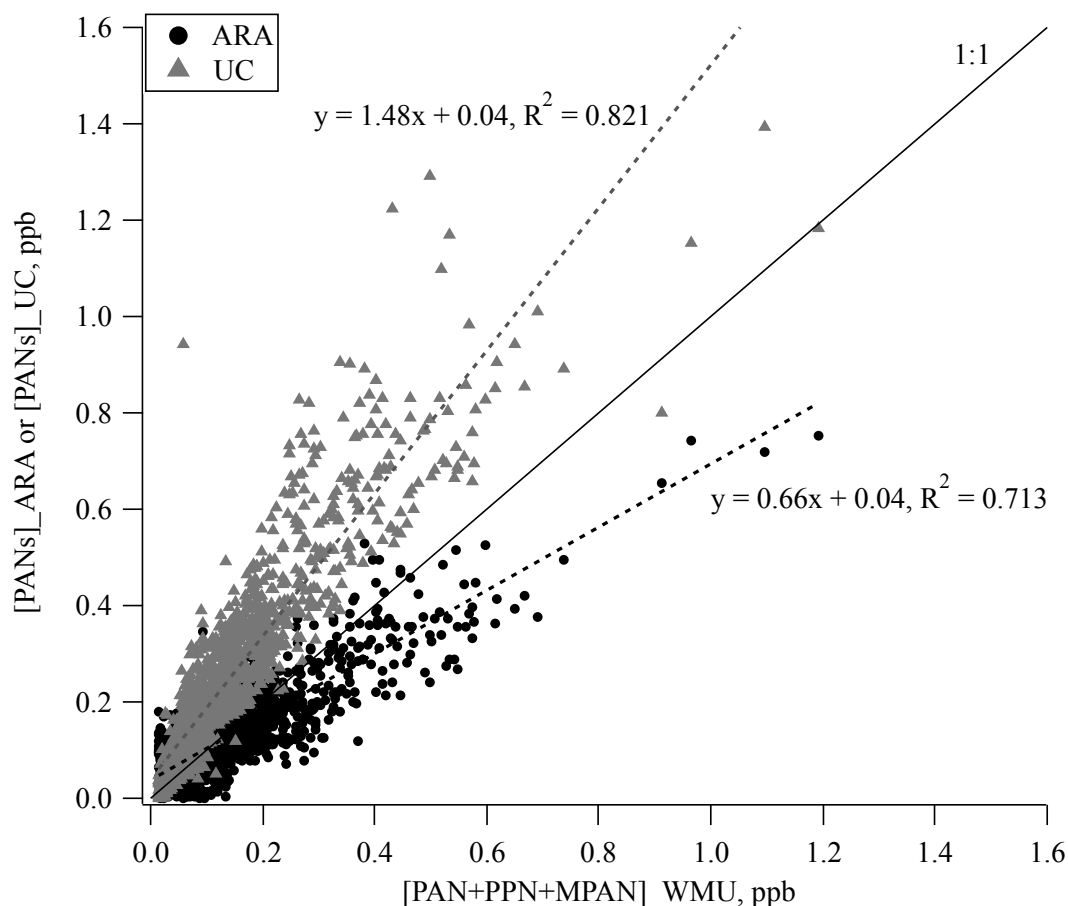


1 Supplementary Information for

2 **“Importance of Biogenic Volatile Organic Compounds to Peroxyacyl Nitrates**  
3 **(PANs) Production in the Southeastern U.S. during SOAS 2013”**

