Response to RC1

Dear Dr. Johnson,

Thank you for the comments and input to our manuscript. Below is a line-by-line response to your comments.

Model and Interpretation

The semi-analytical PHIFE/ZPE model (Miller 2000; Michalski 2004) is discussed as a way of understanding photolytic isotopic fractionation. Please compare the predictions of that theory with the results of this experiment and comment.

We discussed the previous calculation of the KIE and added some theoretical calculations in our manuscript. The predictions showed good agreement with our observation (KIE=0.9933, PHIFE=1.0023, therefore predicted LCIE=-9‰, our results=-10 \pm 5‰). In the meantime, we did the ZPE calculation using 4 different actinic flux spectrums (lab light, early morning/late afternoon, mid-morning/afternoon, and noon), all of them showed similar PHIFE values ranging from 1.0023 to 1.0029, suggesting the PHIFE do not vary significantly by light.

The abstract states that the Leighton cycle isotope effect is 0.990 ± 0.005 at room temperature. However, this must be for a certain insolation spectrum and concentrations of O3, HO2, RO2? Please include the conditions. How much will the LCIE change with the changes in conditions found in the atmosphere, or can we take this result to be applicable throughout the atmosphere?

We pointed out that, our experiments measured the LCIE fractionation factor when O_3 solely controls the NO_x cycle. However, we suggest this LCIE factor might be used in the ambient environment because it showed good agreement with previous field observations. Nevertheless, future work is needed to confirm our assumption that the isotopic fractionation factor of $NO+RO_2/HO_2$ are similar to that of $NO+O_3$.

It is argued that the atmospheric LCIE is 18.8 per mil based on the experiment and one field measurement. This may perhaps be sufficient for accepting the proposed value, but no attempt is made to discuss the uncertainty of the measurement, and to predict what variations will be seen in the atmosphere with changes in temperature, actinic flux spectrum, and concentrations of O3, HO2, and RO2. Please present a discussion of these factors.

This 18.8 ‰ value in Freyer's work is an annual average daytime value of combined EIE and LCIE, which was determined using all the measurements in a year. In reality, the value significantly varies by temperature, actinic flux spectrum, and concentrations of O_3 , HO_2 , and RO_2 . However, since we do not have more detailed data, we are not able to reconstruct the combined LCIE+EIE values at a higher time resolution in Freyer's work. Instead, we discussed this variation in the next section by using hourly NO, NO₂ and j(NO₂) data to model the daily variations.

What affect will the formation of PANs/addition of this equilibrium, have on the LCIE? Please comment on the LCIE that would be observed in the stratosphere.

This is a very good point. However, since 1) reactive nitrogen chemistry in the stratosphere is dramatically different from the troposphere and 2) the temperature in the stratosphere is also different, we suggest our model may not be used in the stratosphere. Therefore, we revised our statement and limited our discussion in the troposphere. In the meantime, we pointed out that future study is needed to explore the behavior of N isotopes in the stratosphere.

In the authors' experiment, NO is converted to NO2 by O3 in conditions with low concentrations of HO2 and RO2, which will play a role in the atmosphere. They suggest that the HO2 and RO2 oxidations of NO might have a similar KIE as the O3 oxidation, but this argument could be considered convenient. It would be stronger with experimental evidence and with improved validation by field measurements. Please make sure to discuss the potential uncertainty that is being introduced in transferring the laboratory results to the field.

We addressed this uncertainty by mentioning that, to enable our model in the ambient environment, we assume the KIE of O_3 is similar to that of HO_2 and RO_2 , because our modelled KIE value could explain the only field observation data by Freyer. This is an assumption that needs to be verified in the future.

However, if this assumption is true, then we do not need to know the concentrations of O_3 , HO_2 or RO_2 , if we know both NO and NO_2 concentrations. The existence of O_3 , HO_2 or RO_2 would be reflected in the NO/NO₂ ratio at a given j(NO₂) value.

No description is made of the UV lights that were used for the photolysis, please add this. According to PHIFE/ZPE, photolytic isotopic fractionation changes as a function of wavelength. How did the spectrum of the lamps used to differ from the solar actinic flux spectrum? What wavelength dependence do you expect? How will the LCIE change as a function of altitude in the atmosphere as the actinic flux spectrum changes?

We added the description of the UV light in the supplementary material. And as mentioned before, we studied the variation of LCIE by calculating the PHIFE using 4 different actinic flux spectrums (lab light, early morning/late afternoon, mid-morning/afternoon, and noon). The results show that all of them have similar PHIFE values ranging from 1.0023 to 1.0029, suggesting the PHIFE do not vary significantly under different actinic flux spectrums.

There is precious little field data to use to validate the model. Please comment on what studies you would like to see in order to test the model, and as I have noted, please discuss the impact of different environmental factors, other than NOx concentration, on the results.

We added a paragraph before the final conclusion discussing the limitations of our work and potential future work that can be done to advance our understanding in this topic.

Presentation:

The abstract is rather short given the interesting findings of the paper. Please expand.

Revised as suggested. We rewrote the abstract to make it readable for a more general audience.

I am not sure why the TLA (three letter acronym) 'EIE' for 'equilibrium isotope effect' is introduced when there is already the widely accepted idea of the exchange reaction. This could make the abstract obscure for non-specialists.

Revised as suggested. We removed the TLA for EIE in the abstract but remained using EIE in the main text to contrast with LCIE.

The introduction should include discussion of photolytic re-emission of deposited nitrate.

Revised as suggested.

Please italicize the symbols used for physical quantities such as f, j and k.

Revised as suggested.

Please add a scheme or figure giving an overview of the key reactions involved in this work.

We added a sketch as Fig. 1C.

On page 11 line 230, some j values (photolysis rates) are presented. Please include the units with these numbers. Also, in figure 2, 'j = 0.005', but what are the units?

Revised as suggested.

Response to RC2

Dear reviewer:

Thank you for the comments, we appreciate your input. We have revised our manuscript according to the comments from all the reviewers, below is our line-by-line response to your comments and suggestions.

First and foremost, how was the d15N of NOx measured (lines 150-151)? This is critical in that these values are used to demonstrate and calculate the observed isotope effects.

We improved our description of measuring the $\delta^{15}N$ of NO_x in the method section. In short, we measured the $\delta^{15}N$ of NO_x in three different experiments. In each experiment, we inject same amount of NO and O₃ to produce pure NO₂, then we analyze the $\delta^{15}N$ value of the NO₂. Because we can see that 100% of NO_x in these experiments were in the form of NO₂, therefore the measured $\delta^{15}N$ value can be used to represent the $\delta^{15}N$ of source NO_x.

Second, was the d15N data of all samples corrected for potential isobaric in- fluences of 17O? (lines 120-124). The generated O3 should have a high D17O that will be transferred to the product NO2. This may impact both the starting NO source d15N values and the measured NO2 values during both dark and photochemical experiments. This could cause an important change in the findings if excess 17O has not been accounted for in correcting the d15N data. Related to the above, in Figure 1A it appears that the data was forced through an intercept of 0. But the best fit to the data does not appear to go through 0. What is the slope of the data not forced through the intercept? What might the intercept indicate – from my read this could indicate a shift due to the influence of 17O on the 45 signals when quantifying the isotopic ratios from N2O. A change in slope with the best fit might also bring the calculated value to something that is actually closer to the measured value by Walters et al. Wouldn't this be more consistent with current thinking?

The isobaric influence of O17 was calculated in the ISODAT system. It measures the 46 signals to calculate δ^{18} O first, then calculate the δ^{17} O value assuming mass dependent fractionation, then use these to correct for δ^{15} N signal. We notice that this method did not account for mass independent fractionation so it could shift the absolute δ^{15} N value (assuming O17 excess=30‰) by as much as 1.5‰.

However, all the data shown on Figure 1A are $\delta(NO_2)$ - $\delta(NO_x)$, and both $\delta(NO_2)$ and $\delta(NO_x)$ have the same isobaric shift because they were measured using the same sampling & analysis method. So, when calculating the $\delta(NO_2)$ - $\delta(NO_x)$ values, this isobaric error should be cancelled out assuming O17 excess were the same. Therefore, the isobaric error may not cause a significant shift in the interception on Figure 1A.

In other words, our experiments that determined the $\delta^{15}N$ values of source NO_x (in these experiments f(NO)=0 and $\delta(NO_2)-\delta(NO_x)=0$) can be seen as 3 extra data points at (0,0), therefore the interception on Figure 1A should still be 0.

For Figure 1B, the LCIE factor is calculated from "the best fit" (line 206). However, the figure makes it appear qualitative rather than quantitative. This calculation/estimation should be shown quantitatively and an r or r2 value should be reported for the fit. It should also be better explained

why the point at A~0.1 and A~0.15 do not follow the expected relationship (why does the difference in d15N not change with A?). Also, why does the relationship have to be linear? In addition, the -10 per mil line does not "best fit" the field observation. It is also not clear what the error bars are on each symbol – I don't see how these should be the same/have the same meaning for the field observation versus the chamber data. The field study point should also be clearly cited in the figure caption. Related to this, in the text (line 215-218) it is argued that the experimental values determined are in good agreement with the field study. But the field study represents a very high NOx environment (at times NOx » O3) and the measurements were taken at different times of the year not just at temperature close to room temperature. So, is it possible that the field determined value is showing a temperature dependence relative to the controlled experiments?

We call the -10‰ LCIE line "best fit" because this fit gives the highest r value of 0.52 and the lowest total variation:

total variation= $\sum (y_i - f_i)^2$

in which y_i is the observed value and f_i is the predicted value by the fit line.

We attribute the deviation of the two points from the prediction line to the relatively large analytical uncertainties at low A values. In these two experiments, the NO and NO₂ level were low (<10 ppb), and the concentration measurements showed a higher error bar. We have recalculated the error bars on these data points which are now shown on Figure 1B.

We used the average conditions of the field study to calculate its position at Figure 2B. Although the conditions change significantly throughout the time period of this study, their 18.8‰ value represented the average fractionation factor of the sampling period. Therefore, we also used their average condition to calculate the fractionation factor. However, it is likely that the temperature dependence played a role in this study, and we pointed out that future studies are needed to investigate its impact.

Next, how does the EIE measurement compare with theoretical works? What may drive the differences in the experimental values versus theory? Is formation of other products (such as N2O3 or N2O4) in the chamber a concern and could that influence the measured EIE value?

We added some calculations showing the formation of N_2O_4 and N_2O_3 were negligible. Also, we have mentioned that we conducted a control experiment to evaluate NO_2 wall loss but did not observe any NO_2 loss over a 4-hour period. Therefore, we suggest the formation of other products were insignificant.

We are not sure why it did not align with current theoretical calculations, probably because of the different approximation methods in previous studies. Hopefully future theoretical calculations can be carried out to evaluate our conclusions.

On line 185-189, it is stated that a2 ("alpha 2") is not quantified. However, Walters and Michalski (2016), which is referenced here, does include an ab initio-based estimate for this value. And couldn't this value be used to separate out the magnitude of PHIFE (rather than assume it)?

We added two paragraphs comparing our results to theoretical calculations. We pointed out that our result of -10% showed good agreement with theoretical calculations in Walters and Michalski (2016) and a ZPE approach that estimates the isotopic fractionation of NO₂ photolysis.

Specific comments: Abstract – The abstract should be written for a more general audience. Be consistent with abbreviations. For example, NO and NO2 are not defined and nitrate isn't abbreviated. Also, LCIE should be more clearly defined since this is new terminology in this work. The implications of the study should be better highlighted here. How will a mathematic solution for NO-NO2 isotopic fractionation be useful to the atmospheric chemistry community?

We have revised our abstract, defined NO, NO₂ and introduced LCIE. We also revised our implication and pointed out the limitation of this study.

Also, the statement that the new solution can be used at any given condition is a stretch since experiments were only conducted at room temperature and the experiments seem to be most relevant for the troposphere and not stratospheric NOx conditions.

We realized our experimentally determined values have limitations; therefore, we have discussed these limitations, and suggested our result should be applied in troposphere near room temperature. We also discussed how can future work verify and improve our current results.

Main Text

Line 25-30: The link between NOx and the formation of nitric acid (i.e. nitrate) needs to be more clearly stated. Also, the second sentence is a bit awkwardly phrased given that most of the studies did not use NO2 isotopes directly. It may be worth separating out the studies that have used isotopes of nitrate to understand something about NOx versus studies that have looked at NO2 or NOx specifically.

We revised the first paragraph. We now start this introduction by stating that the N isotopes are usually applied to study the sources of nitrate, however, it is unclear how atmospheric chemistry alters the isotope signals. Then, we narrow down our topic to the isotopic fractionations between NO and NO₂, because it is very important.

Line 38: remove "the" before chemistry

Revised as recommended.

Lines 46-54: Please separate this into at least two separate sentences.

Revised as recommended.

Lines 61-63: What drives the difference in the theoretical predictions for this EIE?

It is mainly because each theoretical prediction uses different harmonic approximations in their calculation.

Lines 63-64: I think it should be pointed out that this was conducted at room temperatures. Also, the error of ± 0.001 is incorrect?

Revised as recommended.

Lines 68-69: KIE and PHIFE for the NOx system is limited but you should probably acknowledge the KIE study on NO + O3: Walters and Michalski (2016) Ab initio study of nitrogen and position-specific oxygen kinetic isotope effects in the NO + O3 reaction, J. Chem. Phys. 145, 224307.

