



1 **The impacts of moisture transport on drifting snow**

2 **sublimation in the saltation layer**

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1

## 2 **Abstract**

3 Drifting snow sublimation (DSS) is an important physical process related to moisture  
4 and heat transfer that happens in the atmospheric boundary layer, which is of  
5 glaciological and hydrological importance. It is also essential in order to understand  
6 the mass balance of the Antarctic ice sheets and the global climate system. Previous  
7 studies mainly focused on the DSS of suspended snow and ignored that in the  
8 saltation layer. Here, a drifting snow model combined with balance equations for heat  
9 and moisture is established to simulate the physical DSS process in the saltation  
10 layer. The simulated results show that DSS can strongly increase humidity and  
11 cooling effects, which in turn can significantly reduce DSS in the saltation layer.  
12 However, effective moisture transport can dramatically weaken the feedback effects.  
13 Due to moisture advection, DSS rate in the saltation layer can be several orders of  
14 magnitude greater than that of the suspended particles. Thus, DSS in the saltation  
15 layer has an important influence on the distribution and mass-energy balance of snow  
16 cover.



## 1 **1 Introduction**

2 Drifting snow is a special process of mass-energy transport in the hydrological  
3 cycle of snow. It not only changes the snow distribution but also results in phase  
4 changes of ice crystals into water vapor, which is known as DSS. Snow sublimation  
5 not only significantly influences the mass-energy balance of snow cover (e.g., Zhou  
6 et al., 2014) by changing surface albedo (Allison, 1993) and the runoff of snowmelt  
7 in cold regions (Marks and Winstral, 2001), but also has a pivotal status on moisture  
8 and heat transfer in the atmospheric boundary layer (Pomeroy and Essery, 1999;  
9 Anderson and Neff, 2008). Thus, it is of glaciological and hydrological importance  
10 (Sugiura and Ohata, 2008). In high cold area, the reduction of snow cover may cause  
11 the surface temperature to increase in the cold season (Huang et al., 2008, 2012). The  
12 thickness of seasonally frozen ground has decreased in response to winter warming  
13 (Huang et al., 2012). On the other hand, both dust and biomass burning aerosols may  
14 impact the surface albedo when deposited on snow; soot in particular has large  
15 impacts on absorption of radiation (Huang et al., 2011). In addition, a large, but  
16 unknown, fraction of the snow that falls on Antarctica is removed by the wind and  
17 subsequently sublimates. Therefore, a detailed knowledge of DSS is also essential in  
18 order to understand snow cover distribution in cold high area as well as the mass  
19 balance of the Antarctic ice sheets, and further the global climate system (Yang et al.,  
20 2010).

21 In drifting snow, snow particles can experience continuous sublimation, which  
22 induces a heat flux from the surrounding air to the particle and a moisture flux in the  
23 opposite direction (Bintanja, 2001a). Thus, DSS can cause increases in humidity and  
24 cooling of the air (Schmidt, 1982; Pomeroy et al., 1993) and has an inherent self-  
25 limiting nature due to the feedback associated with the heat and moisture budgets  
26 (Déry and Yau, 1999; Groot Zwaafink et al., 2011, 2013). On one hand, snow  
27 sublimation absorbs heat and decreases the temperature of the ambient air, which in  
28 turn reduces the saturation vapor pressure and hence the sublimation rate; on the  
29 other hand, the increment in the moisture content of the ambient air decreases the  
30 sublimation rate of drifting snow, as it is proportional to the under-saturation of the  
31 air.

32 Saltation is one of the three modes of particle motion, along with suspension and  
33 creep. Among the three modes, saltation is important and the DSS in the saltation



1 layer may constitute a significant portion of the total snow sublimation (Dai and  
2 Huang, 2014). Previous studies of DSS mostly focused on the sublimation of  
3 suspended snow, which was mainly due to the consideration that sublimation will  
4 soon vanish in the saltation layer because the feedback of DSS may lead to a  
5 saturated layer near the surface (Bintanja, 2001b). However, the field observation  
6 data of Schmidt (1982) showed that relative humidity only slightly increases during  
7 snowdrift events and the maximum humidity was far below saturation. Further  
8 studies (Groot Zwaafink et al., 2011; Vionnet et al., 2013) also showed that the  
9 relative humidity does not reach saturation even at the lowest atmosphere level after  
10 DSS occurs. Some scientists argued that it was caused by moisture transport, such as  
11 diffusion and advection of moisture, which inevitably accompany the drifting snow  
12 process (Vionnet et al., 2013). Therefore, it is necessary to study the feedback  
13 mechanism of DSS in the saltation layer and the effect of moisture transport on it.

