

## Supplementary Information

In Mie-theory simulation, the refractive index (RI) of BC core was set to be  $1.56+0.47i$  according to Dalzell and Sarofim (1969) and the real part of RI was 1.52 for clear shell. Regarding to BrC, the RI is expected to show wavelength dependency and here the RI of brown shell was set to be  $1.52+k_{\text{brn}}i$ , where  $k_{\text{brn}}$  varies with wavelengths and it was deduced from Barnard et al. (2008) (Figure S1). Mie-theory simulations were conducted firstly for single particles. It is noticed in Figure 1 is that for  $V_p/V_c=1.0$ , which means pure BC core (also shown in Figure S2a), both  $AAE_{370-520}$  and  $AAE_{520-880}$  change non-monotonously with  $D_c$ . When BC core is small ( $<20$  nm),  $AAE_{370-520}$  and  $AAE_{520-880}$  are close to 1.0, while they both increase as  $D_c$  gets larger and can be up to about 1.15.  $AAE_{370-520}$  and  $AAE_{520-880}$  reach to peak value at different  $D_c$  (around 75 nm and 115 nm, respectively) and then drop to lower than 1.0 for larger  $D_c$ .

To explain the varying AAE of pure BC particles, optical interpretation is performed based on Mie-theory as shown in Figure S3, where the wavelengths ( $\lambda_1$  and  $\lambda_2$ ) 370 nm and 520 nm are used as an example. Firstly, for a given two wavelengths  $\lambda_1$  and  $\lambda_2$ ,  $AAE_{\lambda_1-\lambda_2}$  can be calculated from Eq. 3, where  $b_{\text{abs}} = MAE \cdot \frac{\pi\rho}{6} \cdot D_c^3$ . Therefore, Eq. 3 can be transferred into the following equation:

$$AAE_{\lambda_1-\lambda_2} = -\frac{\ln(MAE_{\lambda_1} \cdot \frac{\pi\rho}{6} D_c^3) - \ln(MAE_{\lambda_2} \cdot \frac{\pi\rho}{6} D_c^3)}{\ln(\lambda_1) - \ln(\lambda_2)} = -\frac{\ln(MAE_{\lambda_1}) - \ln(MAE_{\lambda_2})}{\ln(\lambda_1) - \ln(\lambda_2)} \quad \text{Eq. S1}$$

that is,  $AAE_{\lambda_1-\lambda_2} \propto \Delta \ln(MAE)_{\lambda_1-\lambda_2}$ , as shown in Figure S3 where MAE is plotted in logarithmic axis. When  $D_c \ll \lambda$ , the entire particle mass participates in absorption and MAE is a constant, while for  $D_c \gg \lambda$ , only the particle's skin contributes to absorption and MAE is inversely proportional to  $D_c$  (Bond and Bergstrom, 2006; Moosmuller and Arnott, 2009), therefore, the overall changing pattern of MAE is firstly keeping steady and then drop as a function of  $D_c$ . The slight peak of MAE before dropping is due to internal resonances (Moosmüller et al., 2009). Hence, whether AAE increases or decreases with  $D_c$  can be determined by comparing the first derivative of MAE at  $\lambda_1$  and  $\lambda_2$  (shown in the lower axis in Figure S3), which represents the slope of MAE for each  $D_c$ . The crossing point of

slope\_MAE is therefore corresponding to the maximum  $AAE_{\lambda_1-\lambda_2}$ , with core size of  $D_{c_{max}}$ . For example, when  $\lambda_1$  and  $\lambda_2$  are 370 nm and 520 nm, the maximum  $AAE_{370-520}$  occurs when  $D_{c_{max}} = D_{c_0} = 75$  nm. AAE increases with  $D_c$  when  $D_c < D_{c_0}$  but decreases when  $D_c > D_{c_0}$ . Since the slope\_MAE at different wavelengths are in the same shape only shifting horizontally with longer wavelength, for AAE between longer wavelengths,  $D_{c_{max}}$  is larger (e.g. for AAE between 520 nm-880 nm,  $D_{c_{max}} = D_{c_1} = 115$  nm, Figure S3).