Revised as recommended.

Lines 70-75: suggest changing this to ". . .tends to diminish the expression of the equilibrium isotopic fractionation (EIE) between NO and NO2, but both KIE and PHIFE factors at that time were unknown." It seems strange to suggest that assuming no isotope effects (ie 1) yields no isotope effect. Here would be a good place to better detail the Freyer et al work and approach to determining the single fractionation factor. Otherwise line 75 doesn't really make sense to the reader unfamiliar with the details of Freyer's work.

We have revised this part to present a better description of Freyer's work and pointed out the limitation, which is the motivation of our study.

Line 83: atmospheric should be "atmospherically"

Revised as recommended.

Line 88: change "NOx nitrogen isotopes" to something more correct like isotopic composition of NOx.

Revised as recommended.

Line 105: "was" should be were. Line 105 (and later): what range of wavelengths are used in the experiment. This is important to report as you have already stated!

Revised as recommended.

Lines 112-115: More details on the capture of NO using denuder tubes should be provided in the text rather than supplement. And the details are not really given in the suppl either. What was the denuder coated with? How is it determined that there was quantitative and accurate collection of the NO isotopes? What is this method based upon?

Revised as recommended.

Lines 120-124: Were corrections conducted for D17O interferences? I imagine the generated O3 will have a high D17O that will be proportional transferred to your product NO2. This may impact both your starting NO source d15N value and your measured NO2 values during dark and photochemical experiments. Section 2 overall – were any blanks tested throughout the experiments?

The D17O will affect the measured absolute $\delta^{15}N$ values but this should be cancelled out when we calculate the $\delta(NO_2)$ - $\delta(NO_x)$ values (see our reply above). We tested 6 blanks during our

experiments and none of them showing any measurable nitrite. We have added this part into the main text.

Line 129: difference should be "ratio of" correct?

Revised as recommended.

Line 140: I don't understand the formatting here with d(15N, NO)?

We changed this notation to $\delta^{15}N(NO)$.

Line 149- 150: How was d15N-NOx measured? If this was done for all experiments, why does n=3? and again how will potential 17O isobaric influences affect your quantification of d15N?

As we described above, three extra experiments have been conducted in which we convert all the NO into NO₂ and measured the $\delta^{15}N$ values of NO₂ to represent the $\delta^{15}N$ of NO_x. All three experiments showed consistent $\delta^{15}N$ values, therefore we suggest the $\delta^{15}N$ value of NO_x remain the same in all of our experiments.

Lines 156: Where does the error on the 26.8 value come from? This is not represented in the figure.

Since the slope actually represents the $\delta(NO_2)-\delta(NO)$ values in each experiment, we calculated the error using the standard deviations of $\delta(NO_2)-\delta(NO)$ values in the 5 experiments.

Lines 166-167: Can you prove that formation of these other products are not important for the experiments performed here? EIE should be able to be precisely predicted by theory – so why is there such a mismatch between the theoretical and the measured values?

We added some calculations showing the formation of N_2O_4 and N_2O_3 were negligible. Also, we have mentioned that we conducted a control experiment to evaluate NO_2 wall loss but did not observe any NO_2 loss over a 4-hour period. Therefore, we suggest the formation of other products were insignificant.

We are not sure why it did not align with current theoretical calculations, probably because of the different approximation methods in previous studies. We suggest that future theoretical calculations can be carried out to evaluate our conclusions.

Figure 1A: It appears that the data was fitted through an intercept of 0, but the data doesn't appear to go through the intercept. What is the slope of the data when not forced through the intercept? What might the intercept of your data indicate? Maybe D17O isobaric influence?

Since the $\delta(NO_x)$ is determined using the same method as $\delta(NO_2)$ in our experiments, this isobaric influence in this equation should be cancelled out (see our reply above). Therefore, this slope should have an intercept of 0.

Lines 174-176: What exactly were the wavelengths of the blacklight used in the experiments?

We provided an irradiation spectrum of the UV light we used in the supplementary material.

Lines 186-189: $\alpha 2$ value was determined in Walters and Michalski, 2016 ab initio study as referenced above.

We changed the statement to "nor were $\alpha 1$ and $\alpha 2$ experimentally determined"

Lines 191-197: It might be more straightforward if t(exchange) and t(photo) were defined first and then A, etc. Also please better define the purpose of equations 7 and 8. Also shouldn't these equations have epsilon instead of alpha?

Revised as recommended. In these calculations, since $\varepsilon = (\alpha - 1)*1000\%$, we know $\varepsilon 2 = \varepsilon 1 = (\alpha 2 - \alpha 1)*1000\%$. To introduce as little symbols as possible, we did not use ε in this section.

Line 207-210: The experimental LCIE should be compared with the NO + O3 KIE. Here and on line 225 it feels a bit like the large uncertainty of \pm 50 percent on the -10 value is being ignored!

We added some extra discussion suggesting 1) this -10% value fits well with theoretical predictions and 2) the α_1 value did not vary significantly with a changing *j*(NO₂). Therefore, we will use this -10% in the following discussion assuming the α_1 value remain constant, and 2) the NO+RO₂/HO₂ reactions have the same fractionation factors (α_2) as NO+O₃.

Line 220: Note that the field experiments sometimes only represent NO2 and other times NOx...so the difference between NO and NO2 was not measured, it was determined.

Revised as recommended.

Line 237: I do not see how this shown in Figure 2A.

Figure 2A represents the isotopic fractionations between NO and NO₂ in dark condition $(j(NO_2)=0)$. In this scenario, EIE solely controls the isotopic fractionation therefore the $\delta(NO_2)-\delta(NO)$ should be a constant no matter how NO_x level and f(NO2) changes.

Line 261-263: These are not emissions, these are ambient NO2 and NOx. Also, NOx is not emitted – primary emissions are NO and very on occasion diesel engines have been shown to emit NO2 directly. All of the language here needs to be much more precise.

We changed "NO_x emission" to "total NO_x".

Section 4 overall: This section needs work. It needs to be established why the sites were chosen. And the sites should be clearly labeled as representative of, for instance, urban versus suburban versus remote versus elevated NOx (roadside) or the like. It seems like the point here actually should be to distinguish the effects across the different sites. Why does it not matter that the O3 (and HO2, RO2, etc) concentrations would vary significantly across these sites?

The four sites represented different NO_x level and we can see the impact of NOx level to the NO-NO₂ isotopic fractionations was significant.

 O_3 (and HO₂, RO₂) concentrations impact the NO-NO₂ fractionation by altering the A values, which was reflected in the f(NO) parameter and the A value in our equations. From Eq. 7 and 8 we can know that we do not need to use O_3 (or HO₂, RO₂) concentration to calculate the isotopic fractionations as long as we know NO and NO₂ concentrations and the j(NO₂) values.

What are we really learning from site A vs B? They are both roadside. Given that there is such limited data to compare the model with, could the authors compare their roadside model to d15N(NO2) data collected by a roadside such as Felix and Elliott, 2014, "Isotopic composition of passively collected nitrogen dioxide emissions: Vehicle, soil, and livestock source signatures", Atmospheric Environment, 92, 359-366?

A and B are both roadside sites, however they have different NO_x concentrations. The NO_x concentrations at Anaheim site averaged at 58 ppb but the Evansville site only had 15 ppb. As a result, the isotopic fractionations at Anaheim was mainly controlled by EIE which showed high $\delta(NO_2)-\delta(NO_x)$ values (>10‰ throughout the day), but at Evansville, LCIE was more significant, thus the $\delta(NO_2)-\delta(NO_x)$ values can be as low as ~2‰ at noon.

Our discussion was less focused on the $\delta^{15}N$ values of NO_x sources but more focused on the impact of the NO_x level and photochemistry to the isotopic fractionations between NO and NO₂. Felix and Elliott, 2014 provided a good insight on the $\delta^{15}N(NO_2)$ values at roadside, and the NOx level at Felix and Elliott, 2014 study was similar to that of Anaheim. Therefore, we suggest at these sites, EIE will also be a dominate factor. Furthermore, in Felix and Elliott, 2014, there are little constrain on the differences between the $\delta^{15}N$ values of NO₂ and total NO_x, thus we are not able to further compare our work to theirs.

Also why not directly compare with what the model would predict quantitatively against the Walters 2018 work? And also predict the values for the Freyer work and compare?

Both Walters et al. 2018 and Freyer 1993 work used the same equation to calculate the isotopic shift which is similar to our approach. The only difference between their equation and our equation is that they assumed $\alpha 2-\alpha 1=0$ instead of the -10‰ measured in our experiment. We can see in these two works, the calculated isotopic shift values are similar to our results, suggesting the differences in LCIE may only slightly impact our results by a couple per mil in these conditions.

Lines 325-327: This conclusion is a bit strange. There is very little local HNO3 at Summit, Greenland. So drawing the conclusion based upon snow work (not atmosphere and snow) and assuming a direct link temporally between d15NO2 and d15NO3- seems a stretch. It might be more useful to look at Jarvis et al. (2009) instead – Jarvis, J. C., M. G. Hastings, E. J. Steig, and S. A. Kunasek (2009), Isotopic ratios in gas- phase HNO3 and snow nitrate at Summit, Greenland, J. Geophys. Res., 114, D17301, doi:10.1029/2009JD012134.

This is very good point. I have removed this part because directly using our model to interpret these data is not solid enough.

Line 329: what kinds of data and future environmental measurements should be conducted to validate this model? Help the community make this a reality!

We added a paragraph in the end of this section to address our limitations and future work. We suggest that future experiments, field observations and theoretical studies should be done to 1) verify our experimental results, 2) investigate the isotopic fractionation factor of reactions that converts NO_x into NO_y and nitrate, 3) study the isotopic effects of reactive nitrogen chemistry in the stratosphere amd 4) study the temperature dependence of these fractionation factors.

Supplement – This needs to be re-read and edited – there are a lot of typos. Some comments on the methods in the supplement – I have a number of questions: -what was the flow rate used to calculate the NO2 residence time ("reside" should be residence in the text)? -include more details of the denuder method – what company are these from? What were they coated with? How do you know they are quantitative in collection? Please show the collection efficiency data. And report how many times this was tested. -need to make it clearer where the 1.0268 value comes from – why is this value assumed here? Based upon the "best fit"? which really isn't a best fit (see comments from above). So what happens here if you do not assume a forced zero intercept? -make sure the editor's suggested technical corrections carry through the supplement as well.

We have gone through the supplementary material and fixed some typos. To answer the questions: we provided more detailed descriptions (e.g., flow rate, information about the denuder method) both in the main text and in the supplementary material. In the meantime, we have shown that our collection efficiency was nearly 100% by stating that we measured the NO₂ level on the exit of the denuder tubes when using the denuder tubes to collect NO₂ at 66 ppb, and the measured NO₂ level at the denuder exit was below detection limit. We only conducted this control experiment once, but the testing lasts for over an hour, and the collection efficiency remained at 100% throughout this experiment. We also changed the 1.0268 to 1.0275 to align with the main text, and the reasons we used a zero intercept have been stated above.

Response to SC1

Dear Dr. Savarino,

Thank you for your comment! This is an excellent suggestion that will improve our paper.

We have removed the discussion that used our model to explain the Arctic snow nitrate isotopes. Instead, we pointed out some uncertainties that still exist in this field, and we suggest that future work is needed to further address these issues.

List of all the changes made in the manuscript:

1. We rewrite the abstract to provide more information toward a more general audience;

2. In the introduction part, we added some description about snow nitrate photolysis & redeposition, and introduced previous theoretical studies by Walters & Michalski, 2016 that calculated the KIE of NO+O3.

3. In the method section, we added detailed description of the chamber and our experiments, including the light source used, instruments that measured NO_x and O₃ concentrations, and control experiments testing 1) NO₂ wall loss, 2) δ^{15} N value of NO tank, 3) collection efficiency of denuder tubes and 4) blank. Additionally, we added the description of denuder tube coating procedure.

4. We limited our discussion to tropospheric chemistry because we realize our experiments can only represent the chemistry in the troposphere;

5. We also discussed the temperature effect of EIE and LCIE, which cannot be addressed by our experiments. We suggest future studies are needed to investigate these issues.

6. We added theoretical calculations that compared our measured LCIE results to the theoretical prediction using a ZPE shift model. These calculations showed good agreement with our measured values.

7. We also used the ZPE shift model to investigate the effect of light to the PHIFE, which was suggested to be minor (<0.5% shift when solar zenith angle vary from 0 to 85 degree).

8. We revised some symbols: j, k, f to be italic, and used $\Delta(NO_2-NO_x)$ and $\Delta(NO_2-NO)$ to represent $\delta(NO_2)-\delta(NO_x)$, $\delta(NO_2)-\delta(NO)$.

9. We clearly stated our assumptions before applying our model into the ambient environment (implication section).

10. We discussed the limitations of our study and suggested some future works to keep investigating this topic.

11. We revised the figures to match our changes in the manuscript; in the meantime, we added a sketch as Fig. 1C to illustrate our main point of this study.

