td>
<td>450</td>
<td>-</td>
<td>-</td>
<td>-</td>
</tr>
<tr>
<td></td>
<td>525</td>
<td>-</td>
<td>-</td>
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<tr>
<td></td>
<td>450 NF</td>
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</tr>
<tr>
<td></td>
<td>569</td>
<td>-</td>
<td>-</td>
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<tr>
<th></th>
<th>$\lambda$ [nm]</th>
<th>$\sigma_{\text{bsc}}$</th>
<th>$\sigma_{\text{ext}}$</th>
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<td></td>
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<td>1.00</td>
<td>0.80 ± 0.02</td>
</tr>
<tr>
<td></td>
<td>532 NF</td>
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<td>0.99</td>
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<td>0.70 ± 0.02</td>
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<td>450</td>
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<td></td>
<td>450 NF</td>
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<tr>
<td></td>
<td>569</td>
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</tbody>
</table>
To summarize, the Mie-model reproduces $\sigma_{\text{ext}}(\lambda)$ at ambient state closer to the lidar estimates at the more polluted case, whereas in the clean case, the underestimation is larger. In the case of $\sigma_{\text{ext}}(\lambda)$, no spectral trend is observed in terms of agreement indicating a bias induced by the PNSD rather than by the complex aerosol refractive index. At 1064 nm, also, the Mie-model results are closest to the measured $\sigma_{\text{ext}}(\lambda)$. That might hint that utilizing an altitude correction factor for the ground in-situ PNSD measurements cannot reproduce the PNSD aloft of Melpitz, at least in the lower size ranges. Equivalent to the summer cases, the findings of De Leeuw and Lamberts (1986) and Ferrero et al. (2019) may explain the observed results. However, modeling and lidar estimates underlay uncertainties so that the modeled results could be too small, but also the lidar estimates could be too large, especially in the extinction where the $LR(\lambda)$ is subject to an extensive uncertainty range.

The underlying reasons are speculative, and many parameters within the model can be varied. However, for $\sigma_{\text{bsc}}(\lambda)$ and $\sigma_{\text{ext}}(\lambda)$, we do not suspect that the missing BrC within the model would result in significantly different results. Nevertheless, considering the limitations of the measurements setup, e.g., the limited covered size range and no vertical resolved chemical composition measurements, the results are promising.

### 5 Summary and Conclusion

This study presents the comparison of lidar estimates of $\sigma_{\text{bsc}}(\lambda)$ and $\sigma_{\text{ext}}(\lambda)$ with airborne in-situ measurement-based modeled ones and examines the effect of the $RH$ to the aerosol particle light extinction-to-backscatter ratio. Also, it evaluates modeled $\sigma_{\text{bsc}}(\lambda)$ with measured airborne ones in a dried state to determine whether the presented model can be utilized to evaluate lidar-based aerosol particle light absorption estimates. For this purpose, the results of two field campaigns near Melpitz conducted in the summer of 2015 and February/March 2017, covering different states of aerosol load and atmospheric conditions, are utilized. Two different airborne systems were deployed in the two campaigns to carry out in-situ aerosol measurements complemented by a set of state-of-the-art ground-based in-situ instrumentation and a polarization Raman-lidar system was directly measuring the aerosol particle light backscattering coefficient at three wavelengths. In this study, a height-constant $LR(\lambda)$ is utilized to derive aerosol particle light extinction profiles from aerosol particle light backscattering profiles derived by the lidar system.

The in-situ measurements are used to calculate aerosol optical properties using Mie-theory. A core-shell mixture of the aerosol particles is assumed. The chemical composition of the aerosol particles measured on the ground is set constant for all considered particle sizes and is assumed to be representative for all altitudes above ground. The model validation under dry conditions confirms the underlying assumptions with modeled values by matching the in-situ measurements within 18%. An additional module of the Mie-model calculates the aerosol optical properties in the ambient state utilizing a hygroscopic growth simulation based on the Kappa-Köhler theory. In both campaigns, the airborne-based PNSD is extended with height-extrapolated ground-based in-situ PNSD measurements.
Ambient state Mie-model results and lidar measurements are compared with each other. Average over the considered cases, the Mie-model calculates aerosol optical coefficients up to 32% lower than the lidar for the summer. The best agreement was found for 532 nm with 3.4 to 32.6%. The model results have been up to 42% lower for the winter. The best agreement within 14% at 1064 nm was found for a relatively polluted case, which is falls within the reported range of uncertainty—range.