Above results clearly suggest that AAE of both pure BC particles or clear coated BC can be affected by their sizes and it is not a monotonous change and therefore assuming AAE as a constant is not adaptable. Time series of computed  $b_{abs\_BrC}$  assuming  $AAE_{BC} = 1.0$  can be found in Figure S5 and compared with the results using modified method.

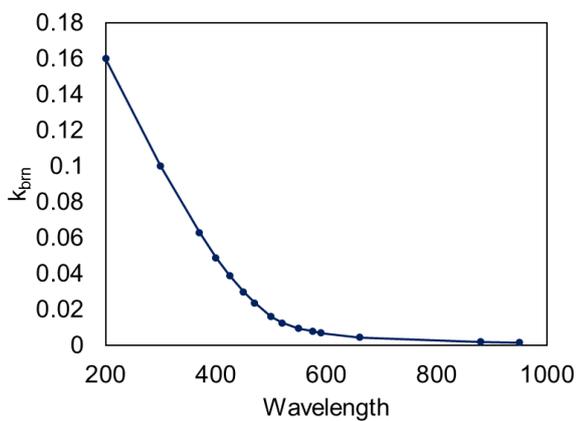


Figure S1.  $k_{brm}$  of brown shell (Barnard et al., 2008)

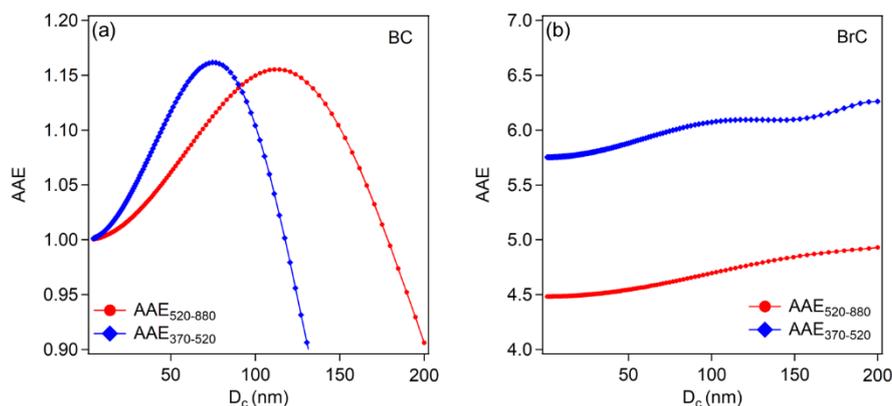


Figure S2. Absorption Angstrom Exponents between 370 and 520 nm ( $AAE_{370-520}$ ) and between 520 and 880 nm ( $AAE_{520-880}$ ) versus particle diameter ( $D_c$ ), simulated by Mie model for pure (a) black carbon (BC) and (b) brown carbon (BrC) particles.

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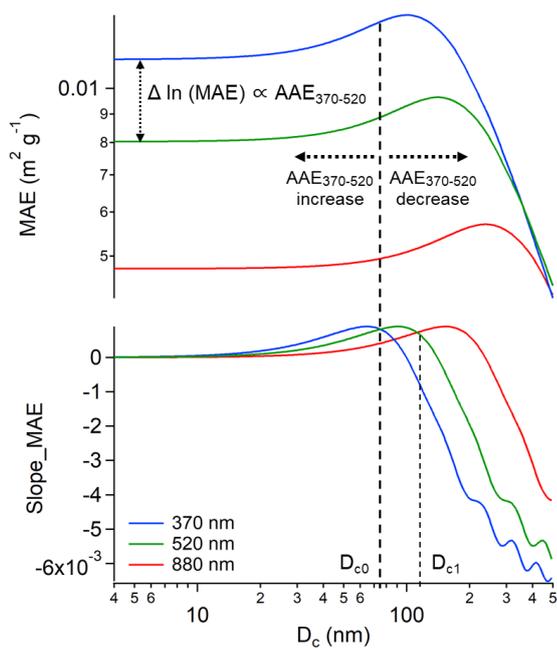


Figure S3. Variation of mass absorption efficiency (MAE) and slope of MAE (slope\_MAE) vs. particle diameter ( $D_c$ ) at 370 nm ( $\lambda_1$ ), 520 nm ( $\lambda_2$ ) and 880 nm for single pure black carbon (BC) at different  $D_c$ .