1 Quantifying the nitrogen isotope effects during photochemical

- 2 equilibrium between NO and NO₂: Implications for δ¹⁵N in
- 3 tropospheric reactive nitrogen
- 4 Jianghanyang Li¹, Xuan Zhang², John Orlando², Geoffrey Tyndall² and Greg Michalski^{1,3}
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11 Abstract. Nitrogen isotope fractionations between nitrogen oxides (NO and NO2) play asignificant role in determining the nitrogen isotopic compositions ($\delta^{15}N$) of atmospheric reactive 12 nitrogen. Both the equilibrium isotopic exchange between NO and NO2 molecules and the isotope 13 effects occurring during the NO_x photochemical cycle are important, but both are poorly 14 constrained. The nighttime and daytime isotopic fractionations between NO and NO2 in an 15 atmospheric simulation chamber at atmospherically relevant NOx levels were measured. Then, the 16 17 impact of NOx level and NO2 photolysis rate to the combined isotopic fractionation (equilibrium 18 isotopic exchange and photochemical cycle) between NO and NO₂ were calculated. It was found 19 that the isotope effects occurring during the NO_x photochemical cycle can be described using a 20 single fractionation factor, designated the Leighton Cycle Isotope Effect (LCIE). The results 21 showed that at room temperature, the fractionation factor of nitrogen isotope exchange is 22 1.0275±0.0012, and the fractionation factor of LCIE (when O3 solely controls the oxidation from 23 NO to NO₂) is 0.990±0.005. The measured LCIE factor showed good agreement with previous 24 field measurements, suggesting that it could be applied in ambient environment, although future work is needed to assess the isotopic fractionation factors of NO + RO₂/HO₂ \rightarrow NO₂. The results 25 26 were used to model the NO-NO2 isotopic fractionations under several NOx conditions. The model suggested that isotopic exchange was the dominate factor when NOx >20 nmol mol⁻¹, while LCIE 27 28 was more important at low NO_x concentrations (<1 <u>nmol mol⁻¹</u>) and high rates of NO₂ photolysis. 29 These findings provided a useful tool to quantify the isotopic fractionations between tropospheric 30 NO and NO₂, which can be applied in future field observations and atmospheric chemistry models. 31

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 Deleted: LCIE. Our results showed the enrichment factors of EIE and LCIE are 1.0268±0.0012, and 0.9895±0.0050,

respectively,

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60 1. Introduction

	61	The nitrogen isotopic composition ($\delta^{15}N$) of reactive nitrogen compounds in the
	62	atmosphere is an important tool in understanding the sources and chemistry of atmospheric NO _x
	63	(NO+NO ₂). <u>It has been suggested that the δ^{15}N value of atmospheric nitrate (HNO_{3x} nitrate</u>
	64	aerosols, and nitrate jons in the precipitation and snow) imprints the δ^{15} N value of NO _x sources
ļ	65	(Elliott et al., 2009; Kendall et al., 2007) thus many studies have used the $\delta^{15}N$ values of
	66	atmospheric nitrate to investigate NOx sources (Chang et al., 2018; Felix et al., 2012; Felix &
	67	Elliott, 2014; Gobel et al., 2013; Hastings et al., 2004, 2009; Morin et al., 2009; Park et al., 2018;
	68	Walters et al., 2015, 2018). However, there remain questions about how isotopic fractionations
	69	that may occur during photochemical cycling of NO _x could alter the δ^{15} N values as it partitions
	70	into NO _y (<u>NO_y = atmospheric nitrate</u> , NO ₃ , N ₂ O ₅ , HONO, etc _e , Chang et al., 2018; Freyer, 1991;
	71	Hastings et al., 2004; Jarvis et al., 2008; Michalski et al., 2005; Morin et al., 2009; Zong et al.,
	72	2017). Similarily, other complex reactive nitrogen chemistry, such as nitrate photolysis and re-
	73	deposition in ice and snow (Frey et al., 2009), may impact the δ^{15} N of NO _y and atmospheric nitrate.
	74	The fractionation between NO and NO ₂ via isotope exchange has been suggested to be the
	75	dominant factor in determining the δ^{15} N of NO ₂ and ultimately atmospheric <u>nitrate (Freyer, 1991:</u>
	76	Freyer et al., 1993; Savarino et al., 2013; Walters et al., 2016). However, isotopic fractionations
	77	occur in most, if not all, NO _x and NO _y reactions, while most of these are still unknown, or, if
	78	calculated (Walters and Michalski, 2015), unverified by experiment. Since the atmospheric
	79	chemistry of <u>NO_v</u> varies significantly in different environments (e.g., polluted vs. pristine, night
	80	vs. day), the isotopic fractionations associated with <u>NO_v</u> chemistry are also likely to vary in
	81	different environments. These <u>unknowns</u> could potentially bias conclusions <u>about</u> NO _x source
	82	apportionment reached when using nitrogen isotopes. Therefore, understanding the isotopic

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(Moved (inse	ertion) [1]
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Deleted: isot NO _y chemistry	topic fractionation factors related to NO_x and
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Moved up [Savarino et al.	1]: nitrate (Freyer, 1991; Freyer et al., 1993; , 2013; Walters et al., 2016
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114	fractionations between NO and NO ₂ <u>during photochemical cycling</u> could improve our	
115	understanding ρf the <u>relative role of source versus chemistry for controlling the $\delta^{15}N$ variations of</u>	Deleted: on
		Deleted: isotopes
116	atmospheric NO ₂ and nitrate,	Deleted:
117	In general, there are three types of isotope fractionation effects associated with $\ensuremath{\mathrm{NO}_{x}}$	
118	chemistry, The first type is the equilibrium isotopic effect (EIE), i.e., jsotope exchange between	Deleted: : 1)
		Deleted: isotopic
119	two compounds without forming new molecules (Urey, 1947, Bigeleisen and Mayer, 1947), which	Deleted: Freyer et al., 1993; Walters et al., 2016),
120	for nitrogen isotopes in the NO _x system is the ${}^{15}NO + {}^{14}NO_2 \leftrightarrow {}^{14}NO + {}^{15}NO_2$ exchange reaction,	Deleted: this
121	(Begun and Melton, 1956, Walters et al., 2016). The second type is the kinetic isotopic effect (KIE)	Deleted: ; 2)
122	associated with difference in isotopologue rate coefficients during unidirectional reactions	
123	(Bigeleisen & Wolfsberg, 1957). In the NO _x system this KIE would be manifest in the oxidation	Deleted:), in
		Deleted: these could
124	of NO into NO ₂ by O ₃ /HO ₂ /RO ₂ , The third type is the photochemical isotope fractionation effect	Deleted: ; 3)
125	(PHIFE_Miller & Yung, 2000), which for NO _x is the isotopic fractionation associated with NO ₂	Deleted: isotopic
		Deleted: Michalski et al., 2004;
126	photolysis. All three fractionations <u>could</u> impact the $\delta^{15}N$ value of NO ₂ , and consequently	
127	atmospheric nitrate, but the relative importance of each may vary.	Deleted: . Additionally, in the NO _v cycle, EIE (isotopic
128	The limited number of studies on the EIE in the NO _x cycle have significant uncertainties.	exchange between NO ₂ , NO ₃ and N ₂ O ₅), KIE (formation of NO ₃ , N ₂ O ₅ and nitrate) and PHIFE (photolysis of NO ₃ , N ₂ O ₅ , HONO and sometimes nitrate) may also exist and be
129	Discrepancies in the FIE for ${}^{15}NO + {}^{14}NO + {}^{15}NO$, have been noted in several studies	relevant for the δ^{15} N of HNO ₃ and HONO, but these will not be discussed in this work
125		Deleted: isotopic fractionation factors
130	Theoretical calculations <u>predicted isotope</u> fractionation factors (α) ranging from 1.035 to 1.042 at	Deleted: , KIE and PHIFE
		Deleted: still
131	room temperature (Begun & Fletcher, 1960; Monse et al., 1969; Walters & Michalski, 2015) due	$(Deleted: NO_2 \leftrightarrow NO) $
132	to the different apporximations used to calculate harmonic frequencies in each study. Likewise,	Deleted: predict
		Deleted:). In contrast
133	two separate experiments measured different room temperature fractionation factors of	Deleted: slightly
134	1.028±0.002 (Begun & Melton, 1956) and 1.0356±0.0015 (Walters et al., 2016). A concern in both	Deleted: 001
135	experiments is that they were conducted in small chambers with high NOx concentrations	Deleted: extremely
136	(hundreds of <u>μmol mol⁻¹</u>), significantly higher than typical ambient atmospheric NO _x levels	Deleted: ppm) that were

166	(usually <u>Jess than 0.1 µmol mol⁻¹</u>). Whether the isotopic fractionation factors determined by these		Deleted: <100 ppb
167	experiments are applicable in the ambient environment is uncertain, because of possible wall effects		Deleted: . KIE and PHIFE have been rarely studied theoretically or experimentally and were often overlooked
168	and formation of higher oxides, notable N_2O_4 and N_2O_3 at these high NO_x concentrations.		
169	Even less research has examined the KIE and PHIFE occurring during NO_x cycling. The		
170	<u>KIE of NO + O_3 has been theoretically calculated (Walters and Michalski, 2016)</u> but has not been		
171	experimentally verified. The NO2 PHIFE has not been experimentally determined or theoretically		
172	calculated. As a result, field observation studies often overlook the effects of PHIFE and KIE.		
173	Freyer et al. (1993) measured NO _x concentrations and the δ^{15} N values of NO ₂ over a 1-year period		
174	at Julich, Germany and inferred a combined NO _x isotope fractionation factor (EIE+KIE+PHIFE)		
175	of 1.018±0.001. Freyer et al. (1993) suggested that the NO _x photochemical cycle (KIE and PHIFE)		
176	tends to diminish the equilibrium isotopic fractionation (EIE) between NO and NO _{2e} Even if this		Deleted: if it assumed that the isotopic fractionation factors of KIE and PHIEE are both 1. Alternatively, Frever et
177	approach were valid, applying this single fractionation factor elsewhere, where $\mathrm{NO}_{x},\ \mathrm{O}_{3}$		al. (1993) estimated the isotopic fractionation factor between NO and NO_2 at Julich, Germany over a 1-year period which
178	concentrations and actinic fluxes are different, would be tenuous given that these factors may		averaged at 1.018±0.001 and suggested that this fractionation factor was a combined effect of EIE, KIE and PHIFE.
179	influence the relative importance of EIE, KIE and PHIFE (Hastings et al., 2004; Walters et al.,		Deleted: likely
180	2016). Therefore, to quantify the overall isotopic fractionations between NO and NO ₂ at <u>various</u>		Deleted: any given condition
181	tropospheric conditions, it is crucial to know 1) isotopic fractionation factors of EIE, KIE and		
182	PHIFE individually and 2) the relative importance of each factor <u>under</u> various conditions.		Deleted: in
183	In this work, we aim to quantify the nitrogen isotope fractionation factors between NO and		Deleted: isotopic
184	NO2 at photochemical equilibrium. First, we <u>measured</u> the <u>N isotope</u> fractionations between NO		Deleted: measure
185	and NO ₂ in an atmospheric simulation chamber at <u>atmospherically</u> relevant NO _x levels. Then, we		Deleted: isotopic Deleted: atmospheric
186	provide mathematical solutions to assess the impact of NO _x level and NO ₂ photolysis rate ($i(NO_2)$)		Deleted: j _{N02})
187	to the relative importance of EIE, KIE and PHIFE. Subsequently we use the solutions and chamber		
188	measurements to calculate the isotopic fractionation factors of EIE, KIE and PHIFE. Lastly, using	(Deleted: Last

boz	the calculated fractionation factors and the equations we modeled the NO-NO- isotopic	- Deleted' model	
207	the calculated fractionation factors and the equations, we <u>produced</u> the res-res ₂ isotopic		
208	fractionations at several sites to illustrate the behavior of $\frac{\delta^{15}N}{\delta^{15}N}$ values of NO _x in the ambient	Deleted: nitrogen isotopes	
209	environment.		
210			
211	2. Methods		
212	The experiments were conducted using a 10 m3 Atmospheric Simulation Chamber at the		
213	National Center for Atmospheric Research (see descriptions in supplementary material and Zhang		
214	et al. (2018)). A set of mass flow controllers was used to inject NO and O ₃ into the chamber, NO	Deleted: :	
215	was injected at 1 L min ⁻¹ from an in-house NO/N2 cylinder (133.16 umol mol ⁻¹ NO in ultra-pure	Deleted: concentrated	
216	N ₂), and O ₃ was generated by flowing 5 L min ⁻¹ zero-air through a flow tube equipped with a \underline{UV}	Deleted: ppm	
217	Pen-Ray lamp (UVP LLC., CA) into the chamber. NO and NO2 concentrations were monitored in	Deleted: The wall loss rate of NO ₂ was tested	
218	real time by chemiluminescence with a detection limit of 0.5 ppb (model CLD 88Y, Eco Physics,	Deleted: found to be negligible (see suppleme material	entary
219	MI) as were O ₃ concentrations using an UV absorption spectroscopy with a detection limit of 0.5		
220	ppb (model 49, Thermo Scientific, CO). In each experiment, the actual amounts of NO and O ₃		
221	injected were calculated using measured NO_x and O_3 concentrations after steady state was reached		
222	(usually within 1 h). The wall loss rate of NO ₂ was tested by monitoring O ₃ (29 nmol mol ⁻¹) and	Deleted: ~1 h).	
223	NO_x (62 nmol mol ⁻¹) over a 4-hour period. After the NO and NO_2 concentrations reached steady		
224	state, no decrease in NO2 concentrations was observed showing that chamber wall loss was		
225	negligible.		
226	Two sets of experiments were conducted to separately investigate the EIE, KIE and PHIFE.		
227	The first set of experiments was conducted in the dark. In each of these dark experiments, a range	Deleted: experiment	
228	of NO and O ₃ ([O ₃]<[NO]) was injected into the chamber to produce NO-NO ₂ mixtures with		
229	[NO]/[NO ₂] ratios ranged from 0.43 to 1.17. The N isotopes of these mixtures were used to		