14 In this study, a wind-blown snow model, balance equations for heat and moisture  
15 of an atmospheric boundary layer, and an equation for the rate of mass loss of a  
16 single ice sphere due to sublimation were combined to study the sublimation rate of  
17 drifting snow by tracking each saltating particle in drifting snow. Then, the effects of  
18 DSS on the humidity and temperature profiles, as well as the effects of diffusion and  
19 advection of moisture on DSS in the saltation layer, were explored in detail.

20

## 21 **2 Methods**

### 22 **2.1 Model Description**

23 Saltation can be divided into four interactive sub-processes, i.e., aerodynamic  
24 entrainment, particle trajectories, particle-bed collisions, and wind modification  
25 (Huang et al., 2011).

26 The motion equations for snow particles are (Huang et al., 2011)

$$27 \quad m_p \frac{dU_p}{dt} = F_D \left( \frac{U_f - U_p}{V_r} \right), \quad (1)$$

$$28 \quad m_p \frac{dV_p}{dt} = -W_g + F_B + F_D \left( \frac{V_f - V_p}{V_r} \right), \quad (2)$$



1 
$$\frac{dx_p}{dt} = U_p, \quad (3)$$

2 
$$\frac{dy_p}{dt} = V_p. \quad (4)$$

3 where  $m_p$  and  $W_g$  are the mass and weight of the snow particle, respectively;  $U_f, V_f,$   
4  $U_p$  and  $V_p$  are the horizontal and vertical velocities of the airflow and snow particle,  
5 respectively;  $V_r = \sqrt{(U_f - U_p)^2 + (V_f - V_p)^2}$  is the relative velocity between the  
6 airflow and snow particle;  $x_p$  and  $y_p$  are the horizontal position and vertical height of  
7 the snow particle, respectively;  $F_B = \frac{1}{6} \rho_f \pi D^3 g$  and  $F_D = \frac{1}{8} C_D \rho_f \pi D^2 V_r^2$  are the  
8 buoyancy force and the drag force applied on the snow particle, respectively;  $\rho_f$  is the  
9 air density;  $D$  is the diameter of the snow particle;  $g$  is the acceleration of gravity; and  
10  $C_D$  is the drag coefficient.

11 Within the atmospheric boundary layer, the mean horizontal wind  
12 velocity  $u$  satisfies the Navier-Stokes equation (Werner, 1990). According to  
13 Prandtl's mixing length theory for the steady flow fully developed over an infinite  
14 planar bed,  $u$  is

15 
$$\frac{\partial}{\partial y} (\rho_f \kappa^2 y^2 \left| \frac{du}{dy} \right| \frac{du}{dy}) + F_x = 0, \quad (5)$$

16 where  $x$  is the coordinate aligned with the mean wind direction,  $y$  is the vertical  
17 direction,  $\kappa$  is the von Karman constant, and  $F_x$  is the force per unit volume that the  
18 snow particles exert on the fluid in the stream-wise direction and can be expressed as

19 
$$F_x = \sum_{i=1}^n m_p a_i. \quad (6)$$

20 where  $n$  is the number of particles per unit volume of fluid at height  $y$ , and  $a_i$  is the  
21 horizontal acceleration of particle  $i$ .



1 When the bed shear stress is greater than the threshold value, snow particles begin  
2 lifting off the surface. The number of aerodynamically entrained snow particles  $N_a$  is  
3 (Shao and Li, 1999)

$$4 \quad N_a = \zeta u_* \left( 1 - \frac{u_*^2}{u_*^2} \right) D^{-3}. \quad (7)$$

5 where  $\zeta$  is a dimensionless coefficient ( $1 \times 10^{-3}$  in our simulations),  $u_*$  is the friction  
6 velocity, and  $u_{*t}$  is the threshold friction velocity. Following the previous saltation  
7 models (McEwan and Willetts, 1993), the vertical speed of all aerodynamically  
8 entrained particles is  $\sqrt{2gD}$ .