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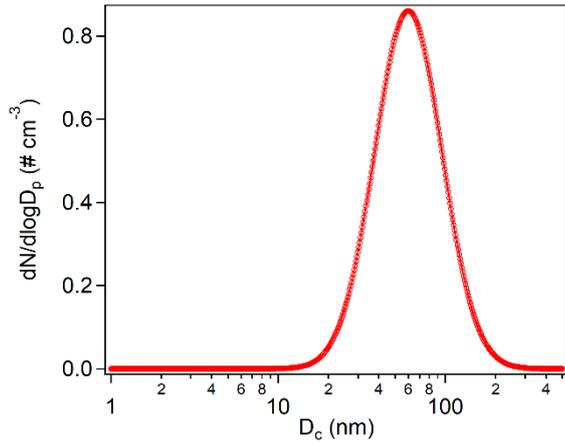


Figure S4. Lognormal number size distribution of BC cores assumed in Mie simulation

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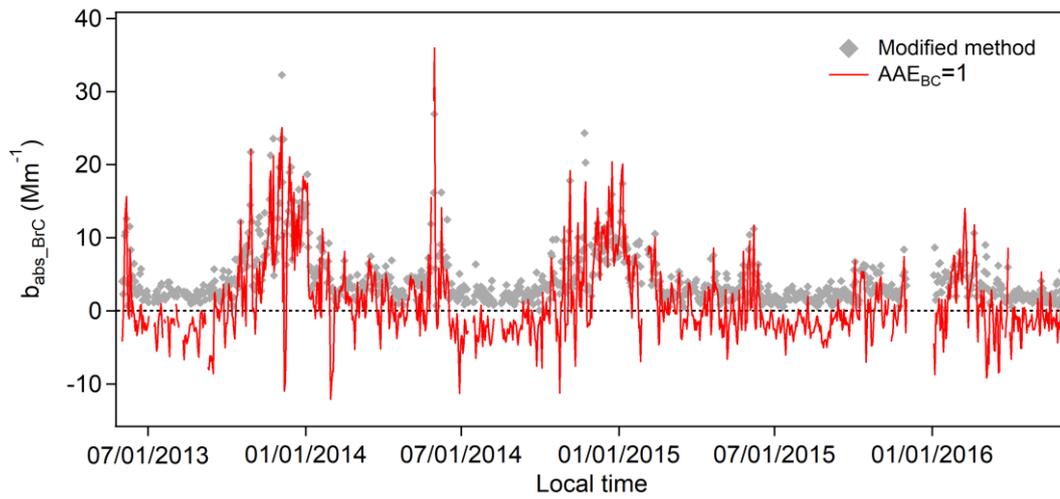


Figure S5. Time series of calculated  $b_{\text{abs\_BrC}}$  assuming  $\text{AAE}_{\text{BC}}=1$ ) versus using modified method