240	investigate the EIE between NO and NO ₂ . The second set of experiments was conducted under		
241	irradiation of UV lights. (300-500 nm, see supplementary material for irradiation spectrum). Under	(Deleted:
242	such conditions, NO, NO2 and O3 reached photochemical steady state, which combined the	(Deleted: r
243	isotopic effects of EIE, KIE and PHIFE. In addition, three experiments were conducted to measure		
244	the δ^{15} N value of the tank NO. In each of these experiments, a certain amount of O ₃ was first	_(Deleted: s
245	injected into the chamber, then approximately the same amount of NO was injected into the	$\left< \right.$	Deleted: e
246	chamber to ensure $\frac{100\%}{100\%}$ of the NO _x was in the form of NO ₂ with little O ₃ (<3 <u>pmol mol⁻¹</u>)	(Deleted: a
247	remaining in the chamber, such that the O3+NO2 reaction was negligible, The NO2 in the chamber	(Deleted: p
248	was then collected and its $\delta^{15}N$ value measured, which equates to the $\delta^{15}N$ value of the tank NO.		Deleted: 8
249	In all experiments, the concentrations of NO, NO ₂ and O ₃ were allowed to reach steady	< (Deleted: -
250	state, and the product NO ₂ was collected from the chamber using a honeycomb denuder tube, The	\langle	Formatted
251	glass denuder tubes (Chemcomb 3500, Thermo Fisher Scientific) were coated with a solution of		Deleted: o
252	10% KOH and 25% guaiacol in methanol and then dried by flowing N2 gas through the denuder	C	Deleteu.
253	tube for 15 seconds (Williams and Grosjean, 1990, Walters et al., 2016). The NO2 reacts with	(Deleted: -
254	guaiacol coating and is converted into NO2 ⁻ that is retained on the denuder tube wall (Williams		
255	and Grosjean, 1990). NO is inert to the denuder tube coating: a control experiment sampled pure	_(Deleted: v
256	NO using the denuder tubes, which did not show any measurable NO2. The NO2 collection	(Deleted: c
257	efficiency of a single honeycomb denuder tube was tested in another control experiment: air	(Deleted: to
258	containing 66 nmol mol ⁻¹ of NO ₂ was drawn out of the chamber through a denuder tube, and the	C	
259	NO2 concentration at the exit of the tube holder was measured and found to be below the detection		
260	limit (<1 nmol mol ⁻¹), suggesting the collection efficiency was nearly 100% when [NO ₂] <66 nmol		
261	mol ⁻¹ . Furthermore, when the denuder system consisted of two denuder tubes in series and NO2 ⁻ in		
262	the second denuder was below the detection limit indicating trivial break NO2 breakthrough. The		
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to be $\sim 100\%$ (see supplementary material). Each be was then rinsed