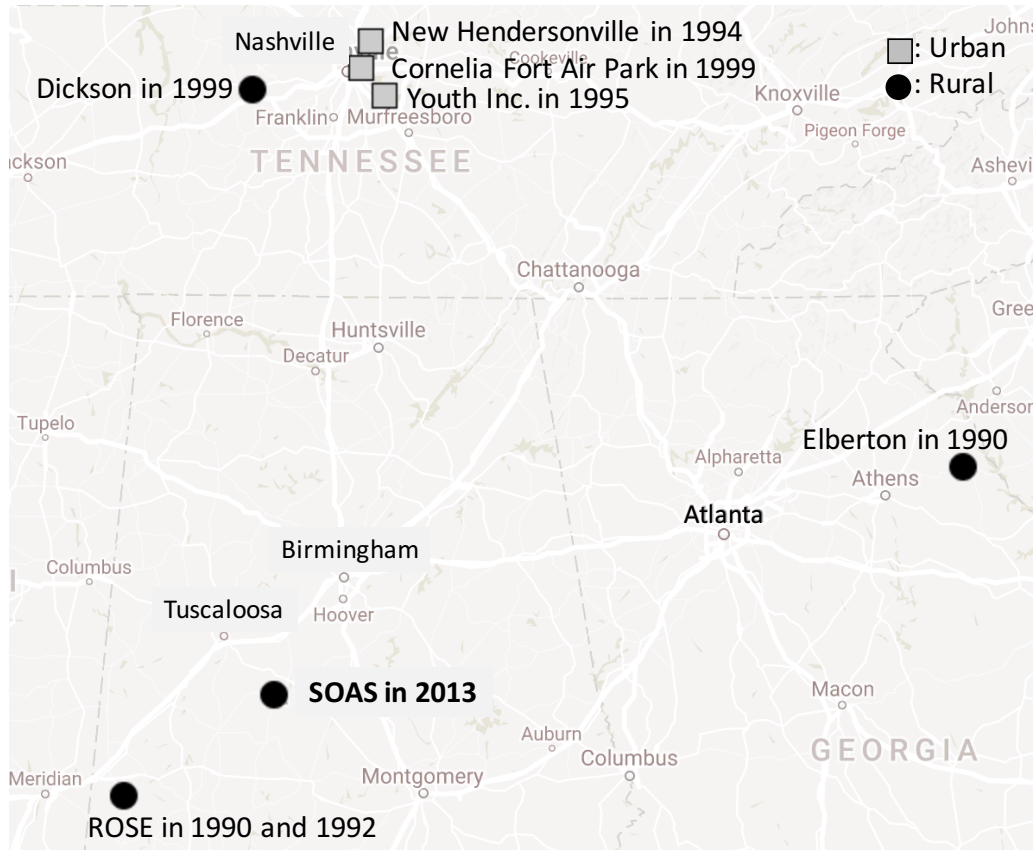
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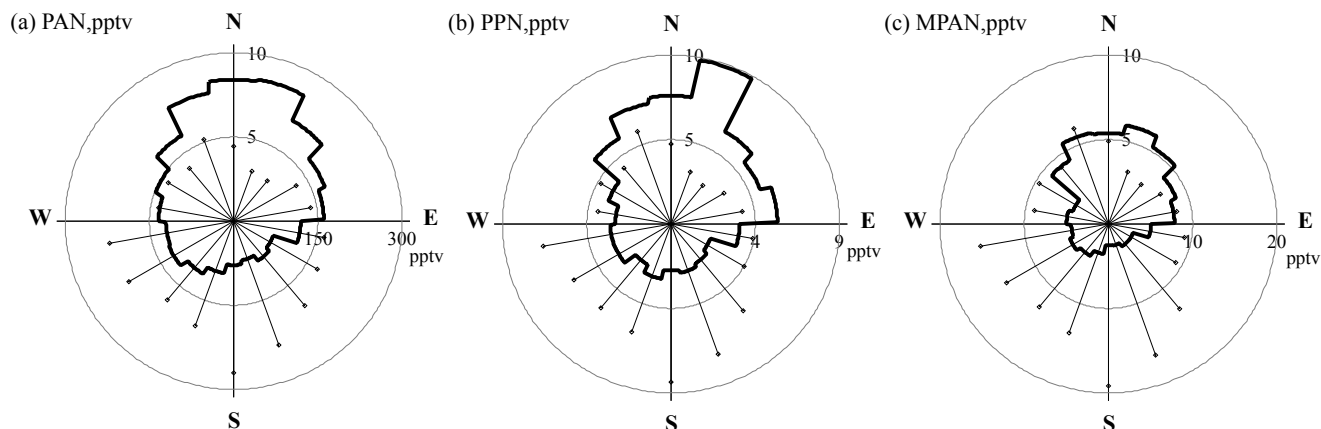
6 Figure S1. Relationship of total PANs with other research groups during SOAS 2013 campaign.

7 The means with standard deviation of PANs from ARA, UC, and WMU were  $0.129 \pm 0.092$ ,  $0.245 \pm 0.194$ ,  
8 and  $0.138 \pm 0.119$  ppb respectively. The medians of PANs from ARA, UC, and WMU were 0.111, 0.204,  
9 and 0.103 ppb respectively.



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Figure S2. Various Locations of Other Measurements in the Southeastern U.S. since 1990. Sampling term: Elberton (June 24<sup>th</sup> – July 13 in 1990), ROSE 1990 (June 10<sup>th</sup> – July 20<sup>th</sup> in 1990), ROSE 1992 (June 19<sup>th</sup> – July 2<sup>nd</sup> in 1992), Henderson (June 22<sup>nd</sup> – July 19<sup>th</sup> in 1994), Youth Inc. (June 29<sup>th</sup> – July 26<sup>th</sup> in 1995), Dickson (June 13<sup>th</sup> – July 15<sup>th</sup> in 1999), Cornelia Fort Ground Site (June 14<sup>th</sup> – July 14<sup>th</sup> in 1999), and SOAS 2013 (June 1<sup>st</sup> – July 15<sup>th</sup> in 2013). (Data map: Google map, 2016).



