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How frequent is natural cloud seeding from ice cloud layers (< −35 °C) over Switzerland?

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Abstract. Clouds and cloud feedbacks represent one of the largest uncertainties in climate projections. As the ice phase influences many key cloud properties and their lifetime, its formation needs to be better understood in order to improve climate and weather prediction models. Ice crystals sedimenting out of a cloud do not sublimate immediately but can survive certain distances and eventually fall into a cloud below. This natural cloud seeding can trigger glaciation and has been shown to enhance precipitation formation. However, to date, an estimate of its occurrence frequency is lacking. In this study, we estimate the occurrence frequency of natural cloud seeding over Switzerland from satellite data and sublimation calculations.

We use the DARDAR (ra*dar* li*dar*) satellite product between April 2006 and October 2017 to estimate the occurrence frequency of multi-layer cloud situations, where a cirrus cloud at $T < -35$ °C can provide seeds to a lower-lying feeder cloud. These situations are found to occur in 31 % of the observations. Of these, 42 % have a cirrus cloud above another cloud, separated, while in 58 % the cirrus is part of a thicker cloud, with a potential for in-cloud seeding. Vertical distances between the cirrus and the lower-lying cloud are distributed uniformly between 100 m and 10 km. They are found to not vary with topography. Seasonally, winter nights have the most multi-layer cloud occurrences, in 38 % of the measurements. Additionally, in situ and liquid origin cirrus cloud size modes can be identified according to the ice crystal mean effective radius in the DARDAR data. Using sublimation calculations, we show that in a significant number of cases the seeding ice crystals do not sublimate before reaching the lower-lying feeder cloud. Depending on whether bullet rosette, plate-like or spherical crystals were

assumed, 10 %, 11 % or 20 % of the crystals, respectively, could provide seeds after sedimenting 2 km.

The high occurrence frequency of seeding situations and the survival of the ice crystals indicate that the seeder–feeder process and natural cloud seeding are widespread phenomena over Switzerland. This hints at a large potential for natural cloud seeding to influence cloud properties and thereby the Earth's radiative budget and water cycle, which should be studied globally. Further investigations of the magnitude of the seeding ice crystals' effect on lower-lying clouds are necessary to estimate the contribution of natural cloud seeding to precipitation.

1 Introduction

Clouds and cloud feedbacks contribute the largest uncertainty to projections of climate sensitivity in global climate models (Cess et al., 1990; Soden and Held, 2006; Williams and Tselioudis, 2007; Boucher et al., 2013). Cloud microphysics, and especially cloud ice/water content, determine key cloud properties, such as their albedo and lifetime, and control precipitation formation (Mülmenstädt et al., 2015). The representation of the ice phase in clouds is therefore necessary to estimate the Earth's radiation budget and its response to climate change (Sun and Shine, 1995; Tan et al., 2016; Matus and L'Ecuyer, 2017; Lohmann and Neubauer, 2018) as well as to improve forecasts of precipitation in numerical weather prediction models. Natural cloud seeding can be a source of ice crystals in clouds, lead to the glaciation of clouds and enhance precipitation. Moreover, the seeder–feeder mechanism has been associated with the enhancement of extreme precipitation and flooding (Rössler et al.,

2014). An understanding of the seeder–feeder mechanism is therefore necessary to improve the representation of the cloud ice phase in weather and climate models, to improve weather forecasts of precipitation and ultimately to reduce uncertainty in climate simulations.

The seeder–feeder mechanism was originally proposed to explain an observed enhancement of precipitation over mountains. In this classical setting, precipitation from an overlying "seeder" cloud falls into an orographic "feeder" cloud. In the lower cloud, the precipitation particles grow by accretion, coalescence or riming, which leads to an enhancement of precipitation over the orography (Roe, 2005). This classical seeder–feeder mechanism has been observed in field studies in various locations (Dore et al., 1999; Purdy et al., 2005; Hill et al., 2007) and has been reproduced in a number of idealized modelling studies (e.g. Carruthers and Choularton, 1983; Robichaud and Austin, 1988).