9 The following three splash functions for drifting snow proposed by Sugiura and  
10 Maeno (2000) based on experiments are used to determine the number and motion  
11 state of the splashed particles.

$$12 \quad S_v(e_v) = \frac{1}{\beta^\alpha \Gamma(\alpha)} e_v^{\alpha-1} \exp\left(-\frac{e_v}{\beta}\right), \quad (8)$$

$$13 \quad S_h(e_h) = \frac{1}{\sqrt{2\pi\sigma^2}} \exp\left[-\frac{(e_h - \mu)^2}{2\sigma^2}\right], \quad (9)$$

$$14 \quad S_e(n_e) = {}_m C_{n_e} p^{n_e} (1-p)^{m-n_e}. \quad (10)$$

15 In Eq. (8),  $S_v$  is the probability distribution of the vertical restitution coefficient  $e_v$ ,  
16  $\Gamma(\alpha)$  is the gamma function, and  $\alpha$  and  $\beta$  are the shape and scale parameters for the  
17 gamma distribution function. In Eq.(9),  $S_h$  is the probability distribution of the  
18 horizontal restitution coefficient  $e_h$ , and  $\mu$  and  $\sigma$  are the mean and variance,  
19 respectively. In Eq. (10),  $S_e$  is the probability distribution function of the number of  
20 ejected particles  $n_e$ , a binomial distribution function with the mean  $mp$  and the  
21 variance  $mp(1-p)$ .

22 The potential temperature  $\theta$  and specific humidity  $q$  of the ambient air satisfy the  
23 following prognostic equations (Déry and Yau, 1999)



$$1 \quad \frac{\partial \theta}{\partial t} = \frac{\partial}{\partial y} \left( K_{\theta} \frac{\partial \theta}{\partial y} \right) - \frac{L_s S}{\rho_f C}, \quad (11)$$

$$2 \quad \frac{\partial q}{\partial t} = \frac{\partial}{\partial y} \left( K_q \frac{\partial q}{\partial y} \right) + \frac{S}{\rho_f} - Q. \quad (12)$$

3 where  $K_{\theta} = \kappa u_* y + K_T$  and  $K_q = \kappa u_* y + K_V$  are the heat and moisture diffusivities (the  
 4 sum of eddy diffusivity and molecular diffusivity), respectively,  $S$  is the sublimation  
 5 rate summed over all particles at each height above the surface,  $L_s$  is the latent heat of  
 6 sublimation ( $2.835 \times 10^6 \text{ J kg}^{-1}$ ),  $C$  is the specific heat of air,  $Q = u \frac{\partial q}{\partial x}$  is the horizontal  
 7 advection of moisture at each height above the surface, and  $\frac{\partial q}{\partial x}$  represents the  
 8 horizontal gradient in specific humidity. When the external dry air with specific  
 9 humidity  $q_{out}$  enters into the study domain, we hypothesize that the specific humidity  
 10 in the study domain is linearly distributed along the horizontal direction and  
 11 possesses the value of  $q_{in}$  at the exit. Thus, the horizontal advection of moisture can be  
 12 simplified to  $Q = u(q_{in} - q_{out})/l$ , with  $l$  being the length of the domain.

13 The total DSS rate  $Q_s$  ( $\text{kg s}^{-1}$ ) of the saltation layer within the computational  
 14 domain is obtained by summing the mass loss of all saltating particles in the domain.

$$15 \quad Q_s = \sum_i \left( \frac{dm}{dt} \right)_i, \quad (13)$$

16 where  $\left( \frac{dm}{dt} \right)_i$  is the mass loss rate corresponding to the  $i$ -th particle. At the air  
 17 temperature  $T$  and undersaturation  $\delta (= 1 - RH)$ , the rate of mass change of a single  
 18 particle with radius  $r$  due to sublimation is (Thorpe and Mason, 1966)

$$19 \quad \frac{dm}{dt} = \frac{2\pi r \delta}{\frac{L_s}{KTNu} \left( \frac{L_s}{R_v T} - 1 \right) + \frac{R_v T}{D_v She_s}}, \quad (14)$$

20 where  $RH$  is the relative humidity of air,  $K$  is the molecular thermal conductivity of  
 21 the atmosphere ( $0.024 \text{ J m}^{-1} \text{ s}^{-1} \text{ K}^{-1}$ ),  $D_v$  is the molecular diffusivity of water vapor in  
 22 the atmosphere,  $R_v$  is the gas constant for water vapor ( $461.5 \text{ J kg}^{-1} \text{ K}^{-1}$ ),  $e_s$  is saturated



1 vapor pressure with respect to an ice surface, and  $Nu$  and  $Sh$  are the Nusselt number  
2 and the Sherwood number, respectively, both of which are dimensionless and depend  
3 on the wind velocity and particle size (Thorpe and Mason, 1966; Lee, 1975).

$$4 \quad Nu = Sh = \begin{cases} 1.79 + 0.606 Re^{0.5} & 0.7 < Re < 10 \\ 1.88 + 0.580 Re^{0.5} & 10 < Re < 200 \end{cases} \quad (15)$$

5 where  $Re = DV_r / \nu$  is the Reynolds number and  $\nu$  is the kinematic viscosity of air.