283	NO2 ⁻ was leached from each denuder tube by rinsing thoroughly with 10 ml deionized water into		
284	a clean polypropylene container and stored frozen until isotopic analysis. Isotopic analysis was		Deleted: centrifuge tube
285	conducted at Purdue Stable Isotope Laboratory. For each sample, approximately 50 nmol of the		
286	NO2 ⁻ extract was mixed with 2 M sodium azide solution in acetic acid buffer in an air-tight glass		
287	vial, then shaken overnight to completely reduce all the NO_2^- to $N_2O_{(g)}$ (Casciotti & McIlvin, 2007;		
288	McIlvin & Altabet, 2005). The product N ₂ O was directed into a <u>Thermo</u> GasBench equipped with	*****	Deleted: Finnigan
289	cryo-trap, then the $\delta^{15}N$ of the N_2O was measured $\underline{\texttt{using}}$ a Delta-V Isotope Ratios Mass	*****	Deleted: by
290	Spectrometer, Six coated denuders tubes that did not get exposed to NO ₂ were also analyzed using		Deleted: (
291	the same chemical procedure, which did not show any measurable signal on the IRMS, suggesting	*****	Deleted:).
292	the blank from both sampling process and the chemical conversion process was negligible. The		
293	overall analytical uncertainty for $\delta^{15}N$ analysis was ± 0.5 ‰ (1 σ) based on replicate analysis of in		
294	house NO_2^- standards.		
295			
295 296	3. Results and Discussions		Deleted: isotopic
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325	the chamber experiments (7.7-62.4 nmol mol ⁻¹), isotopic equilibrium would be reached within 15	1	Deleted: ppb), themol mol ⁻¹), isotopic equilibrium
326	minutes (see supplementary information). Since the sample collection usually started 1 hour after		supplementary information). Since the sample collection usually started \sim hour after NO _x was well mixed in the
327	NO_x was well mixed in the chamber, there was sufficient time to reach full isotope equilibrium.	/ (chamber [1]
328	The isotope equilibrium fractionation factor is then calculated to be:		
329	$\alpha(\text{NO}_2 - \text{NO}) = \frac{[{}^{15}\text{NO}_2] \times [{}^{14}\text{NO}]}{[{}^{14}\text{NO}_2] \times [{}^{15}\text{NO}]} = \frac{\text{R(NO}_2)}{\text{R(NO)}} $ Eq. (1)	_	Deleted: $\alpha_{NO_2-NO} = \frac{[{}^{15}NO_2]*[{}^{14}NO]}{[{}^{14}NO_2]*[{}^{15}NO]} = \frac{R_{NO_2}}{R_{NO}} \xrightarrow{\rightarrow} \rightarrow \rightarrow \rightarrow \rightarrow \to \to$
330	where <u>R(NO, NO₂) are the ${}^{15}N/{}^{14}N$ ratios of NO and NO₂. By definition, the</u>	1	Deleted: $R_{NO1,2}$ is(NO, NO ₂) are the ¹⁵ N/ ¹⁴ N ratioatios
331	$\frac{\delta^{15}N(NO)=(R(NO)/R(reference) - 1) \times 1000\% \text{ and } \delta^{15}N(NO_2)=(R(NO_2)/R(reference) - 1) \times 1000\%}{(R(NO_2) - 1) \times 1000\%}$		$\begin{array}{l} \text{Or NO}_{1,2} \text{ As O } \text{INO}_{1,2} \text{ (RNO}_{2}/\text{ReferenceO and NO}_{2} \text{ By} \\ \text{definition, the } \delta^{15}\text{N(NO)} = (\text{R(NO)/R(reference)} - 1)^* \dots \times 1000 \%, \dots & \dots & [2] \end{array}$
332	but hereafter, the δ^{15} N values of NO, NO ₂ and NO _x will be referred as $\delta(NO)$, $\delta(NO_2)$ and $\delta(NO_x)$,		
333	respectively. Eq. (1) leads to:		
334	$\delta(NO_2) - \delta(NO) = (\alpha(NO_2 - NO) - 1) \times 1000 \% \times (1 + \delta(NO))$		Deleted: $\delta^{15}N_{NO_2} - \delta^{15}N_{NO} \cong (\alpha_{NO_2 - NO} - 1)^*$
225	$-(NO - NO) \times (1 + S \times NO)$ E ₂ (2) d	(Formatted: Font: 11 pt
335	$= \varepsilon(NU_2 - NU) \times (1 + \delta(NU)) $ Eq. (2)	$\langle \rangle$	Deleted: $\%_0 = \varepsilon_{NO_2 - NO}$ ($\%_0$)
		- N	
336	where $\varepsilon(NO_2-NO)$ is the isotope enrichment factor $\varepsilon(NO_2-NO) = (\alpha(NO_2-NO)-1) \times 1000\%$. (Hoefs,		Formatted: Indent: Left: 1"
336	where $\varepsilon(NO_2-NO_2)$ is the isotope enrichment factor $\varepsilon(NO_2-NO_2) = (\alpha(NO_2-NO_2)-1) \times 1000\%$. (Hoefs,) 	Formatted: Indent: Left: 1" Deleted: ε
336 337	where $\varepsilon(NO_2-NO_2)$ is the isotope enrichment factor $\varepsilon(NO_2-NO_2) = (\alpha(NO_2-NO_2)-1) \times 1000\%$, (Hoefs, 2009). Using Eq. (2) and applying NO _x isotopic mass balance $(\delta(NO_x)=f(NO_2)\times\delta(NO_2)+(1-\delta(NO_2))$	\sum_{i}	Formatted: Indent: Left: 1" Deleted: c Formatted
336 337 338	where $\underline{c}(NO_2-NO_2)$ is the isotope enrichment factor $\underline{c}(NO_2-NO_2) = (\alpha(NO_2-NO_2)-1) \times 1000\%$, (Hoefs, 2009). Using Eq. (2) and applying NO _x isotopic mass balance $(\delta(NO_x)=f(NO_2)\times\delta(NO_2)+(1-f(NO_2))\times\delta(NO_2), f(NO_2)=[NO_2]/([NO]+[NO_2]))$ yields:	, Z	Formatted: Indent: Left: 1" Deleted: ε Formatted [3] Deleted: (%) is the isotope enrichment factor ε (NO ₂ - NO) = (α (NO ₂ -NO)-1)×1000%, (Hoefs, 2009). Combiningsing Eq. (2) with the and applying NO _x isotopic mass balance (ε 15Nus = (ω = α *515Nus+(1)=
336 337 338 339	where $\varepsilon(NO_2 - NO_2)$ is the isotope enrichment factor $\varepsilon(NO_2 - NO_2) = (\alpha(NO_2 - NO_2) - 1) \times 1000\%$. (Hoefs, 2009). Using Eq. (2) and applying NO _x isotopic mass balance $(\delta(NO_x) = f(NO_2) \times \delta(NO_2) + (1 - f(NO_2)) \times \delta(NO_2) = [NO_2]/([NO] + [NO_2]))$ yields: $\delta(NO_2) - \delta(NO_x) = \varepsilon(NO_2 - NO_2) \times (1 + \varepsilon(NO_2 - NO_2)) \times (1 + \delta(NO_2)) \times (1 - f(NO_2))$ Eq. (3)		Formatted: Indent: Left: 1" Deleted: ε Formatted [3] Deleted: (%) is the isotope enrichment factor $\varepsilon(NO_2-NO) = (\alpha(NO_2-NO)-1) \times 1000\%$, (Hoefs, 2009). Combiningsing Eq. (2) with thed applying NO _x isotopic mass balance ($\delta^{15}N_{NOx}=f_{NO2}*\delta^{15}N_{NO2}+(1-f_{NO2})*\delta^{15}N_{NO}, f_{NO2}=[[4]]$
336 337 338 339 340	where $\varepsilon(NO_2-NO_2)$ is the isotope enrichment factor $\varepsilon(NO_2-NO_2) = (\alpha(NO_2-NO_2)-1) \times 1000\%$, (Hoefs, 2009). Using Eq. (2) and applying NO _x isotopic mass balance $(\delta(NO_x)=f(NO_2)\times\delta(NO_2)+(1-f(NO_2))\times\delta(NO_2)=[NO_2]/([NO]+[NO_2]))$ yields: $\delta(NO_2) - \delta(NO_x) = \varepsilon(NO_2 - NO) \times (1 + \varepsilon(NO_2 - NO)) \times (1 + \delta(NO_2)) \times (1 - f(NO_2))$ Eq. (3) Here, $\delta(NO_x)$ equals to the $\delta^{15}N$ value of the cylinder NO _x and $f(NO_2)$ is the molar fraction of NO _{2x}		Formatted: Indent: Left: 1" Deleted: ε Formatted [3] Deleted: (%) is the isotope enrichment factor $\varepsilon(NO_2-NO) = (\alpha(NO_2-NO)-1) \times 1000\%$, (Hoefs, 2009). Combiningsing Eq. (2) with thend applying NO _x isotopic mass balance ($\delta^{15}N_{NOx} = f_{NO2} * \delta^{15}N_{NO2} + (1-f_{NO2}) * \delta^{15}N_{NO} - f_{NO2} = [[4]$ Deleted: $\delta^{15}N_{NO_2} - \delta^{15}N_{NO_x} = \varepsilon_{NO_2-NO} * (1 - f_{NO_2}) \rightarrow \rightarrow \rightarrow = Eq. (3)$ In which $\delta^{15}N_{NO2}$ are
336 337 338 339 340 341	where $\varepsilon(NO_2-NO_2)$ is the isotope enrichment factor $\varepsilon(NO_2-NO_2) = (\alpha(NO_2-NO_2)-1)\times 1000\%$. (Hoefs, 2009). Using Eq. (2) and applying NO _x isotopic mass balance $(\delta(NO_x)=f(NO_2)\times\delta(NO_2)+(1-f(NO_2))\times\delta(NO_2), f(NO_2)=[NO_2]/([NO]+[NO_2]))$ yields: $\delta(NO_2) - \delta(NO_x) = \varepsilon(NO_2 - NO) \times (1 + \varepsilon(NO_2 - NO)) \times (1 + \delta(NO_2)) \times (1 - f(NO_2))$ Eq. (3) Here, $\delta(NO_x)$ equals to the $\delta^{15}N$ value of the cylinder NO _x and $f(NO_2)$ is the molar fraction of NO ₂ , with respect to total NO _x . Three experiments (see descriptions in method section) that measured		Formatted: Indent: Left: 1" Deleted: ε Formatted [3] Deleted: (%) is the isotope enrichment factor $\varepsilon(NO_2-NO) = (\alpha(NO_2-NO)-1) \times 1000\%$, (Hoefs, 2009). Combiningsing Eq. (2) with thend applying NO _x isotopic mass balance $(\delta^{15}N_{NOx} = f_{NO2} * \delta^{15}N_{NO2} + (1-f_{NO2})* \delta^{15}N_{NO2} - f_{NO2} - \delta^{15}N_{NOx} = \varepsilon_{NO_2-NO} * (1 - f_{NO_2}) \to \to \to \to = Eq. (3)!$ In which $\delta^{15}N_{NOx}$ and $\delta^{15}N_{NO2}$ are Deleted: total NO _x (equal tohe $\delta^{15}N$ of sourceylinder
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336 337 338 339 340 341 342 343 344	where $\varepsilon(NO_2-NO_2)$ is the isotope enrichment factor $\varepsilon(NO_2-NO_2) = (\alpha(NO_2-NO_2)-1) \times 1000\%$, (Hoefs, 2009). Using Eq. (2) and applying NO _x isotopic mass balance $(\delta(NO_x)=f(NO_2)\times\delta(NO_2)+(1-f(NO_2))\times\delta(NO_2)=[NO_2]/([NO]+[NO_2]))$ yields: $\delta(NO_2) - \delta(NO_x) = \varepsilon(NO_2 - NO) \times (1 + \varepsilon(NO_2 - NO)) \times (1 + \delta(NO_2)) \times (1 - f(NO_2))$ Eq. (3) Here, $\delta(NO_x)$ equals to the $\delta^{15}N$ value of the cylinder NO _x and $f(NO_2)$ is the molar fraction of NO ₂ , with respect to total NO _x . Three experiments (see descriptions in method section) that measured $\delta(NO_x)$ showed consistent $\delta(NO_x)$ values of -58.7±0.8 ‰ (n = 3), indicating $\delta(NO_x)$ remained unchanged throughout the experiments (as expected for isotope mass balance). Thus, the $\delta(NO_x)$ can be treated as a constant in Eq. (3), and the slope of a linear regression of $(\delta(NO_2)-$		Formatted: Indent: Left: 1" Deleted: ϵ Formatted [3] Deleted: (%) is the isotope enrichment factor ϵ (NO ₂ -NO) = (α (NO ₂ -NO)-1)×1000%, (Hoefs, 2009). Combiningsing Eq. (2) with thend applying NO _x isotopic mass balance ($\delta^{15}N_{NOx} = f_{NO2} + \delta^{15}N_{NO2} + (1 - f_{NO2}) + \delta^{15}N_{NO2} - \delta^{15}N_{NOx} = \epsilon_{NO_2 - NO} * (1 - f_{NO_2}) + \delta^{15}N_{NOx} - \delta^{15}N_{NO_2} = \epsilon_{NO_2 - NO} * (1 - f_{NO_2}) + \delta^{15}N_{NOx} = \delta^{15}N_{NO_2}$ are Deleted: total NO _x (equal tohe $\delta^{15}N$ of sourceylinder NO)and $f(NO_2$ respectively, and f_{NO2} is the molar fraction of NO ₂ with respect to total NO _x . Three calibrationxperiments thatsee descriptions in method section) that measured $\delta^{15}N_{NOx}$ before, during and after all the experiments(NO _x) showed consistent $\delta^{15}N_{NOx}(NO_x)$ values of -58.7 ± 0.8 % (n = 3), indicating the $\delta^{15}N_{NOx}(NO_x)$ can be treated as a constant in Eq. (3), $\epsilon^{15}N_{NOx}(NO_x)$ can be treated as a constant in Eq. (3),
 336 337 338 339 340 341 342 343 344 345 	where $\varepsilon(NO_2-NO_2)$ is the isotope enrichment factor $\varepsilon(NO_2-NO_2) = (\alpha(NO_2-NO_2)-1) \times 1000\%$, (Hoefs, 2009). Using Eq. (2) and applying NO _x isotopic mass balance $(\delta(NO_x)=f(NO_2)\times\delta(NO_2)+(1-f(NO_2))\times\delta(NO_2)=[NO_2]/([NO]+[NO_2]))$ yields: $\delta(NO_2) - \delta(NO_x) = \varepsilon(NO_2 - NO) \times (1 + \varepsilon(NO_2 - NO)) \times (1 + \delta(NO_2)) \times (1 - f(NO_2))$ Eq. (3) Here, $\delta(NO_x)$ equals to the $\delta^{15}N$ value of the cylinder NO _x and $f(NO_2)$ is the molar fraction of NO ₂ with respect to total NO _x . Three experiments (see descriptions in method section) that measured $\delta(NO_x)$ showed consistent $\delta(NO_x)$ values of -58.7±0.8 ‰ (n = 3), indicating $\delta(NO_x)$ remained unchanged throughout the experiments (as expected for isotope mass balance). Thus, the $\delta(NO_x)$ can be treated as a constant in Eq. (3), and the slope of a linear regression of $(\delta(NO_2)-\delta(NO_x)/(1+\delta(NO_2))$, versus 1- $f(NO_2)$ yields $\varepsilon(NO_2-NO)/(1+\varepsilon(NO_2-NO))$.		Formatted: Indent: Left: 1" Deleted: a Formatted [3] Deleted: (%0) is the isotope enrichment factor $\epsilon(NO_2-NO) = (\alpha(NO_2-NO)-1) \times 1000\%$, (Hoefs, 2009). Combiningsing Eq. (2) with thend applying NO _x isotopic mass balance ($\delta^{15}N_{NOx} = f_{NO2} \times \delta^{15}N_{NO2} + (1-f_{NO2}) \times \delta^{15}N_{NO} - f_{NO2} = [[4]$ Deleted: $\delta^{15}N_{NO_2} - \delta^{15}N_{NO_x} = \epsilon_{NO_2-NO} * (1 - f_{NO_2}) \rightarrow \rightarrow \rightarrow \rightarrow \pm Eq. (3)^{e}$ In which $\delta^{15}N_{NOx}$ and $\delta^{15}N_{NO2}$ are Deleted: total NO _x (equal tohe $\delta^{15}N$ of sourceylinder NO)and $f(NO_2$ respectively, and f_{NO2} is the molar fraction of NO2with respect to total NO _x . Three calibrationxperiments thatsee descriptions in method section) that measured $\delta^{15}N_{NOx}$ before, during and after all the experiments(NO _x) showed consistent $\delta^{15}N_{NOx}(NO_x)$ values of -58.7±0.8 % (n = 3), indicating the $\delta^{15}N_{NOx}(NO_x)$ can be treated as a constant in Eq. (3), and the slope of a linear regression of $\delta^{15}N_{NOx}-\delta^{15}N_{NOx}[5]$
336 337 338 339 340 341 342 343 344 345	where $\underline{\epsilon}(NO_2-NO_2)$ is the isotope enrichment factor $\underline{\epsilon}(NO_2-NO_2) = (\alpha(NO_2-NO_2)-1) \times 1000\%$, (Hoefs, 2009). Using Eq. (2) and applying NO _x isotopic mass balance $(\delta(NO_x)=f(NO_2)\times\delta(NO_2)+(1-f(NO_2))\times\delta(NO_2)=[NO_2]/([NO]+[NO_2]))$ yields: $\delta(NO_2) - \delta(NO_x) = \epsilon(NO_2 - NO) \times (1 + \epsilon(NO_2 - NO)) \times (1 + \delta(NO_2)) \times (1 - f(NO_2))$ Eq. (3) Here, $\delta(NO_x)$ equals to the $\delta^{15}N$ value of the cylinder NO _x and $f(NO_2)$ is the molar fraction of NO ₂ with respect to total NO _x . Three experiments (see descriptions in method section) that measured $\delta(NO_x)$ showed consistent $\delta(NO_x)$ values of -58.7±0.8 ‰ (n = 3), indicating $\delta(NO_x)$ remained unchanged throughout the experiments (as expected for isotope mass balance). Thus, the $\delta(NO_x)$ can be treated as a constant in Eq. (3), and the slope of a linear regression of $(\delta(NO_2)-\delta(NO_x))/(1+\delta(NO_2))$, versus $1-f(NO_2)$ yields $\epsilon(NO_2-NO)/(1+\epsilon(NO_2-NO))$.		Formatted: Indent: Left: 1" Deleted: : Formatted[3] Deleted: (%) is the isotope enrichment factor $\varepsilon(NO_2-NO) = (\alpha(NO_2-NO)-1)\times 1000\%$, (Hoefs, 2009). Combiningsing Eq. (2) with thend applying NO _x isotopic mass balance ($\delta^{15}N_{NOx} = f_{NO2} * \delta^{15}N_{NO2} + (1-f_{NO2})*\delta^{15}N_{NO} - f_{NO2} = [] [4] Deleted: \delta^{15}N_{NO_2} - \delta^{15}N_{NO_x} = \varepsilon_{NO_2-NO} * (1 - f_{NO_2}) \rightarrow \rightarrow \rightarrow = Eq. (3)!In which \delta^{15}N_{NOx} and \delta^{15}N_{NO2} areDeleted: total NOx (equal tohe \delta^{15}N of sourceylinderNO)and f(NO_2 respectively, and f_{NO2} is the molarfraction of NO2with respect to total NOx. Threecalibrationxperiments thatsee descriptions in methodsection) that measured \delta^{15}N_{NOx} before, during and after allthe experiments(NOx) showed consistent \delta^{15}N_{NOx}(NO_x)values of -58.7 \pm 0.8 \% (n = 3), indicating the\delta^{15}N_{NOx}(NO_x) remained unchanged throughout theexperiments(as expected for isotope mass balance). Thus,the \delta^{15}N_{NOx}(NO_x) can be treated as a constant in Eq. (3),and the slope of a linear regression of \delta^{15}N_{NO2}-\delta^{15}N_{NOx}[5]Formatted: Not Superscript/ Subscript$
336 337 338 339 340 341 342 343 344 345	where $\underline{\epsilon}(NO_2-NO)$ is the isotope enrichment factor $\underline{\epsilon}(NO_2-NO) = (\alpha(NO_2-NO)-1) \times 1000\%$. (Hoefs, 2009). Using Eq. (2) and applying NO _x isotopic mass balance $(\delta(NO_x)=f(NO_2)\times\delta(NO_2)+(1-f(NO_2))\times\delta(NO), f(NO_2)=[NO_2]/([NO]+[NO_2]))$ yields: $\delta(NO_2) - \delta(NO_x) = \epsilon(NO_2 - NO) \times (1 + \epsilon(NO_2 - NO)) \times (1 + \delta(NO_2)) \times (1 - f(NO_2))$ Eq. (3) Here, $\delta(NO_x)$ equals to the $\delta^{15}N$ value of the cylinder NO _x and $f(NO_2)$ is the molar fraction of NO ₂ with respect to total NO _x . Three experiments (see descriptions in method section) that measured $\delta(NO_x)$ showed consistent $\delta(NO_x)$ values of -58.7±0.8 ‰ (n = 3), indicating $\delta(NO_x)$ remained unchanged throughout the experiments (as expected for isotope mass balance). Thus, the $\delta(NO_x)$ can be treated as a constant in Eq. (3), and the slope of a linear regression of $(\delta(NO_2)-\delta(NO_x)/(1+\delta(NO_2))$ versus $1-f(NO_2)$ yields $\epsilon(NO_2-NO)/(1+\epsilon(NO_2-NO))$.		Formatted: Indent: Left: 1" Deleted: i Formatted[3] Deleted: (%) is the isotope enrichment factor $\varepsilon(NO_2-NO) = (\alpha(NO_2-NO)-1)\times 1000\%$, (Hoefs, 2009). Combiningsing Eq. (2) with thend applying NO _x isotopic mass balance ($\delta^{15}N_{NOx} = f_{NO2} * \delta^{15}N_{NO2} + (1-f_{NO2})*\delta^{15}N_{NO}, f_{NO2}=[[4] Deleted: \delta^{15}N_{NO_2} - \delta^{15}N_{NO_x} = \varepsilon_{NO_2-NO} * (1 - f_{NO_2}) \rightarrow \rightarrow \rightarrow = Eq. (3)^{e}In which \delta^{15}N_{NOx} and \delta^{15}N_{NO2} areDeleted: total NOx (equal tohe \delta^{15}N of sourceylinderNO)and f(NO_2 respectively, and f_{NO2} is the molarfraction of NO2with respect to total NOx. Threecalibrationxperiments thatsee descriptions in methodsection) that measured \delta^{15}N_{NOx} before, during and after allthe experiments(NOx) showed consistent \delta^{15}N_{NOx}(NO_x)values of -58.7±0.8 % (n = 3), indicating the\delta^{15}N_{NOx}(NO_x) can be treated as a constant in Eq. (3),and the slope of a linear regression of \delta^{15}N_{NO2}-\delta^{15}N_{NOx} [5]Formatted: Not Superscript/ SubscriptDeleted: (f_{NO2}) represents \varepsilon [6]$