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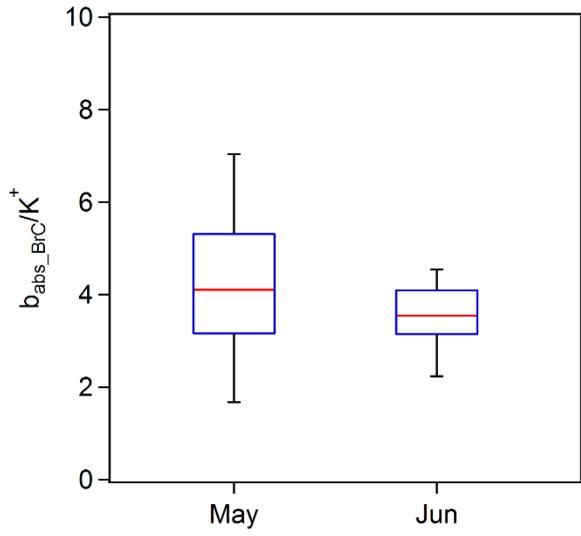
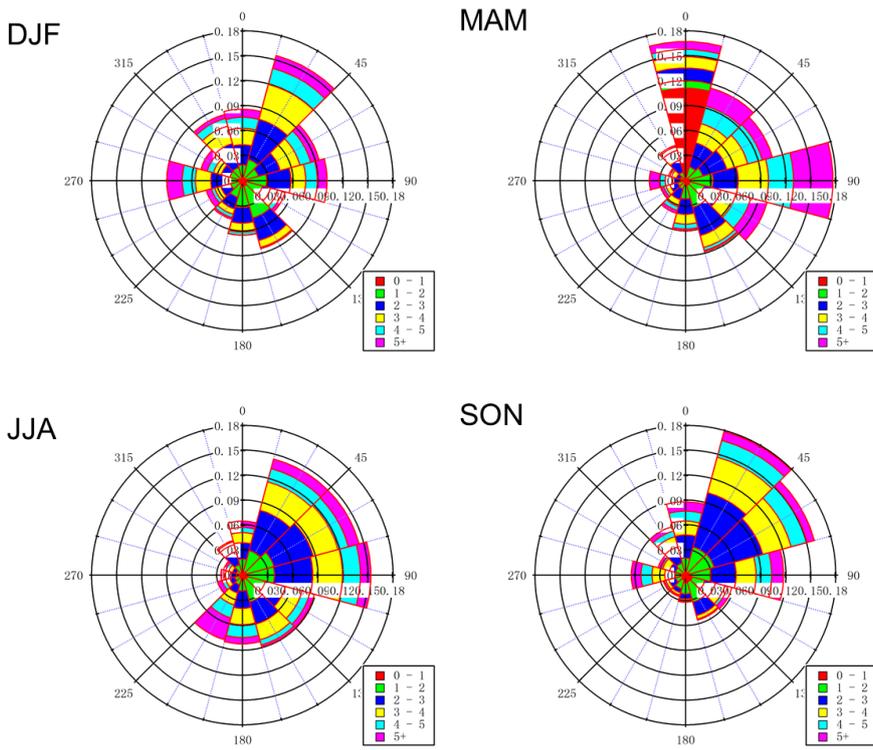


Figure S6. Significant difference result of  $b_{abs\_BrC}/K^+$  in May and June (data is all from the year 2014)



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Figure S7. Wind roses at the SORPES station in four seasons

Table S1. Measured and simulated MAE at 370 nm, 520 nm, and 880 nm (in  $\text{m}^2 \text{g}^{-1}$ )

		370 nm	520 nm	880 nm
<b>Measured (DJF)</b>		11.4	7.2	4.2
<b>Measured (JJA)</b>		8.6	6.0	3.8
<b>Simulated (brown shell)</b>	$D_p/D_c=1.5$	10.4	6.3	3.2
	$D_p/D_c=2.0$	17.2	8.3	3.8
<b>Simulated (clear shell)</b>	$D_p/D_c=1.5$	8.6	6.0	3.1
	$D_p/D_c=2.0$	10.2	6.2	3.7

## References

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- Bond, T. C., and Bergstrom, R. W.: Light Absorption by Carbonaceous Particles: An Investigative Review, *Aerosol Sci. Technol.*, 40, 27-67, [10.1080/02786820500421521](https://doi.org/10.1080/02786820500421521), 2006.
- 10 Moosmüller, H., Chakrabarty, R. K., and Arnott, W. P.: Aerosol light absorption and its measurement: A review, *J. Quant. Spectrosc. Radiat. Transfer*, 110, 844-878, <https://doi.org/10.1016/j.jqsrt.2009.02.035>, 2009.
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