6 For the purpose of comparison with the sublimation of suspended particles, the  
7 initial relative humidity profile in accordance with that of Xiao et al. (2000) is

$$8 \quad RH = 1 - R_s \ln(y / y_0), \quad (16)$$

9 where  $y_0$  is roughness length and  $R_s = 0.039469$ .

10 The conversion relation between relative humidity and specific humidity is

$$11 \quad q = 0.622 \cdot \frac{e_s}{p - e_s} \cdot RH, \quad (17)$$

12 where  $e_s = 610.78 \exp[21.87(T - 273.16)/(T - 7.66)]$ .

13 The constant initial potential temperature  $\theta_0$  is 263.15K (but is 253.16 K in the  
14 comparison with Xiao et al. (2000)) and the initial absolute temperature is

$$15 \quad T_0 = \theta_0 \left( \frac{p}{p_0} \right)^{0.286}, \quad (18)$$

16 where  $p$  is the pressure and its initial distribution is based on the hypsometric  
17 equation

$$18 \quad p = p_0 \exp\left(-\frac{y g}{R_d \theta_0}\right). \quad (19)$$

19 where  $p_0$  is taken as 1000 hPa and  $R_d$  is the gas constant for dry air ( $287.0 \text{ J kg}^{-1} \text{ K}^{-1}$ ).

## 20 2.2 Calculation Procedure

21 The procedure for the calculations is enumerated below.





- 1       1. The length, width and height of the computational domain sampled from the  
2 saltation layer above the surface are 1.0 m, 0.01 m, and 1.0 m, respectively. The  
3 initial and boundary conditions of temperature and humidity are set from Eqs. (16)-  
4 (19).
- 5       2. Snow particles are considered as spheres with diameter of 200  $\mu\text{m}$  and density  
6 of 910 kg m<sup>-3</sup>. The threshold friction velocity of snow is 0.21 m s<sup>-1</sup> and the snow bed  
7 roughness is  $3.0 \times 10^{-5}$  m (Nemoto and Nishimura, 2001).
- 8       3. The initial wind field is logarithmic. If the bed shear stress is greater than the  
9 threshold value, particles are entrained from their random positions on the snow  
10 surface at vertical speed  $\sqrt{2gD}$  and the number of aerodynamically entrained snow  
11 particles satisfies Eq. (7).
- 12       4. The snow particle trajectory is calculated using Eqs. (1)-(4) every 0.00001 s in  
13 order to obtain the velocity used in the calculation of sublimation rate and the new  
14 location of each drifting snow particle to determine whether the snow particle falls on  
15 the snow bed.
- 16       5. As the snow particles fall on the snow bed, where they impart their energy to  
17 other snow particles and splash or eject other snow particles, the velocity and angle of  
18 the ejected particles satisfy the splash functions, i.e., Eqs. (8)-(10), according to the  
19 motion state of the incident particles and the actual wind field at that time. The  
20 number of snow particles is re-counted every 0.00001 s.
- 21       6. The reactive force  $F_x$  that the snow particles exert on the wind field induces  
22 wind modification according to Eq. (5).
- 23       7. Based on the process above, the velocity and location of each drifting snow  
24 particle are derived and then used in Eqs. (13)-(15) to calculate their sublimation rate  
25 every 0.00001 s. Under the effect of DSS, potential temperature and specific  
26 humidity at different heights under the diffusion or advection moisture transport are  
27 calculated every 0.00001 s.
- 28       8. The new values of wind field calculated in step 6 are used in step 3, and then  
29 steps 4 to 7 are recalculated. Such a cycle is repeated to finish the calculation of DSS  
30 under thermodynamic effects. Each calculation takes 60 s.