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3 Figure S3. Polar plots of PANs concentrations as a function of wind direction in SOAS 2013 (excluded  
4 June 4th). The bold trace line in each plot indicates the average concentration of a PAN compound and  
5 the solid lines from the center are the frequency of wind direction.  
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### 10 **Methods and Results of MLR analysis for PANs**

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$$[PAN] = A + B_1[MPAN] + B_2[PPN] \quad (1)$$

12  
13 In a multiple linear regression (MLR) model as Equation (1), [PAN] is treated as a response  
14 variable and [MPAN] and [PPN] are used as independent predictor variables.  $B_1$  and  $B_2$  are partial  
15 regression coefficients on [MPAN] and [PPN]. The MLR statistical analysis conducted two steps of  
16 statistical testing. First, the  $F$ -test with ANOVA and  $R^2$  investigated how well the model Eq. (1) fits the  
17 measurement data. However,  $F$ -test is impossible to directly find out which predictor variable is  
18 significantly useful. Therefore, in the next step, the significant utility of each partial regression  
19 coefficient was explored using the Student's  $t$ -test. The respective  $t$ -value was calculated from each  
20 partial regression coefficient divided by the standard error. When results of the  $t$ -test indicate presence  
21 of statistical significance for the partial regression coefficients, the magnitude of the standardized partial  
22 regression coefficient,  $\beta_i$ , allows us to compare the relative contribution of each independent predictor  
23 variable within the model.

24 As the notice to conduct MLR statistical analysis, high multicollinearity causes effects on the  
25 results of the analysis (e.g. Mendenhall et al., 2009). Although the assumption of the MLR statistical  
26 analysis on [PAN] takes a stance that each predictor variable is derived from different hydrocarbon  
27 precursor independently, the values of “tolerance” or “variance inflation factor (VIF)” were helpful to

1 assess the impact of the multicollinearity. The tolerance is calculated as  $1 - R^2_{\text{MPAN-PPN}}$ , where  $R^2_{\text{MPAN-PPN}}$   
 2 is the coefficient of determination between MPAN and PPN and VIF is  $1/\text{tolerance}$ . Large VIF value  
 3 indicates strong multicollinearity of predictor variables. According to Stevens (2012), if the value of VIF  
 4 is greater than 10, it indicates effective multicollinearity.

5 The statistical analysis was conducted using SPSS statistics software (versions 16, IBM). Results  
 6 of  $F$ -test and  $R^2$  on the MLR model for SOAS 2013 during the daytime are summarized in Table S1.  
 7 Similar PANs data collected from Dickson, TN during the SOS experiment in 1999 is used as a  
 8 comparable reference. The small  $p$ -value ( $P$  in Table S1) of  $F$ -test indicated that the overall fit of the  
 9 model Eq. (1) is statistically significant in both the SOAS 2013 and Dickson 1999, and at least one  
 10 independent predictor variable was significantly useful.

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Table S1. Summary of the  $F$ -test and  $R^2$ .

| Year                | Number of data | $P$ of $F$ -value | $R$   | $R^2$ |
|---------------------|----------------|-------------------|-------|-------|
| Dickson, TN in 1999 | 486            | <0.001            | 0.876 | 0.766 |
| SOAS 2013           | 498            | <0.001            | 0.775 | 0.601 |

12

13 A summary of coefficients of MPAN and PPN in both SOAS 2013 and Dickson 1999 is shown  
 14 in Table S2. Since all VIF values were less than 10, there was no impact of multicollinearity in the MLR  
 15 statistical analysis in both SOAS 2013 and Dickson 1999. The small  $p$ -value ( $P$  in Table S2) of the  $t$ -test  
 16 of both MPAN and PPN in SOAS 2013 and Dickson 1999 indicates both predictor variables were useful  
 17 to predict PAN. Therefore, respective partial regression coefficient values were available to estimate  
 18 PAN in SOAS 2013 and Dickson 1999.

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Table S2. Summary of coefficients on each independent predictor variable in  $t$ -test.

|                                | Dickson, TN in 1999 |             | SOAS 2013   |             |
|--------------------------------|---------------------|-------------|-------------|-------------|
|                                | MPAN                | PPN         | MPAN        | PPN         |
| Partial regression coefficient | $B_1$ 5.098         | $B_2$ 5.762 | $B_1$ 7.596 | $B_2$ 6.910 |
| Std. error of coefficient      | 0.305               | 0.178       | 0.469       | 0.725       |
| $P$ of $t$ -test               | <0.001              | <0.001      | <0.001      | <0.001      |
| VIF                            | 1.036               | 1.036       | 1.427       | 1.427       |
| $\beta_i$                      | 0.374               | 0.725       | 0.549       | 0.323       |
| $r_i$                          | 0.509               | 0.795       | 0.726       | 0.624       |
| Partial $R^2 = \beta_i r_i$    | 0.190               | 0.576       | 0.399       | 0.202       |

Std. error of coefficient means standard error of partial regression coefficient.  $P$  is statistical significant level.  $\beta_i$  is standardized partial regression coefficient.  $r_i$  is zero-order correlation. All dataset was during the daytime, 10 am – 4 pm.

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