

Supplementary material for

**Quantifying the nitrogen equilibrium and photochemistry-induced kinetic isotopic effects
between NO and NO₂**

Jianghanyang Li¹, Xuan Zhang², Greg Michalski^{1,3}, John Orlando², and Geoffrey Tyndall²

¹ Department of Earth, Atmospheric and Planetary Sciences, Purdue University, West Lafayette, IN, 47907

² Atmospheric Chemistry Observations and Modelling Lab, National Center for Atmospheric Research, Boulder, CO, 80301

³ Department of Chemistry, Purdue University, West Lafayette, IN, 47907

1. Chamber description, experimental setup, and control experiments

The chamber is a 10 m³ Teflon bag equipped with several standard instruments including temperature and humidity probe, NO_x monitor and O₃ monitor. 128 wall-mounted blacklight tubes surrounded the chamber to mimic tropospheric photochemistry and the photolysis rate of NO₂ ($j(\text{NO}_2)$) when all lights are on have been previously determined to be $1.4 \times 10^{-3} \text{ s}^{-1}$ (Zhang et al., 2018), similar to a $j(\text{NO}_2)$ coefficient at an 81-degree solar zenith angle. The chamber was kept at room temperature and one atmospheric pressure. Before each experiment, the chamber was flushed with zero air at 40 L min⁻¹ for at least 12 hours to ensure the background NO_x, O₃ and other trace gases were below detection limit.

The rate of NO₂ wall loss and the effect of NO₂+O₂ reaction were determined by conducting control experiments: 62 nmol mol⁻¹ NO and 29 nmol mol⁻¹ O₃ was injected into the

chamber and NO, NO₂ and total NO_x concentrations were monitored. No significant decay of NO_x was and observed over a 4-hour period.

During each experiment, after the NO, NO₂ and O₃ concentrations reached steady-state, well-mixed chamber air was drawn out through a Norprene Thermoplastic tubing ~40 cm at 10 L min⁻¹ and passed through a honeycomb denuder system (Chemcomb 3500, Thermo Scientific). Based on flow rate, the NO₂ reside time in the was less than 0.5 second, thus in the light-on experiments where NO and O₃ coexisted, the NO₂ produced inside the transfer tube through NO+O₃ reactions should be <0.03 ppb (using the upper limit of NO and O₃ concentrations in our experiments). The honeycomb denuder system consisted of two honeycomb denuder tubes connected in series. Each honeycomb denuder tube is a glass cylinder of 38 mm long, 47 mm in diameter, and consist of 212 hexagonal tubes with inner diameters of 2 mm. Before collecting sample, each denuder tube was coated with methanol solutions containing 10% KOH and 25% guaiacol, then immediately dried by passing high-purity N₂ through the denuder tube for 10 seconds. The coating on the denuder tube surface reacts with NO₂ forming NO₂⁻ (Williams & Grosjean, 1990). Each NO₂ collection lasted for 0.5-3 hours in order to collect enough NO₂⁻ for isotopic analysis (~300 nmol).

The NO₂ collection efficiency of a single honeycomb denuder tube was tested in a control experiment: air containing 66 nmol mol⁻¹ of NO₂ was drawn out of the chamber through a denuder tube, and the NO₂ concentration at the exit was measured to be low than the detection limit (<1 nmol mol⁻¹), suggesting the collection efficiency was nearly 100% when [NO₂] <66 nmol mol⁻¹. Furthermore, since each denuder system consisted of two denuder tubes, we tested the NO₂⁻ collected at the second denuder, none of them showed any measurable NO₂⁻.

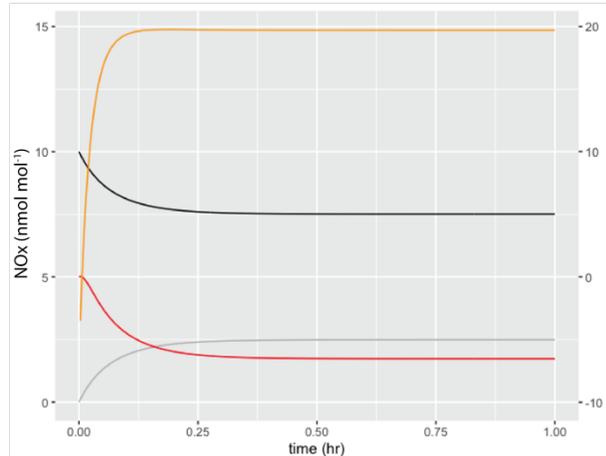
2. Box model assessing the time needed for NO-NO₂ to reach isotopic equilibrium

The time needed to reach NO-NO₂ isotopic equilibrium during light-off experiments were assessed using a 0-D box model. This box model contains only two reactions:

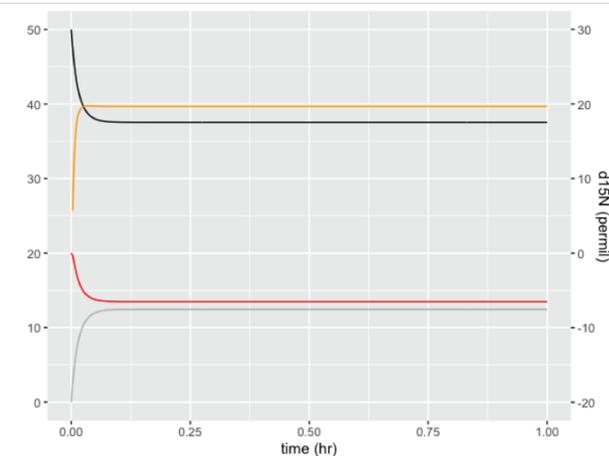


Where k and k' are rate constants of the reactions. The differences in rate constants were calculated by assuming an $\alpha(\text{NO}_2\text{-NO})$ value of 1.0268. Six simulations were conducted at various initial NO (with $\delta^{15}\text{N}=0\%$) and O₃ levels that were similar to our experiment. Then the $\delta^{15}\text{N}$ values of NO and NO₂ during the simulation were calculated from the model and were shown in Fig. S1, suggesting that in our experimental condition, all systems should reach isotopic equilibrium within 1 hr.

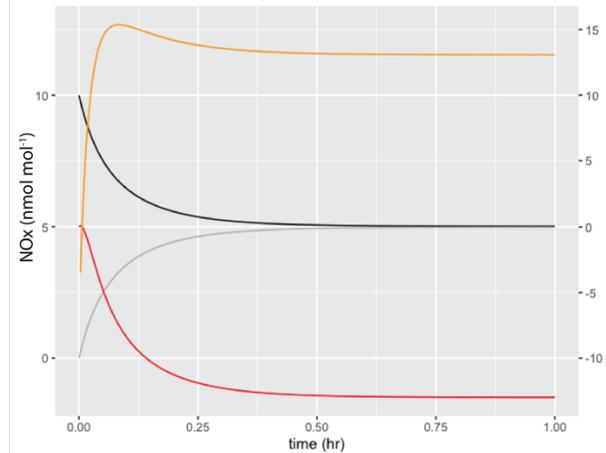
Initial NO=10 nmol mol⁻¹, O3=2.5 nmol mol⁻¹



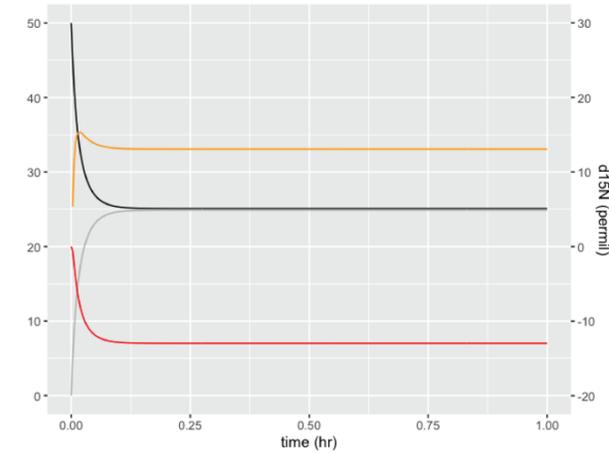
Initial NO=50 nmol mol⁻¹, O3=12.5 nmol mol⁻¹



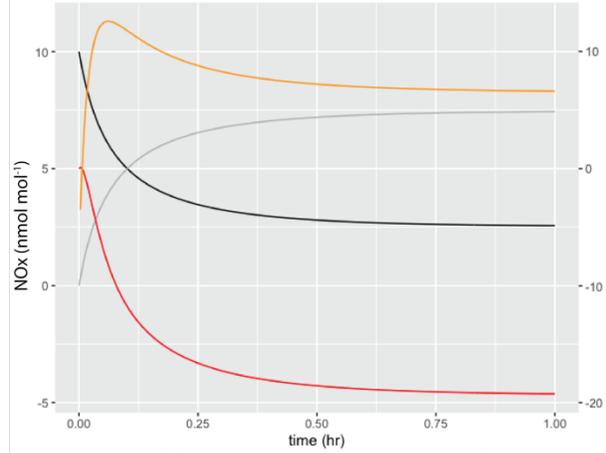
Initial NO=10 nmol mol⁻¹, O3=5 nmol mol⁻¹