Braham (1967) noted the possibility of ice crystals from cirrus clouds acting as seeds for ice formation in lower-lying warmer clouds. In this special case of the seeder–feeder mechanism, the seeding precipitation is specified as ice, but the presence of orography is not a prerequisite for the mechanism's occurrence. This natural cloud seeding is the focus of the current study, where hereafter the seeder–feeder mechanism and natural cloud seeding refer to ice particles falling from a cirrus cloud into a lower-lying cloud or a lower-lying part of the same cloud, which is either liquid, ice or mixed phase (Fig. 1). In a widened sense, the process of falling precipitation particles that feed on the hydrometeors in a lower part within the same cloud can also be understood as a seeder–feeder process (in-cloud seeder–feeder mechanism; Hobbs et al., 1980; see Fig. 1b). This study focuses on cirrus clouds as seeding clouds because they can be identified readily in the DARDAR (ra*dar* li*dar*) satellite data. Of course, other ice-containing clouds such as altocumulus or altostratus clouds may act as seeding clouds as well and may be the subject of a further study.

Cirrus clouds, which act as seeder clouds in this study, can form either from freezing of liquid droplets or in situ from homogeneous freezing of solution droplets or heterogeneous nucleation. Recent studies have suggested to classify cirrus clouds accordingly, as liquid or in situ origin ice clouds (Luebke et al., 2013; Krämer et al., 2016; Luebke et al., 2016; Wernli et al., 2016; Gasparini et al., 2018; Wolf et al., 2018, 2019). The formation mechanism has been shown to influence clouds' microphysical properties (Luebke et al., 2016; Wolf et al., 2018, 2019).

Seeding ice crystals can have a large influence on cloud properties, because in the atmosphere, at temperatures warmer than $-38\,°C$, ice can only be formed via heterogeneous nucleation on ice-nucleating particles (e.g. Kanji et al., 2017, and references therein). Once ice particles are formed within the cloud or enter the cloud from outside, they grow by riming or vapour deposition (rapidly via the Wegener–Bergeron–Findeisen process, where ice crystals grow at the expense of liquid droplets, when the water vapour saturation ratio is subsaturated with respect to water and supersaturated with respect to ice; Wegener, 1911; Bergeron, 1935; Findeisen, 1938) and can multiply through secondary ice production (Korolev and Leisner, 2020, Hallett–Mossop process, Hallett and Mossop, 1974; Mossop and Hallett, 1974, frozen droplet shattering, Lauber et al., 2018 or ice–ice collisional breakup Sullivan et al., 2018). Thereby, seeding ice crystals destabilize a cloud, which subsequently could glaciate and/or form precipitation. Because of the aforementioned enhancement processes in the ice phase, the seeder–feeder mechanism with seeding ice crystals is more efficient than the classical liquid seeder–feeder mechanism and has been found to lead to a larger precipitation enhancement (Choularton and Perry, 1986).

For natural cloud seeding to take place, the ice crystals' survival during the sedimentation through a subsaturated layer of air and into the lower cloud layer is crucial. Braham (1967) observed a spectacular case of ice crystals that survived a distance of 5 km in cloud-free air. This demonstrated the feasibility of natural cloud seeding (Hitschfeld, 1968; Locatelli et al., 1983). In a first theoretical study, Hall and Pruppacher (1976) found that "ice particles could survive distances of up to 2 km when the relative humidity with respect to ice was below 70 %". Natural cloud seeding through sedimenting ice crystals has been observed in a multitude of remote sensing and aircraft campaigns (Dennis, 1954; Hobbs et al., 1980, 1981; Locatelli et al., 1983; Hobbs et al., 2001; Pinto et al., 2001; Fleishauer et al., 2002; Ansmann et al., 2008; Creamean et al., 2013) and has been studied in mostly idealized model simulations (Rutledge and Hobbs, 1983; Fernández-González et al., 2015; Chen et al., 2020), where it has been found to mainly enhance ice and precipitation formation.

Seifert et al. (2009) and Ansmann et al. (2009) estimated such an occurrence frequency of natural cloud seeding for their lidar field study datasets indirectly when aiming to exclude all seeded clouds. They simply defined all mixed-phase clouds that had an ice cloud within 2 km above cloud top as a seeded ice cloud. For example, in Leipzig, about 10 % of ice-containing clouds at $-20\,°C$ were marked as seeded (ice-containing clouds made up 90 % of the observations at that temperature). A more thorough, regional estimate of seeder–feeder occurrence frequency in the Arctic was derived by Vassel et al. (2019). Using radiosonde and radar data from Svalbard, they deduced the frequency of multi-layer clouds as 29 %. Calculating the sublimation height of hexagonal plate ice crystals with a radius of 400 µm (radius meaning here: half of the maximum span across the hexagonal face), 26 % of observations contained a seeding case.