In both campaigns, a spectral dependence in the slope of the linear fit of the modeled and measured $\sigma_{abs}(\lambda)$ is observed, whereas in $\sigma_{ext}(\lambda)$ not. The results agree with findings of previous studies which have shown that $\sigma_{ext}(\lambda)$ is less sensitive to the complex aerosol refractive index than $\sigma_{abs}(\lambda)$ and is more driven by the PNSD. The results are promising since the $\sigma_{ext}(\lambda)$ especially requires an exact determination of the aerosol state in terms of PNSD and chemical composition (refractive index and mixing state) and considering that many aerosol optical parameters at once are compared.

In the winter campaign, the Mie-model result is directly compared to the filter-based airborne in-situ $\sigma_{abs}(\lambda)$ measurements, in the winter campaign. In the more polluted case, the Mie-model derives up to 27% lower $\sigma_{abs}(\lambda)$ with the best agreement at 624 nm wavelength, and The agreement shows a distinct spectral dependence of the agreement. The Mie-model calculates up to factor two larger $\sigma_{abs}(\lambda)$ with a small spectral dependence in the cleaner case. The results indicate that the mixing state of the aerosol, the wavelength-dependent complex refractive index of the aerosol compounds, and the BrC content, must be accurately represented by the model to match the measured $\sigma_{ext}(\lambda)$ within a narrow uncertainty-range.

Utilizing a height-constant $LR(\lambda)$ is widely applied to determine $\sigma_{ext}(\lambda)$ from $\sigma_{ext}(\lambda)$ and within the Fernald-Klett retrieval. The modeled $LR(\lambda)$ shown here are in the range of $LR(\lambda)$ estimates presented by previous studies for different aerosol types. In both campaigns, the Mie-model ambient state calculations, however, revealed a dependence of the $LR(\lambda)$ to the ambient RH and resulted in an RH and wavelength-dependent $LR(\lambda)$ enhancement factor expressed with the term: $f_{LR}(RH, \lambda) = f_{LR}(RH = 0, \lambda) \times (1 - RH)^{-\gamma(\lambda)}$, with $f_{LR}(RH = 0, \lambda)$ forced through one. Estimates of $\gamma(\lambda)$ are derived based on the summer campaign data set.

Various reasons that can lead to a disagreement between lidar and modeling are identified, and the overview provides a valuable source set of suggestions for future campaign planning with a focus on comparing in-situ and remote sensing results.

In conclusion:

a) Conducting comparison studies of aerosol optical properties, e.g., to validate lidar-based $\sigma_{abs}(\lambda)$, requires a precise determination of the aerosol mixing state, its composition, the inclusion of BrC, and the application of a wavelength-dependent complex refractive index. Information on size- and height-resolved aerosol composition is needed.

b) Airborne in situ measurements of, e.g., the Observing aerosol chemical composition, including the BrC content, would improve studies focusing on the validation of lidar-based $\sigma_{abs}(\lambda)$.

c) A wide range of aerosol particle sizes is covered in this study. However, the modeled $\sigma_{ext}(\lambda)$ were on average lower than the measured one. A much further extension of the observed aerosol particle particles above a size range beyond of 10 μm would ensure that this parameter of these non-observed particles would not cause a significant underestimation bias based on De Leeuw and Lamberts (1987).

d) Knowing the connection between RH and the $LR(\lambda)$, the $LR(\lambda)$ enhancement can be a valuable tool to estimate the $LR(\lambda)$ at ambient state when the dry state $LR(\lambda)$ is known. Also, it allows calculating back the $LR(\lambda)$ in the dry state, when the $LR(\lambda)$ is directly measured in the ambient state, and an RH profile is known, e.g., via radio soundings.

e) However, long-term measurements must be conducted to verify the $LR(\lambda)$ enhancement estimates for various aerosol-types and different seasons.

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Appendix

Appendix Table 1: Density $\rho$ and hygroscopicity parameter $\kappa$ of the aerosol compounds to derive the volume fraction of each compound. Densities following $^a$Lin et al. (2013) and references therein (Tang, 1996; Chazette and Louise, 2001; Sloane, 1986; Haynes, 2011; Seinfeld and Pandis, 2006; Eichler et al., 2008), $^b$Moteki et al. (2010), $^c$Kreidenweis et al. (2008) and references therein (Tang and Munkelwitz, 1994; Marcolli et al., 2004), $^d$Petters and Kreidenweis (2007), $^e$Wu et al. (2013), $^f$Zaveri et al (2010) and $^g$ Liu et al. (2014).