### 31 **3 Results and Discussion**



### 1 **3.1 Relative Humidity and Temperature**

2 The relative humidity at 1 cm height for different defined wind velocities generally  
3 reaches saturation within 10 s when moisture transport is not included (Fig. 1a).  
4 Snow sublimation will not occur, and the temperature will not change (Fig. 1b).  
5 However, when moisture transport is included, the snow sublimation occurs  
6 throughout the simulation period, and temperature decreases continually. Moreover,  
7 under the same moisture transport mechanism, the greater the wind friction velocity,  
8 the higher the relative humidity and temperature change (Fig. 1). The relative  
9 humidity at 1 cm shows a trend of rapid decrease, then rapid increase, and finally a  
10 slow increase (Fig. 1a), but does not reach saturation in the simulation period of 60 s.  
11 Early in the wind-blown snow stage, the sublimation rate is smaller as only a few  
12 saltating particles sublime and the moisture at the lower height largely moves  
13 outwards due to the effect of moisture transport, resulting in relative humidity  
14 decrease. With continuing wind-blown snow, more snow particles leave the surface,  
15 which increases the sublimation rate and hence the relative humidity. When it reaches  
16 a steady state, the amount of snow particles in the saltation layer will no longer  
17 increase, but fluctuate within a certain range. Thereafter, because of the increase in  
18 humidity and cooling, DSS weakens (Fig. 2). The results indicate that DSS in the  
19 saltation layer has a self-limiting nature.

### 20 **3.2 Sublimation Rate**

21 Moisture transport could remove some moisture, attenuating the increase of relative  
22 humidity and thus negative feedback, leading to higher sublimation rates with  
23 moisture transport than without (Fig. 2). With moisture removal only by diffusion,  
24 the sublimation rate at 60 s is roughly the same at 3 wind velocities, meaning that  
25 sublimation still shows obvious negative feedback. However, with moisture transport  
26 by diffusion and advection, the sublimation rate increases significantly as the  
27 negative feedback effect is effectively reduced. Moreover, the sublimation rate  
28 increases with the friction velocity and can be even greater than that at the highest  
29 wind velocity without advection. For example, the sublimation rate at 60 s with  
30 advection is  $0.61 \times 10^{-5} \text{ kg m}^{-2} \text{ s}^{-1}$  at a friction velocity of  $0.3 \text{ m s}^{-1}$ , greater than that of  
31  $0.44 \times 10^{-5} \text{ kg m}^{-2} \text{ s}^{-1}$  at a friction velocity of  $0.5 \text{ m s}^{-1}$  without considering advection.  
32 The sublimation rate even reaches  $0.96 \times 10^{-5} \text{ kg m}^{-2} \text{ s}^{-1}$ , equaling the  $0.83 \text{ mm d}^{-1}$



1 snow water equivalent (SWE) at a friction velocity of  $0.5 \text{ m s}^{-1}$  with advection  
2 included (Fig. 2). Furthermore, sublimation continues to occur. Thus, it can be seen  
3 that effective moisture transport can weaken the negative feedback of sublimation,  
4 hence significantly affecting DSS. Because the occurrence of wind-blown snow must  
5 coincide with the airflow, DSS in the saltation layer is not negligible, and the  
6 assumption that the saltation layer is a saturation boundary layer is inadvisable.

7 Air temperature decreases with decreasing height, along with air saturation degree  
8 during wind-blown snow, which is adverse to sublimation in contrast to higher  
9 heights above the surface. Nevertheless, the volume sublimation rate increases with  
10 decreasing height (Fig. 3). This is in agreement with the vertical profiles of the  
11 horizontal mass flux of snow particles (Huang et al., 2011). That is, there are more  
12 snow particles that can participate in sublimation at lower heights, leading to higher  
13 sublimation rates even in environments adverse to sublimation. The results indicate  
14 that the particle density is an important controlling factor for sublimation rate, which  
15 is consistent with a previous study (Wever et al., 2009). A comparison between our  
16 simulated results and that of four models for suspended snow, i.e., PIEKTUK-T,  
17 WINDBLAST, SNOWSTORM and PIEKTUK-B, shows that the local sublimation  
18 rate of the suspended snow at 60 s can reach  $10^{-6} \text{ kg m}^{-3} \text{ s}^{-1}$  at most (Xiao et al., 2000)  
19 (Fig. 3), smaller than that of our calculated results ( $10^{-4} \text{ kg m}^{-3} \text{ s}^{-1}$ ) by 2 orders of  
20 magnitude at the same initial temperature and relative humidity. This result shows  
21 that the assumption that sublimation in the saltation layer can be ignored by  
22 considering it a saturation boundary layer is inadvisable. Therefore, DSS in the  
23 saltation layer is of non-negligible importance and requires further detailed study.