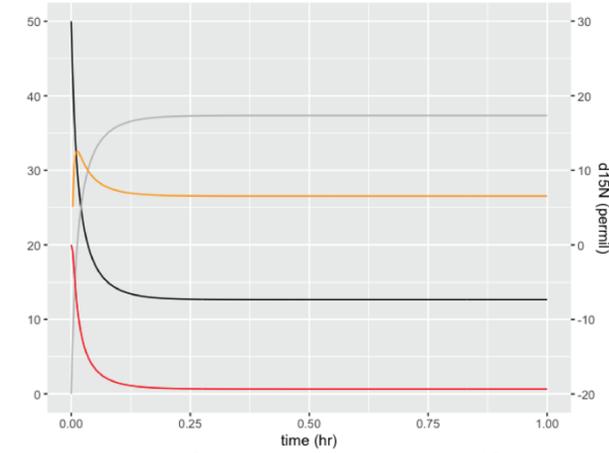
Initial NO=50 nmol mol⁻¹, O3=25 nmol mol⁻¹



Initial NO=10 nmol mol⁻¹, O3=7.5 nmol mol⁻¹



Initial NO=50 nmol mol⁻¹, O3=37.5 nmol mol⁻¹

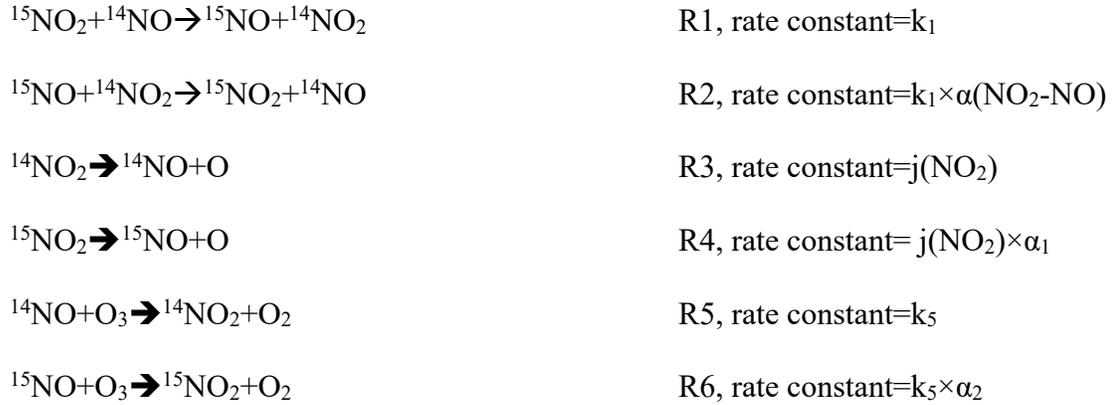


— NO concentration — NO2 concentration — δ(NO2) — δ(NO)

Fig. S1 Simulated NO-NO₂ isotopic equilibrium process in the chamber at various NO and O₃ concentrations.

3. Deriving Equations 7 and 8

We have 6 reactions in the system:



At steady state:

$$d[^{15}\text{NO}_2]/dt=0$$

Therefore:

$$k_1 \times [^{15}\text{NO}_2][^{14}\text{NO}] + j_{\text{NO}_2} \times \alpha_1 \times [^{15}\text{NO}_2] = k_5 \times \alpha_2 \times [^{15}\text{NO}] \times [\text{O}_3] + k_1 \times \alpha_{\text{NO}_2 - \text{NO}} \times [^{15}\text{NO}] \times [^{14}\text{NO}_2]$$

From here we refer $^{14}\text{NO}_2$ and ^{14}NO as NO_2 and NO for convenience, rearrange the above equation, we get:

$$\frac{[^{15}\text{NO}_2]}{[^{15}\text{NO}]} = \frac{k_5 \times \alpha_2 \times [\text{O}_3] + k_1 \times \alpha_{\text{NO}_2 - \text{NO}} \times [\text{NO}_2]}{j_{\text{NO}_2} \times \alpha_1 + k_1 \times [\text{NO}]}$$

Meantime, since the Leighton cycle reaction still holds for the majority isotopes (NO and NO_2), we have:

$$j_{\text{NO}_2} \times [\text{NO}_2] = k_5 \times [\text{NO}] \times [\text{O}_3]$$

Thus,

$$\frac{[\text{NO}_2]}{[\text{NO}]} = \frac{k_5 \times [\text{O}_3]}{j_{\text{NO}_2}}$$