<table>
<thead>
<tr>
<th>compound</th>
<th>density $\rho$ [g cm$^{-3}$]</th>
<th>$\kappa$</th>
</tr>
</thead>
<tbody>
<tr>
<td>NH$_4$NO$_3$</td>
<td>1.720$^a$</td>
<td>0.68$^a$</td>
</tr>
<tr>
<td>NH$_4$HSO$_4$</td>
<td>1.780$^a$</td>
<td>0.56$^a$</td>
</tr>
<tr>
<td>(NH$_4$)$_2$SO$_4$</td>
<td>1.760$^a$</td>
<td>0.53$^b$</td>
</tr>
<tr>
<td>OM</td>
<td>1.400$^a$</td>
<td>0.10$^c$</td>
</tr>
<tr>
<td>BC</td>
<td>1.800$^b$</td>
<td>0$^f$</td>
</tr>
<tr>
<td>NH$_4$Cl</td>
<td>1.527$^a$</td>
<td>0.93$^g$</td>
</tr>
<tr>
<td>(NH$_4$)$_3$(SO$_4$)$_2$</td>
<td>1.830$^g$</td>
<td>0.56$^g$</td>
</tr>
</tbody>
</table>

Appendix Table 2: Overview of the input parameters of the Mie-model, the corresponding assumed uncertainties, and the underlying type of distribution for the variation of the input parameter.

<table>
<thead>
<tr>
<th>parameter</th>
<th>uncertainty</th>
<th>underlying distribution for the model</th>
</tr>
</thead>
<tbody>
<tr>
<td>dN/dlog$D_p$</td>
<td>10%</td>
<td>uniform</td>
</tr>
<tr>
<td>$D_p$</td>
<td>0%</td>
<td>-</td>
</tr>
<tr>
<td>$n_{sBC}$</td>
<td>4% real part; 6% imaginary part</td>
<td>normal</td>
</tr>
<tr>
<td>$n_{water}$</td>
<td>0.5%; -</td>
<td>normal</td>
</tr>
<tr>
<td>$n_{sol}$</td>
<td>0.5%; -</td>
<td>normal</td>
</tr>
<tr>
<td>RH</td>
<td>standard deviation of the mean (scan period)</td>
<td>uniform</td>
</tr>
<tr>
<td>$T$</td>
<td>standard deviation of the mean (scan period)</td>
<td>uniform</td>
</tr>
<tr>
<td>$f_{v,sBC}; f_{v,sol}$</td>
<td>standard deviation of mean (flight period)</td>
<td>uniform</td>
</tr>
<tr>
<td>$\kappa(D_p)$ H-TDMA summer</td>
<td>standard deviation of the mean (day)</td>
<td>uniform</td>
</tr>
<tr>
<td>$\kappa$ bulk Q-ACSM winter</td>
<td>standard deviation of the mean (flight period)</td>
<td>uniform</td>
</tr>
</tbody>
</table>
Appendix figure 1: MAC(637 nm) derived from measurements of the aerosol particle light absorption at 637 nm and mass concentration of elemental carbon at Melpitz Observatory. The horizontal dashed line indicates the median of the shown period. Panel a) displays the period from June 01 to June 30, 2015. Panel b) displays February 1 to March 15, 2017.
Data availability.

Data set and source codes underlying this work can be requested via email to the corresponding author.

Authors contribution.

The authors SD, BW, AA, and HB were responsible for the conceptualization of the study. SD did data curation, investigation, and the development of the methodology. Further, for the study needed, data was provided by CD (V-HTDMA), GS (filter sampling data), LP (Q-ACSM), JCC (airborne CAPS data), TT (MPSS, APSS at Melpitz), TM (MAAP at Melpitz), and HB (lidar). Any software not included for processing was written by SD. BW, TM, HB, BW, and AW supervised the study. SD produced all figures and wrote the original draft of the paper. The review and editing of the paper were done by SD, AA, HB, JCC, CD, MGB, TM, LP, GS, TT, BW, and AW.

Competing interests.

The authors declare that they have no conflict of interest.

Acknowledgments.

We gratefully thank the competent help of the technicians Thomas Conrath, Astrid Hofmann, and Ralf Käthner. We thank Holger Siebert for setting up and the built of ACTOS. We express our deepest thankfulness to all other TROPOS employees who supported us with energy and passion before, during, and after the campaigns and thank all participants for helping to tame the balloon during the winter campaign. Moreover, we are very thankful to the helicopter pilots Alwin Vollmer and Jürgen Schütz for the secure helicopter flights during the summer campaign. The authors furthermore thank Dieter Schell of enviscope GmbH for his expertise. We also thank Anke Rödger of TROPOS for providing and conduction the filter-measurement samples of Melpitz. JCC and MGB received financial support from the ERC (grant agreement no. 615922-BLACARAT) and the ACTRIS2 project funded by the EU (H2020 grant agreement no. 654109) and the Swiss State Secretariat for Education, Research and Innovation (SERI; contract number 15.0159-1).
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