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420	The plot of $(\delta(NO_2)-\delta(NO_x))/(1+\delta(NO_2))$ as a function of $1-f(NO_2)$ values from five
421	experiments vielded an $\varepsilon(NO_2-NO)$ value of 27.5 ± 1.2 % at room temperature. This fractionation
422	factor is comparable to previously measured values but with some differences. Our result agrees
423	well with the $\alpha(NO_2-NO)$ value of 1.028±0.002 obtained by Begun and Melton (1956) at room
424	temperature. However, Walters et al., (2016) determined the α (NO ₂ -NO) values of NO-NO ₂
425	exchange in a 1-liter reaction vessel, which showed a slightly higher $\alpha(NO_2-NO)$ value of 1.035.
426	This discrepancy might originate from rapid heterogeneous reactions on the wall of the reaction
427	vessel at high NO _x concentrations and the small chamber size used by Walters et al. (2016), They
428	used a reaction vessel made of Pyrex, which is known to absorb water (Do Remus et al., 1983;
429	Takei et al., 1997) that can react with NO ₂ forming HONO, HNO ₃ and other <u>N compounds</u> .
430	Additionally, previous studies have suggested that Pyrex walls enhance the formation rate of N2O4
431	by over an order of magnitude (Barney & Finlayson-Pitts, 2000; Saliba et al., 2001), which at
432	isotopic equilibrium, is enriched in ¹⁵ N compared to NO and NO ₂ (Walters & Michalski, 2015).
433	Therefore, their measured $\alpha(NO_2-NO)$ might be slightly higher than the actual $\alpha(NO_2-NO)$ value.
434	In this work, the <u>10 m³ chamber has a much smaller surface to volume ratio relative to Walters et</u>
435	al. (2016) which minimizes wall effects, and the walls were made of Teflon that minimize NO2
436	surface reactivity, which was evidenced by the NO2 wall loss control experiment. Furthermore,
437	the low NO _x mixing ratios in our experiments minimized N_2O_4 and N_2O_3 formation. At NO and
438	NO_2 concentrations of 50 nmol mol ⁻¹ the steady state concentrations of N_2O_4 and N_2O_3 were
439	calculated to be 0.014 and 0.001 pmol mol ⁻¹ , respectively (Atkinson et al., 2004). Therefore, we
440	suggest our measured α (NO ₂ -NO) value (1.0275±0.0012) may better reflect the room temperature
441	(298 K) NO-NO ₂ EIE in the ambient environment.

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474	Unfortunately, the chamber temperation	ture could not be controlled so we were not able to		
475	investigate the temperature dependence of	the EIE. Hence, we speculate that the $\alpha(NO_2-NO)$		
476	follows a similar temperature dependence pa	ttern calculated in Walters et al. (2016). Walters et al.		
477	(2016) suggested that, the $\varepsilon(NO_2-NO)$ value	would be 4.7 ‰ higher at 273 K and 2.0 ‰ lower at		
478	310 K, relative to room temperature (298 K).	Using this pattern and our experimentally determined		
479	data, we suggest the $\alpha(NO_2-NO)$ values at 2	73 K, 298 K and 310 K are 32.2±1.2 ‰, 27.5±1.2 ‰		
480	and 25.5±1.2 ‰, respectively. This 6.7‰ v	ariation at least partially contribute to the daily and		
481	seasonal variations of δ^{15} N values of NO ₂ and	d nitrate in some areas (e.g., polar regions with strong		
482	seasonal temperature variation). Thus, future	investigations should be conducted to verify the EIE		
483	temperature dependence.			
484				
485	3.2. Kinetic isotopic fractionation of Leigh	ton Cycle		
486	The photochemical reactions of NO _x	vill compete with the isotope exchange fractionations	< (Deleted: complicate
487	between NO and NO ₂ . The NO-NO ₂ photoe	hemical cycle in the chamber was controlled by the	(Deleted: isotopic Deleted: Since there were no VOCs or OH sources in the
488	Leighton cycle: NO2 photolysis and the NO	+ O ₃ reaction. This is because there were no VOCs in		chamber (the photolysis of O_3 as the OH precursor is minor at the wavelength of blacklights used in the chamber), the formation of RO ₂ and HO ₂ can be neglected, and the
489	the chamber so no RO ₂ was produced, which	excludes the NO + RO_2 reaction. Likewise, the low	V	Deleted: photochemistry
100	water water content (PH<10%) and the min	or flux of photons < 210 pm results in minimal OH	Y	Deleted: Hence the
490	water vapor content (RTS1076) and the min	or nux or photons < 510 mil results in minimar Ori		
491	production and hence little HO ₂ formation	and subsequently trivial amount of NO2 would be		
492	formed by NO + HO ₂ . Applying these limiti	ng assumptions, the EIE between NO and NO ₂ (R1-		
493	R2) were only competing with the KIE (R3-	R4) and the PHIFE in R5-R6;		Deleted: were competing with the EIE between NO and NO ₂ (R1-R2):
494	$^{14}NO_2 \rightarrow ^{14}NO+O$	R3, rate constant= $j(NO_2)$	(Deleted: j _{NO2}
495	$^{15}NO_2 \rightarrow ^{15}NO+O$	R4, rate constant= $\underline{i(NO_2) \times \alpha_1}$	(Deleted: j _{NO2} *
496	$^{14}NO+O_3 \rightarrow ^{14}NO_2+O_2$	R5, rate constant= k_5	(Formatted: Font: Italic

509	$^{15}NO+O_3 \rightarrow ^{15}NO_2+O_2$	R6, rate constant= $k_5 \times \alpha_2$		Deleted: *
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510	In which $j(NO_2)$ is the NO ₂ photolysis rate	$(1.4 \times 10^{-3} \text{ s}^{-1} \text{ in these} \text{ experiments}), k_5 \text{ is the rate}$	constant	Deleted: j _{NO2}
E11	for the NO+O, reaction (1.72×10^{-14}) or	a^3 a^{-1} Attringon at al. 2004) and a_{12} are	isotonia	Deleted: *
511	for the $NO+O_3$ reaction $(1.75,10$ cm	1° S, Atkinson et al., 2004), and $\alpha_{1,2}$ are	Isotopic	Deleted: the
512	fractionation factors for the two reaction	s. Previous studies (Freyer et al., 1993; Walter	rs et al.,	Formatted: Font: Italic
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513	2016) have attempted to assess the compe	etition between EIE (R1-R2), KIE and PHIFE (R3-R6),	Deleted: molecules ⁻¹
514	but none of them quantified the relative in	aportance of the two processes, nor were α_1 or α_2	a ₂ values	Deleted: of
515	experimentally determined. Here we provi	de the mathematical solution of EIE, KIE and P	HIFE to	
516	illustrate how R1-R6 affect the isotopic fr	actionations between NO and NO ₂ .		
517	First, the NO_2 lifetime with respec	t to isotopic exchange with NO (Texchange) and ph	notolysis	Deleted: To demonstrate the competition between R1-R2 and R3-R6, we define:
518	(τ_{photo}) was determined:			$A = \begin{pmatrix} \frac{\iota_{exchange}}{\tau_{photo}} & when j_{NO_2} \neq 0 \\ \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow Eq. (4) \end{pmatrix}$
	1			$0 \qquad when j_{NO_2} = 0$
519	$\tau_{\text{exchange}} = \frac{1}{\mathbf{k}_1 \times [\text{NO}]}$		<u>Eq. (4)</u>	In which $\tau_{exchange}$ is
				Polotodi and a size the NO lifetime with remeet to
520	$\tau_{\rm photo} = \frac{1}{i(NO_2)}$		Eq. (5)	Deleted: and t _{photo} is the iNO ₂ methic with respect to
	, (· · 2)		\sim	Deleted. t _{exchange}
521	We then define an A factor:			Deleted: $\frac{1}{k_1 + [NO]}$
	Texchange			Deleted: $\tau_{photo} = \frac{1}{j_{NO_2}} \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow \text{Eq. (6)}$
522	$\Lambda = \begin{pmatrix} \frac{c_{\text{xchange}}}{\tau_{\text{photo}}} & \text{when } j(\text{NO}) \end{pmatrix}$	₂)≠0	Eq. (6)	The expression for A,
522	A =	(-) = 0	<u>Eq. (0)</u>	
		2) = 0		Deleted:) were used to derive the $\delta^{15}N_{use}$ $\delta^{15}N_{use}$ and
523	Using R1-R6 and Eq. (1)-(6), we solved a	steady-state $\delta(NO_2)$ and $\delta(NO)$ values (see calc	ulations	$\delta^{15}N_{NO2}$ - $\delta^{15}N_{NOx}$ values at
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524	in supplementary material). Our calculat	ions show that the $\delta(NO_2)-\delta(NO)$ and $\delta(NO_2)$	<u>-δ(NO_x)</u>	Deleted: calculation
				Deleted:):
525	values at steady state can be expressed as	functions of α_1 , α_2 , $\alpha(NO_2-NO)$ and A:		Deleted: $\rightarrow \delta^{15} N_{NO_2} - \delta^{15} N_{NO}(\%) =$
526	$S_{\alpha}NO = S_{\alpha}NO = (\alpha_2 - \alpha_1) \times A^{-1}$	$(\alpha(NO_2 - NO)^{-1}) \times 1000.04$	Fa (7)	$\left(\frac{(\alpha_2 - \alpha_1)^* A + (\alpha_{NO_2 - NO} - 1)}{A + 1} *\right)$
520	$-0(NO_2) - 0(NO)(900)$	A+1 × 1000 %00	Eq. (7)	$\mathbf{Deleted:} \rightarrow \delta^{15} N_{NO_2} - \delta^{15} N_{NO_x}(\%_0) =$
527	$(\alpha_2 - \alpha_1) \times A$	$+(\alpha(NO_2-NO_2)^{-1})$ × 1 $f(NO_2)$ × 1000 0/	E ~ (9)	$\frac{(\alpha_2 - \alpha_1)^* A + (\alpha_{NO_2 - NO} - 1)}{4 + 1} * (1 - f_{NO_2}) * 1000 \%_{0} \rightarrow \text{Eq. (8)}$
D27	$\frac{o(NO_2) - o(NO_x)(\%00)}{2} = \frac{1}{2}$	A+1	<u>Eq. (0)</u>	$(\textbf{Deleted:} (\delta^{15}N_{NO2} - \delta^{15}N_{NO}))$
528	Faultion (7) shows the isotonic fraction	tion between NO and NO ₂ (8(NO ₂)-8(NO)) is	largely	Deleted: α _{NO2}
520	Equation (7) shows the isotopic fractiona	and $100_2 \frac{10110_2 - 0(100)}{100}$ is		Formatted: Not Superscript/ Subscript
529	determined by A, the EIE factor (α (NO ₂ -	NO ₂₋₁) and the $(\alpha_2 - \alpha_1)$ factor. This $(\alpha_2 - \alpha_1)$ repr	resents a	Deleted: -
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228	combination of KIE and PHIPE, suggesting they act together as one factor; therefore, we name the
560	(α ₂ -α ₁) factor Leighton Cycle Isotopic Effect, i.e., LCIE. Using measured <u>δ(NO₂)-δ(NO)</u> values,
561	A values, and the previously determined EIE factor, we calculated that the best fit for the LCIE
562	factor was -10 ± 5 , $\frac{10}{5}$, $\frac{10}{5}$, Fig. 1B). The uncertainties in the LCIE factor are relatively higher
563	than that of the EIE factor, mainly because of the accumulated analytical uncertainties at low NOx
564	and O ₃ concentrations, and low A values (0.10-0.28) due to the relatively low $j(NO_2)$ value
565	(1.4×10 ⁻³ s ⁻¹) under the chamber irradiation conditions.
566	This LCIE factor determined in our experiments is in good agreement with theoretical
567	calculations. Walters and Michalski (2016) previously used an ab initio approach to determine an
568	α_2 value of 0.9933 at room temperature, 0.9943 at 237 K and 0.9929 at 310 K. The variation of α_2
569	values from 273 K to 310 K is only $\pm 0.7 \%$, significantly smaller than our experimental uncertainty.
570	The α_1 value was calculated using a ZPE shift model (Miller & Yung, 2000) to calculate the
571	isotopic fractionation of NO2 by photolysis. Briefly, this model assumes both isotopologues have
572	the same quantum yield function and the PHIFE was only caused by the differences in the ${}^{15}NO_2$
573	and ¹⁴ NO ₂ absorption cross-section as a function of wavelength, thus α_1 values do not vary by
574	temperature. The ¹⁵ NO ₂ absorption cross-section was calculated by shifting the ¹⁴ NO ₂ absorption
575	cross-section by the ¹⁵ NO ₂ zero-point energy (Michalski et al., 2004). When the ZPE shift model
576	was used with the irradiation spectrum of the chamber lights, the resulting α_1 value was 1.0023.
577	Therefore, the theoretically predicted α_2 - α_1 value should be -0.0090, i.e., -9.0±0.7 ‰ when
578	temperature ranges from 273 K to 310 K. This result shows excellent agreement with our
579	experimentally determined room temperature α_2 - α_1 value of -10±5 ‰.
580	This model was then used to evaluate the variations of α_1 value to different lighting

combination of KIF and PHIFF suggesting they act to aath fact 550 **41** £

conditions. The TUV model (TUV5.3.2, Madronich & Flocke, 1999) was used to calculate the 581

