

Thanks for your comments. Details on the “ranking” at the end of Section 2 are supplemented blow:

“In the processing of optimization of function ψ , in order to avoid problems on weighting four kinds of input information (n , k_{blue} , k_{red} and dSSA), we utilize a “rank position priority (RPP)” strategy, instead of using the traditional method of absolute residual minimization. Firstly, we number an integer series $\text{RP}_j(\varepsilon_n)$ related to each member of solution space $(f_1, f_2, f_3, f_4, f_5)_j$, $j = 1, \text{TN}$. The value of $\text{RP}_j(\varepsilon_n)$, or the rank position, is calculated based on ε_n while $\text{RP}_j(\varepsilon_n) = 1$ for the minimum ε_n and $\text{RP}_j(\varepsilon_n) = \text{TN}$ for the maximum ε_n ; Secondly, we create similarly the integer series $\text{RP}_j(\varepsilon_{k(\text{blue})})$, $\text{RP}_j(\varepsilon_{k(\text{red})})$ and $\text{RP}_j(\varepsilon_{\text{dSSA}})$ respectively; Thirdly, the j corresponds to $\min(\text{RP}_j(\varepsilon_n) + \text{RP}_j(\varepsilon_{k(\text{blue})}) + \text{RP}_j(\varepsilon_{k(\text{red})}) + \text{RP}_j(\varepsilon_{\text{dSSA}}))$ provides the optimization of function ψ and the corresponding $(f_1, f_2, f_3, f_4, f_5)_j$ is the best solution to optimize all kinds of information on n , k_{blue} , k_{red} and dSSA.”