

## ***Interactive comment on “Retrieval of temperature profiles from CHAMP for climate monitoring: intercomparison with Envisat MIPAS and GOMOS and different atmospheric analyses” by A. Gobiet et al.***

### **Anonymous Referee #1**

Received and published: 14 March 2007

Stiller makes an important point, which I had not appreciated. The MIPAS retrievals use the 1st order difference operator,  $L_1$  as a constraint. This means the MIPAS retrievals are not sensitive to flat biases over the entire temperature profile. Therefore, as Stiller notes, even if the entire ECMWF temperature profile is biased by  $b = 10$  K, the retrieval will be unbiased. This is because the derivative of a constant bias is zero, ie  $L_1 b = 0$ . However, is this generally the case if the temperature bias varies with height? In practice, the ECMWF biases in the temperature profile,  $\bar{\epsilon}_b$  (the over-bar denotes expectation), will vary considerably with height. Linear theory (linear theory is usually

Full Screen / Esc

Printer-friendly Version

Interactive Discussion

Discussion Paper

sufficient for error analysis) shows the bias in the solution,  $\bar{\epsilon}$ , will be of form

$$\bar{\epsilon} = (\mathbf{K}^T \mathbf{S}_y^{-1} \mathbf{K} + \mathbf{R})^{-1} \mathbf{R} \bar{\epsilon}_b + (\mathbf{K}^T \mathbf{S}_y^{-1} \mathbf{K} + \mathbf{R})^{-1} \mathbf{K}^T \mathbf{S}_y^{-1} \bar{\epsilon}_o \quad (1)$$

using the notation of Von Clarman et al ((JGR, vol 108, D23, 4746, doi:10.1029/2003JD003835, 2003) and  $\bar{\epsilon}_o$  is the bias in the observation vector. The first term on the right hand side maps ECMWF biases into solution vector biases. If the ECMWF bias was a constant across the profile, it would not map into the solution bias for the reasons given above. However, is  $(\mathbf{K}^T \mathbf{S}_y^{-1} \mathbf{K} + \mathbf{R})^{-1} \mathbf{R} \bar{\epsilon}_b \simeq 0$  for the MIPAS retrievals using realistic estimates of ECMWF temperature profile bias,  $\bar{\epsilon}_b$ ? If this has been shown, then the statement saying MIPAS and CCR biases are “entirely independent” is probably reasonable.

---

Interactive comment on Atmos. Chem. Phys. Discuss., 7, 3229, 2007.