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592	solar wavelength spectrum at three different conditions: early morning/late afternoon (solar zenith
593	angle=85 degree), mid-morning/afternoon (solar zenith angle=45 degree), noon (solar zenith
594	angle=0 degree). These spectrums were used in the ZPE shift model to calculate the α_1 values,
595	which are 1.0025, 1.0028, and 1.0029 at solar zenith angles of 85, 45 and 0 degree, respectively.
596	These values, along with the predicted α_1 value in the chamber, showed a total span of 0.6‰
597	(1.0026 \pm 0.0003), which is again significantly smaller than our measured uncertainty. Therefore,
598	we suggest that our experimentally determined LCIE factor (-10±5 ‰) can be used in most
599	tropospheric solar irradiation spectrums.
600	The equations can also be applied in tropospheric environments to calculate the combined
601	isotopic fractionations of EIE and LCIE for NO and NO2. First, the NO2 sink reactions (mainly
602	NO ₂ +OH in the daytime) are at least 2-3 orders of magnitude slower than the Leighton cycle and
603	the NO-NO ₂ isotope exchange reactions (Walters et al., 2016), therefore their effects on the δ (NO ₂)
604	should be <u>minor</u> . Second, although the conversion of NO <u>into</u> NO ₂ in the ambient environment is
605	also controlled by NO + RO ₂ and HO ₂ in addition to NO+O ₃ (e.g., King et al., 2001), Eq. (7) still

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determined the annual average daytime $\partial(NO_2) - \partial(NO)$ at Julich, Germany along with average	Deleted: me
deutime NO concentration (0 nmol mol ⁻¹ similar to our experimental conditions) to be	Deleted: δ^{15}
daytime NO concentration 15 <u>unior mor</u> , similar to our experimental conditions) to be	Deleted: (~
+18.03 \pm 0.98 %. Using Eq. (7), assuming the daytime average $i(NO_2)$ value throughout the year	Deleted: ppl
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was $5.0\pm1.0\times10^{-3}$, and a calculated A value from measured NO _x concentration ranged from 0.22-	Deleted: *
0.33, the average NO-NO ₂ fractionation factor was calculated to be +18.8 \pm 1.4 ‰ (Fig. 1B), in	

excellent agreement with the measurements in the present study. This agreement suggests the

NO+RO2/HO2 reactions might have similar fractionation factors as NO+O3. Therefore, we suggest

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Eq. (7) and (8) can be used to estimate the isotopic fractionations between NO and NO₂ in the

636 <u>troposphere (Fig. 1C).</u>

637

638 3.3 Calculating nitrogen isotopic fractionations of NO-NO₂

639 First, Eq. (7) was used to calculate the $\Delta(NO_2 - NO) = \delta(NO_2) - \delta(NO)$ at a wide range of 640 NO_x concentrations, $f(NO_2)$ and $j(NO_2)$ values (Fig. 2A-D). $j(NO_2)$ values of 0 s⁻¹ (Fig. 2A), $1.4 \ge 10^{-3} \text{ s}^{-1}$ (Fig. 2B), $5 \ge 10^{-3} \text{ s}^{-1}$ (Fig. 2C) and $1 \ge 10^{-2} \text{ s}^{-1}$ (Fig. 2D) were selected to represent 641 642 nighttime, dawn (as well as the laboratory conditions of our experiments), daytime average and 643 noon, respectively. Each panel represented a fixed $j(NO_2)$ value, and the $\Delta(NO_2-NO)$ values were calculated as a function of the A value, which was derived from NO_x concentration and $f(NO_2)$. 644 The A values have a large span, from 0 to 500, depending on the $i(NO_2)$ value and the NO 645 concentration. When A=0 ($\underline{i(NO_2)}=0$) and $\underline{f(NO_2)}\leq 1$ (meaning NO-NO₂ coexist and [O₃]=0), Eq. 646 (7) and (8) become Eq. (2) and (3), showing the EIE was the sole factor, the Δ (NO₂-NO) values 647 were solely controlled by EIE which has a constant value of +27.5 % at 298K (Fig. 2A). When 648 649 $\underline{i(NO_2)} > 0$, the calculated $\underline{A(NO_2-NO)}$ values showed a wide range from -10,0 % (controlled by 650 LCIE factor: $\alpha_2 - \alpha_1 = -10$, ∞) to +27.5 ∞ (controlled by EIE factor: $\alpha(NO_2 - NO_2 - 1 = +27.5)$ ∞). Fig. 2B-D display the transition from a LCIE-dominated regime to an EIE-dominated regime. The 651 652 LCIE-dominated regime is characterized by $low [NO_x] (< 50 \text{ pmol mol}^{-1})$, representing remote 653 ocean areas and polar regions (Beine et al., 2002; Custard et al., 2015). At this range the A value 654 can be greater than 200, thus Eq. (7) can be simplified as: $\Delta(NO_2-NO) = (\alpha_2-\alpha_1) \times 1000$ %, 655 suggesting the LCIE almost exclusively controls the NO-NO₂ isotopic fractionation. The Δ (NO₂-NO) values of these regions are predicted to be <0 % during most time of the day and < -5 % at 656 657 noon. On the other hand, the EIE-dominated regime was characterized by high [NOx] (>20 mmol

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695	\underline{mol}^{-1}) and low $\underline{f(NO_2)}$ (< 0.6), representative of regions with intensive NO emissions, e.g., <u>near</u>		De
696	roadside or stack plumes (Clapp & Jenkin, 2001; Kimbrough et al., 2017). In this case, the $\tau_{exchange}$		
697	are relatively short (10-50 s) compared to the τ_{photo} (approximately 100 s at noon and 1000 s at	\leq	De
698	dawn), therefore the A values are small $(0.01-0.5)$. The EIE factor in this regime thus is much more		De
699	important than the LCIE factor, resulting in high Δ (NO ₂ -NO) values (>20 %). Between the two		De
700	regimes, both EIE and LCIE are competitive and therefore it is necessary to use Eq. (7) to quantify		
701	the $\Delta(NO_2-NO)$ values.	*****	De
702	Fig. 2 also implies that changes in the $j(NO_2)$ value can cause the diurnal variations in	~~~	De
703	Δ (NO ₂ -NO) values. Changing i (NO ₂) would affect the value of A and consequently the NO-NO ₂		De
704	isotopic fractionations in two ways: 1) changes in i(NO2) value would change the photolysis		De
705	intensity, therefore the τ_{photo} value; 2) in addition, changes in $\underline{i(NO_2)}$ value would also alter the		De
706	steady state NO concentration, therefore changing the $\tau_{exchange}$ (Fig. 2C). The combined effect of		De
707	these two factors on the A value varies along with the atmospheric conditions, and thus needs to		
708	be carefully calculated using NOx concentration data and atmospheric chemistry models.		De
709	We then calculated the differences of δ^{15} N values between NO ₂ and total NO ₂ , e.g. Δ (NO ₂ -4)		Fo
710	<u>NO_x) = $\delta(NO_2)-\delta(NO_x)$ in</u> Fig. 2E-H _ε Since $\Delta(NO_2-NO_x)$ are connected through the observed $\delta^{15}N$		De
711	of NO ₂ (or nitrate) to the δ^{15} N of NO _x <u>sources</u> , this term might be useful in field studies (e.g.,		De
712	Chang et al., 2018; Zong et al., 2017). The calculated ((NO ₂ -NO ₃) values (Fig. 2E-H) also showed		De
713	a LCIE-dominated regime at low [NO _x] and an EIE-dominated regime at high [NO _x]. The Δ (NO ₂	$\langle \rangle$	De
714	<u>NO_x</u>) values were dampened by the $1-f(NO_2)$ factor comparing to $\Delta(NO_2-NO)$, as shown in Eq.		De
715	(3) and (8): $\Delta(NO_2-NO_x) = \Delta(NO_2-NO) \times (1-f(NO_2))$. At high $f(NO_2)$ values (>0.8), the differences	L	De
716	between $\delta(NO_2)$ and $\delta(NO_2)$ were less than 5 ‰, thus the measured $\delta(NO_2)$ values were similar to		De
717	$\delta(NO_{\rm e})$ although the isotonic fractionation between NO and NO ₂ could be noteworthy. Some		De
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750	ambient environments with significant NO emissions or high NO_2 photolysis rates usually have	
751	(NO ₂) values between 0.4-0.8 (Mazzeo et al., 2005; Vicars et al., 2013). In this scenario, the	 Deleted: <i>f</i> _{NO2}
752	Δ (NO ₂ -NO _x) values in Fig. 2F-H showed wide ranges of -4.8 ‰ to +15.6 ‰, -6.0 ‰ to +15.0 ‰,	 Deleted: $\delta^{15}N_{N0}$
753	and -6.3 ‰ to +14.2 ‰ at $i(NO_2)=1.4 \times 10^{-3} \text{ s}^{-1}$, $5 \times 10^{-3} \text{ s}^{-1}$, $1 \times 10^{-2} \text{ s}^{-1}$, respectively. These significant	Deleted: j _{NO2} =
754	differences again highlighted the importance of both LCIE and EIE (Eq. (7) and (8)) in calculating	Deleted: *
755	the $\Delta(NO_2-NO_3)$. In the following discussion, we assume 1) the α_1 value remain constant (see	Deleted: * Deleted: δ ¹⁵ N _M
756	discussion above), 2) the NO+RO ₂ /HO ₂ reactions have the same fractionation factors (α_2) as	
757	NO+O ₃ , and 3) both EIE and LCIE do not display significant temperature dependence, then use	
758	Equations (7) and (8) and this laboratory determined LCIE factor (-10 ‰) to calculate the nitrogen	
759	isotopic fractionation between NO and NO2 at various tropospheric atmospheric conditions.	
760		
761	4. Implications	
762	<u>The</u> daily <u>variations</u> of $\Delta(NO_2-NO_x)$ values at two roadside NO _x monitoring sites were	 Deleted: We fir
762 763	<u>The daily variations</u> of $\Delta(NO_2-NO_x)$ values at two roadside NO _x monitoring sites were predicted to demonstrate the effects of NO _x concentrations to the NO-NO ₂ isotopic fractionations.	Deleted: We fin Deleted: variati Deleted: δ ¹⁵ N _N
762 763 764	The daily variations of $\Delta(NO_2-NO_x)$ values at two roadside NO _x monitoring sites, were predicted to demonstrate the effects of NO _x concentrations to the NO-NO ₂ isotopic fractionations. Hourly NO and NO ₂ concentrations were acquired from <u>a roadside site</u> at Anaheim, CA	Deleted: We fin Deleted: variati Deleted: δ ¹⁵ N _{N0} Deleted: .
762 763 764 765	The daily variations of $\Delta(NO_2-NO_x)$ values at two roadside NO _x monitoring sites, were predicted to demonstrate the effects of NO _x concentrations to the NO-NO ₂ isotopic fractionations. Hourly NO and NO ₂ concentrations were acquired from <u>a roadside site</u> at Anaheim, CA (https://www.arb.ca.gov) and <u>an urban site at</u> Evansville, IN (http://idem.tx.sutron.com) on July	Deleted: We fir Deleted: variati Deleted: δ ¹⁵ N _N Deleted: . Deleted: was Deleted: two si
762 763 764 765 766	The daily variations of $\Delta(NO_2-NO_x)$ values at two roadside NO _x monitoring sites, were predicted to demonstrate the effects of NO _x concentrations to the NO-NO ₂ isotopic fractionations. Hourly NO and NO ₂ concentrations were acquired from <u>a roadside site</u> at Anaheim, CA (https://www.arb.ca.gov) and <u>an urban site at</u> Evansville, IN (http://idem.tx.sutron.com) on July 25, 2018, The hourly <u>i(NO₂)</u> values output from the TUV model (Madronich & Flocke, 1999) at	Deleted: We fir Deleted: variati Deleted: $\delta^{15}N_{\rm M}$ Deleted: . Deleted: was Deleted: two si Deleted: , then
762 763 764 765 766 767	The daily variations of $\Delta(NO_2-NO_x)$ values at two roadside NO _x monitoring sites, were predicted to demonstrate the effects of NO _x concentrations to the NO-NO ₂ isotopic fractionations. Hourly NO and NO ₂ concentrations were acquired from <u>a</u> roadside site at Anaheim, CA (https://www.arb.ca.gov) and <u>an urban site at Evansville</u> , IN (http://idem.tx.sutron.com) on July 25, 2018, The hourly <i>j</i> (NO ₂) values output from the TUV model (Madronich & Flocke, 1999) at these locations was used to calculate the daily variations of $\Delta(NO_2-NO_x)$ values (Fig. 3A, B) by	Deleted: We fir Deleted: variati Deleted: $\delta^{15}N_{M}$ Deleted: . Deleted: was Deleted: two si Deleted: , then Deleted: $\delta^{15}N_{M}$
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762 763 764 765 766 767 768 769 770	The daily variations of $\Delta(NO_2-NO_x)$ values at two roadside NO _x monitoring sites, were predicted to demonstrate the effects of NO _x concentrations to the NO-NO ₂ isotopic fractionations. Hourly NO and NO ₂ concentrations were acquired from <u>a</u> roadside site at Anaheim, CA (https://www.arb.ca.gov) and <u>an urban site at</u> Evansville, IN (http://idem.tx.sutron.com) on July 25, 2018, The hourly <i>j</i> (NO ₂) values output from the TUV model (Madronich & Flocke, 1999) at these locations was used to calculate the daily variations of $\Delta(NO_2-NO_x)$ values (Fig. 3A, B) by applying Eq. (8). Hourly NO _x concentrations were 12-51 <u>nmol mol⁻¹</u> at Anaheim and 9-38 <u>nmol</u> mol ⁻¹ at Evansville and the <i>f</i> (NO ₂) values at both sites did not show significant daily variations (0.45±0.07 at Anaheim and 0.65±0.08 at Evansville), likely because the NO _x concentrations were controlled by the high NO emissions from the road (Gao, 2007). The calculated $\Delta(NO_2-NO_x)$	Deleted: We fin Deleted: variati Deleted: variati Deleted: $\delta^{15}N_{M}$ Deleted: was Deleted: two si Deleted: $\delta^{15}N_{M}$ Deleted: $\delta^{15}N_{M}$ Deleted: $sing$ Deleted: using Deleted: ppb Deleted: f_{N02}
762 763 764 765 766 767 768 769 770 771	The daily variations of $\Delta(NO_2-NO_3)$ values at two roadside NO _x monitoring sites, were predicted to demonstrate the effects of NO _x concentrations to the NO-NO ₂ isotopic fractionations. Hourly NO and NO ₂ concentrations were acquired from <u>a roadside site</u> at Anaheim, CA (https://www.arb.ca.gov) and <u>an urban site at Evansville</u> , IN (http://idem.tx.sutron.com) on July 25, 2018, The hourly <i>j</i> (NO ₂) values output from the TUV model (Madronich & Flocke, 1999) at these locations was used to calculate the daily variations of $\Delta(NO_2-NO_x)$ values (Fig. 3A, B) by applying Eq. (8). Hourly NO _x concentrations were 12-51 <u>nmol mol⁻¹</u> at Anaheim and 9-38 <u>nmol</u> mol ⁻¹ at Evansville and the <i>f</i> (NO ₂) values at both sites did not show significant daily variations (0.45±0.07 at Anaheim and 0.65±0.08 at Evansville), likely because the NO _x concentrations were controlled by the high NO emissions from the road (Gao, 2007). The calculated $\Delta(NO_2-NO_x)$ values using Eq. (8) showed significant diurnal variations. During the nightime, the isotopic	Deleted: We fin Deleted: variati Deleted: variati Deleted: δ ¹⁵ N _M Deleted: was Deleted: two si Deleted: two si Deleted: o ¹⁵ N _M Deleted: o ¹⁵ N _M Deleted: ppb Deleted: ppb Deleted: f _{NO2}