From the text, when $j_{\text{NO}_2} > 0$, we defined $A = \tau_{\text{exchange}} / \tau_{\text{photo}} = j_{\text{NO}_2} / (k_1 \times [\text{NO}])$. using the above equation, we know:

$$\frac{j_{\text{NO}_2}}{[\text{NO}]} = \frac{k_5 \times [\text{O}_3]}{[\text{NO}_2]} = A \times k_1$$

$$\frac{j_{\text{NO}_2}}{k_1 \times [\text{NO}]} = \frac{k_5 \times [\text{O}_3]}{k_1 \times [\text{NO}_2]} = A$$

Next, in order to calculate $\delta(\text{NO}_2)$ - $\delta(\text{NO})$, we use the definition of delta notation:

$$\delta(\text{NO}_2)-\delta(\text{NO})=(R_{\text{NO}_2}/R_{\text{std}}-1)\times 1000\%-(R_{\text{NO}}/R_{\text{std}}-1)\times 1000\%;$$

Where $R_{\text{NO}_{1,2}}=[^{15}\text{NO}_{1,2}]/[\text{NO}_{1,2}]$. Thus,

$$(\delta(\text{NO}_2)-\delta(\text{NO}))/1000\%=R_{\text{NO}_2}/R_{\text{std}}-R_{\text{NO}}/R_{\text{std}} \approx R_{\text{NO}_2}/R_{\text{NO}}-1$$

$$\frac{R_{\text{NO}_2}}{R_{\text{NO}}} = \frac{[^{15}\text{NO}_2] \times [\text{NO}]}{[^{15}\text{NO}] \times [\text{NO}_2]} = \frac{k_5 \times \alpha_2 \times [\text{O}_3] \times [\text{NO}] + k_1 \times \alpha(\text{NO}_2 - \text{NO}) \times [\text{NO}_2] \times [\text{NO}]}{j_{\text{NO}_2} \times \alpha_1 \times [\text{NO}_2] + k_1 \times [\text{NO}] \times [\text{NO}_2]}$$

Divide both side by $k_1 \times [\text{NO}] \times [\text{NO}_2]$:

$$\frac{R_{\text{NO}_2}}{R_{\text{NO}}} = \frac{\frac{k_5 \times \alpha_2 \times [\text{O}_3]}{k_1 \times [\text{NO}_2]} + \alpha(\text{NO}_2 - \text{NO})}{\frac{j_{\text{NO}_2} \times \alpha_1}{k_1 \times [\text{NO}]} + 1}$$

Rearrange and substitute $\frac{k_5 \times [\text{O}_3]}{k_1 \times [\text{NO}_2]}$ and $\frac{j_{\text{NO}_2}}{k_1 \times [\text{NO}]}$ with A:

$$\frac{R_{\text{NO}_2}}{R_{\text{NO}}} = \frac{\alpha_2 \times A + \alpha(\text{NO}_2 - \text{NO})}{\alpha_1 \times A + 1}$$

$$\frac{R_{\text{NO}_2}}{R_{\text{NO}}} - 1 = \frac{(\alpha_2 - \alpha_1) \times A + (\alpha(\text{NO}_2 - \text{NO}) - 1)}{\alpha_1 \times A + 1}$$

Thus,

$$\delta^{15}\text{N}_{\text{NO}_2}-\delta^{15}\text{N}_{\text{NO}}=\frac{(\alpha_2-\alpha_1)\times A+(\alpha(\text{NO}_2-\text{NO})-1)}{\alpha_1\times A+1}\times 1000\%$$

Since $\alpha_1 \approx 1$, $\alpha_1 \times A + 1 \approx 1 + A$ this equation can be further simplified to Eq. 7:

$$\delta(\text{NO}_2) - \delta(\text{NO}) = \frac{(\alpha_2 - \alpha_1) * A + (\alpha_{\text{NO}_2 - \text{NO}} - 1)}{A + 1} \times 1000\text{‰}$$

Then, using mass balance:

$$\delta(\text{NO}_2) \times f(\text{NO}_2) + \delta(\text{NO}) \times (1 - f(\text{NO}_2)) = \delta(\text{NO}_x)$$

We can derive Eq. 8:

$$\delta(\text{NO}_2) - \delta(\text{NO}_x) = \frac{(\alpha_2 - \alpha_1) \times A + (\alpha_{\text{NO}_2 - \text{NO}} - 1)}{A + 1} \times (1 - f(\text{NO}_2)) \times 1000\text{‰}$$

References:

- Williams, E. L., & Grosjean, D. (1990). Removal of atmospheric oxidants with annular denuders. *Environmental Science & Technology*, 24(6), 811–814.
- Zhang, X., Ortega, J., Huang, Y., Shertz, S., Tyndall, G. S., & Orlando, J. J. (2018). A steady-state continuous flow chamber for the study of daytime and nighttime chemistry under atmospherically relevant NO levels. *Atmospheric Measurement Techniques*, 11(5), 2537–2551.