#### 24 **4 Conclusions**

25 In this study, we established a wind-blown snow model and balance equations for  
26 heat and moisture to study the effect of different moisture transport mechanisms on  
27 DSS in the saltation layer. As has been reported (e.g., Schmidt, 1982), DSS could  
28 lead to strong increases in humidity and cooling, which in turn can significantly  
29 reduce the DSS rate, i.e., DSS has an inherently self-limiting nature. Moreover, the  
30 relative humidity in the saltation layer quickly reaches saturation when moisture  
31 transport is not considered. However, effective moisture transport, such as advection,  
32 can dramatically weaken the negative feedback of sublimation and prolong the  
33 duration of the higher DSS rate and hence has a profound effect on DSS. Because of



1 the presence of advection, DSS rate increases with the friction velocity and the  
2 volume sublimation rate of saltating particles is several orders of magnitude greater  
3 than that of the suspended particles due to the higher particle density in the saltation  
4 layer. Thus, DSS in the saltation layer plays an important part in the energy and mass  
5 balance of snow cover and needs to be further studied.

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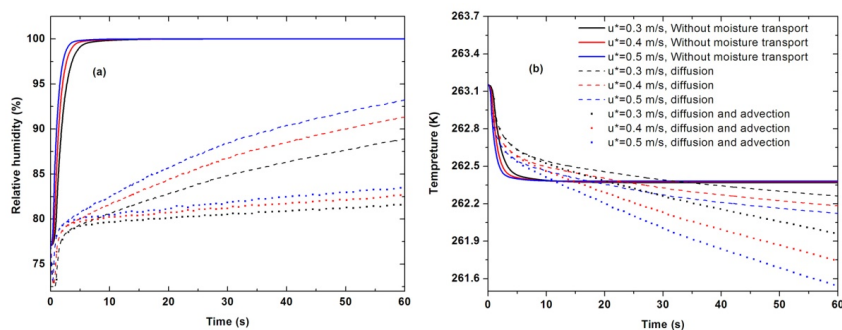
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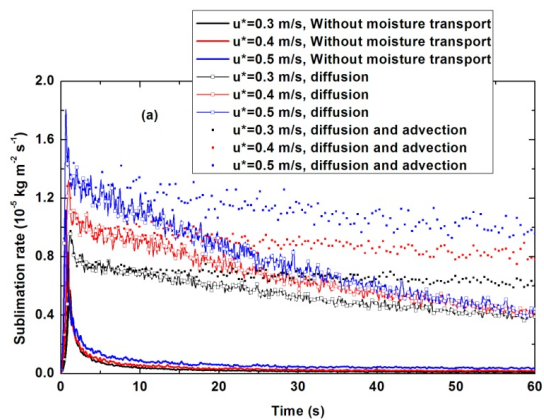
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3 Figure 1. Temporal evolution of relative humidity (a) and temperature (b) at 1 cm  
4 above the surface for three wind force levels neglecting the effects of moisture  
5 transport, considering only moisture diffusion, and both moisture diffusion and  
6 advection.





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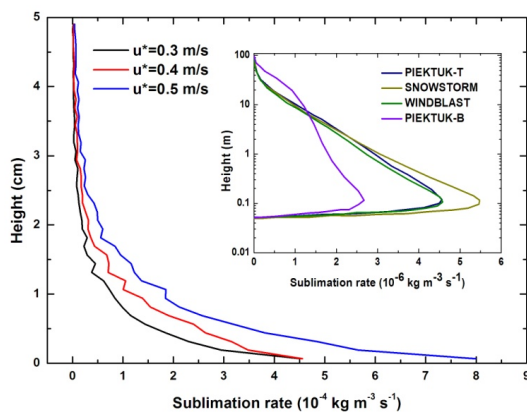


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3 Figure 2. Temporal evolution of drifting snow sublimation rate for three wind force  
4 levels neglecting moisture transport, considering only moisture diffusion, and both  
5 moisture diffusion and advection.



1



2

3 Figure 3. Comparison of the sublimation rate for the saltation layer and suspension  
4 layer (the inset figure) at 60 s as a function of height. The inset figure shows the  
5 sublimation rate of four models for the suspension layer with initial friction velocity  
6 of  $0.87 \text{ m s}^{-1}$  reported in Xiao et al. (2000). Our results for the sublimation rate in the  
7 saltation layer are obtained for three wind force levels ( $<0.87 \text{ m s}^{-1}$ ) with moisture  
8 diffusion and advection included with the same initial temperature (253.16 K) and  
9 relative humidity as Xiao et al. (2000).