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795	fractionations were solely controlled by the EIE, the predicted $\Delta(NO_2-NO_x)$ values were	Deleted: $\delta^{15}N_{NO2}$ - $\delta^{15}N_{NOx}$
796	+14.5±2.0 ‰ and +8.7±2.1 ‰ at Anaheim and Evansville, respectively. During the daytime, the	
797	existence of LCIE lowered the predicted $\Delta(NO_2-NO_x)$ values to +9.8±1.7 ‰ at Anaheim and	$\fboxline \label{eq:Deleted:sistematical} \fboxline \label{eq:Deleted:sistematical} \fboxline \label{eq:Deleted:sistematical} \vspace{-1.5mm} \rspace{-1.5mm} -1.$
798	+3.1 \pm 1.5 ‰ at Evansville while the $f(NO_2)$ values at both sites remained similar. The lowest	Deleted: f _{N02}
799	Δ (NO ₂ -NO _x) values for both sites (+7.0 ‰ and +1.7 ‰) occurred around noon when the NO _x	$\fboxlight \textbf{Deleted: } \delta^{15}N_{NO2}\text{-}\delta^{15}N_{NOx}$
800	photolysis was the most intense. In contrast, if one neglects the LCIE factor in the daytime, the	
801	Δ (NO ₂ -NO _x) values would be +12.9±1.5 ‰ and +10.0±1.6 ‰ respectively, an overestimation of	$\begin{tabular}{lllllllllllllllllllllllllllllllllll$
802	3.1 ‰ and 6.9 ‰. These discrepancies suggested that the LCIE played an important role in the	
803	NO-NO ₂ isotopic fractionations and neglecting it could bias the NO_x source apportionment using	
804	δ^{15} N of NO ₂ or nitrate.	
805	The role of LCIE was more important in less polluted sites. The $\Delta(NO_2-NO_3)$ values	Deleted: We
806	calculated <u>for a suburban site near</u> San Diego, CA, USA, again using the hourly NO _x	Deleted: the $\delta^{15}N_{NO2}$ - $\delta^{15}N_{NOx}$ (assuming steady state isotopic fractionation) at
807	concentrations (https://www.arb.ca.gov, Fig. 3C) and $\frac{j(NO_2)}{j(NO_2)}$ values calculated from the TUV	Deleted: j _{N02}
808	model. NO _x concentrations at this site varied from 1 to 9 <u>nmol mol⁻¹</u> . During the nighttime, NO _x	Deleted: ppb
809	was in the form of NO ₂ ($f(NO_2) = 1$) because O ₃ concentrations were higher than NO _x , thus the	Deleted: f _{NO2}
810	$\delta(NO_2)$ values should be identical to $\delta(NO_x) (\Delta(NO_2-NO_x) = 0)$. In the daytime a certain amount	Deleted: δ ¹⁵ N _{N02}
811	of NO was produced by direct NO emission and NO ₂ photolysis but the $f(NO_2)$ was still high	Deleted: 0"N _{N0x} .
812	(0.73±0.08). Our calculation suggested the daytime $A(NO_2-NO_x)$ values should be only +1.3±3.2 %	$\begin{tabular}{lllllllllllllllllllllllllllllllllll$
813	with a lowest value of -1.3 $\%$. These Δ (NO ₂ -NO _x) values were similar to the observed and modeled	Deleted: δ ¹⁵ N _{N02} -δ ¹⁵ N _{N0x}
814	summer daytime $\delta(NO_2)$ values in West Lafayette, IN (Walters et al., 2018), which suggest the	Deleted: agree well with Deleted: modelled
815	average daytime $\Delta(NO_2-NO_3)$ values at NO _x = 3.9±1.2 <u>nmol mol⁻¹</u> should range from +0.1 ‰ to	$\begin{tabular}{ c c c c c } \hline \textbf{Deleted: $\delta^{15}N_{NO2}$} \\ \hline \textbf{Deleted: $\delta^{15}N_{NO2}$-$\delta^{15}N_{NOx}$} \\ \hline \end{tabular}$
816	+2.4 ‰. In this regime, we suggest the $\Delta(NO_2-NO_x)$ values were generally small due to the	Deleted: ppb
817	significant contribution of LCIE, and high f(NO2).	Deleted: .
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841	The LCIE should be the dominant factor controlling the NO-NO ₂ isotopic fractionation at		
842	remote regions, resulting in a completely different diurnal pattern of $\Delta(NO_2-NO_x)$ compared with	(
843	the urban-suburban area. Direct hourly measurements of NO_x at remote sites are rare, thus we used		
844	total NO _x concentration of 50 pmol mol ⁻¹ , daily O ₃ concentration of 20 nmol mol ⁻¹ at Summit,	\leq	
845	Greenland (Dibb et al., 2002; Hastings et al., 2004; Honrath et al., 1999; Yang et al., 2002), and		
846	assumed the conversion of NO to NO_2 was completely controlled by O_3 to calculate the NO/NO_2		
847	ratios. Here the isotopes of NO_x were <u>almost exclusively</u> controlled by the LCIE due to the high	(
848	A values (>110). The Δ (NO ₂ -NO _x) values displayed a clear diurnal pattern (Fig. 3D) with highest	(
849	value of -0.3 $\%$ in the "nighttime" (solar zenith angle >85 degree) and lowest value of -5.0 $\%$ in		
850	the mid-day. This suggest that the isotopic fractionations between NO and NO2 were almost		
851	completely controlled by LCIE at remote regions, when NO _x concentrations were <0.1 nmol mol ⁻		
852	$\stackrel{l}{\underline{}}$. However, since the isotopic fractionation factors of nitrate-formation reactions (NO ₂ +OH,	1	
853	NO3+HC, N2O5+H2O) are still unknown, more studies are needed to fully explain the daily and	1	
854	seasonal variations of $\delta(NO_3)$ at remote regions.		
855	Nevertheless, our results have a few limitations. First, currently there are very few field	\sim	
856	observations that can be used to evaluate our model, therefore, future field observations that		
857	measure the δ^{15} N values of ambient NO and NO ₂ should be carried out to test our model. Second,		
858	more work, including theoretical and experimental studies, is needed to investigate the isotope		
859	fractionation factors occurring during the conversion from NO_x to NO_y and nitrate: in the NO_y		
860	cycle, EIE (isotopic exchange between NO ₂ , NO ₃ and N ₂ O ₅), KIE (formation of NO ₃ , N ₂ O ₅ and		
861	nitrate) and PHIFE (photolysis of NO3, N2O5, HONO and sometimes nitrate) may also exist and		
862	be relevant for the δ^{15} N of HNO ₃ and HONO. In particular, the N isotope fractionation occurring		
863	during the NO ₂ + OH \rightarrow HNO ₃ reaction needs investigation. Such studies could help us modeling		

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Deleted: This calculated daily variation of 4.7 ‰ was similar to the observed $\delta^{15}N$ of nitrate ($\delta^{15}N_{nitrate}$) in near-surface snow: Hastings et al. (2004) found that $\delta^{15}N_{nitrate}$ of samples collected at early night (19:30) was ~4.5 ‰ lower than those collected at early morning (07:00). Since the nitrate samples were collected from the near surface, we suggest that the early night samples should represent nitrate accumulated in the daytime, and the morning samples should represent near the nitrate formed in the "nighttime". This observation was in general agreement with our prediction, indicating that the $\delta^{15}N_{N02}$ might played an important role in determining the $\delta^{15}N_{nitrate}$.

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882	the isotopic fractionation between NO_{x} emission and nitrate, and eventually enable us to analyze
883	the $\delta^{15}N$ value of NO_x emission by measuring the $\delta^{15}N$ values of nitrate aerosols. Third, our
884	discussion only focuses on the reactive nitrogen chemistry in the troposphere, however, the
885	nitrogen chemistry in the stratosphere is drastically different from the tropospheric chemistry, thus
886	future studies are also needed to investigate the isotopic fractionations in the stratospheric nitrogen
887	chemistry. Last, the temperature dependence of both EIE and LCIE needs to be carefully
888	investigated because of the wide range of temperature in both troposphere and stratosphere, and
889	the temperature dependence could also contribute to the seasonality of isotopic fractionations
890	between NO_x and NO_y molecules.

891

892 5. Conclusions

893	"The effect of NOx photochemistry on the nitrogen isotopic fractionations between NO and
894	NO2, was investigated. We first measured the isotopic fractionations, between NO and NO2 and
895	provided mathematical solutions to assess the impact of NO_x level and NO_2 photolysis rate ($j(NO_2)$)
896	to the relative importance of EIE and LCIE, The EIE and LCIE isotope fractionation factors, at
897	room temperature, were determined to be 1,0275±0.0012 and 0,990±0,005, respectively. These
898	calculations and measurements <u>can be used</u> to <u>determine</u> the steady state $\Delta(NO_2-NO)$ and $\Delta(NO_2-NO)$
899	NOx) values at room temperature. Subsequently we applied our equations to polluted, clean and
900	remote sites to model the daily variations of $\Delta(NO_2-NO_x)$ values. We found that the $\Delta(NO_2-NO_x)$
901	values could vary from over +20 ‰ to less than -5 ‰ depending on the environment: in general,
902	the role of LCIE becoming more important at low NO_x concentrations, which tend to decrease the
903	$\Delta(NO_2-NO_x)$ values. Our work provided a mathematical approach to quantify the nitrogen isotopic
1	

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Deleted: mathematically calculated the combined effects of EIE (equilibrium isotopic fractionation caused by NO-NO ₂ isotopic exchange) and LCIE (Leighton Cycle induced isotopic
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925	fractionations between NO and NO ₂ that can be applied to many <u>tropospheric environments</u> , which	Deleted: conditions
926	could help interpret the measured $\delta^{15}N$ values of NO_2 and nitrate in field observation studies.	
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928	Acknowledgement	
929	We thank NCAR's Advanced Study Program granted to Jianghanyang Li. The National-	Formatted: Justified
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933	Doctoral Research Travel Award granted by Purdue University.	
934	Data Availability	
935	Data acquired from this study was deposited at Open Sciences Framework (Li, 2019,	
936	DOI 10.17605/OSF.IO/JW8HU).	
937	Author contribution	
938	J. Li and G. Michalski designed the experiments, X. Zhang and J. Li conducted the	
939	experiments. X. Zhang, G. Michalski, J. Orlando and G. Tyndall helped J. Li in interpreting the	
940	results. The manuscript was written by J. Li and all the authors have contributed during the revision	
941	of this manuscript.	
942	Competing interest	
943	The authors declare no competing interest.	
944		
945 946	References:	
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Fig. 2 Calculating isotopic fractionation values between NO-NO₂ (Δ (NO₂-NO), **A-D**) and NO_x-NO₂ (Δ (NO₂-NO_x), **E-H**) at various j(NO₂), NO_x level and f(NO₂) using Eq. (7) and (8). Each panel represents a fixed j(NO₂) value (showing on the upper right side of each panel), and the fractionation values are shown by color. Lines are contours with the same fractionation values, at an interval of 5‰, the contour line representing 0‰ was marked on each panel except for A and 1196 <u>E</u>.

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