Such field studies have begun to elucidate the frequency and thereby the importance of natural cloud seeding regionally, but a thorough estimate is still lacking. With global coverage and sensors increasingly capable of resolving clouds and their vertical distribution, satellite data offer an opportu-
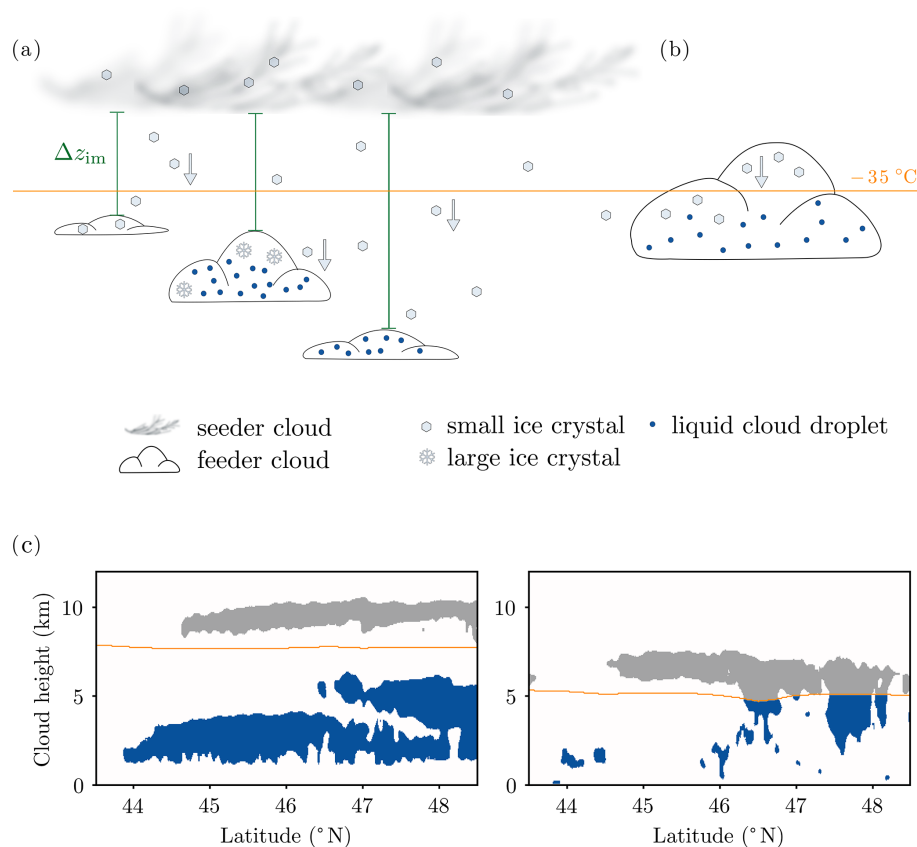
Figure 1. Sketch of the two seeder–feeder situations observed in this study. The orange lines depict the $-35\,°C$ isotherm; Δz_{im} is the distance between the lowest base of the cirrus cloud and the highest top of the cloud below. **(a)** Classical external seeder–feeder situation: a cirrus cloud ($T < -35\,°C$) is detected at least $100\,m$ above a cloud at $T > -35\,°C$ ($\Delta z_{im} > 100\,m$). The latter cloud is termed a "mixed-phase" cloud for simplicity but could also be liquid or ice phase. **(b)** In-cloud seeder–feeder situation: the algorithm detects the cloud part above the $-35\,°C$ isotherm as a cirrus cloud and the cloud part below as a mixed-phase cloud ($\Delta z_{im} < 100\,m$). Ice crystal shapes are depicted according to Libbrecht (2005, Fig. 2). **(c)** Seeder–feeder situations as seen in the DARDAR data. Cirrus clouds above the $-35\,°C$ isotherm are depicted in grey; clouds below in blue. Left: exemplary plot of the classical external seeder–feeder situation (data from 29 May 2007); right: exemplary plot of only a mixed-phase or a cirrus cloud present (latitudes equatorwards of $46°\,N$) and the in-cloud seeder–feeder situation (polewards of $46°\,N$, data from 3 December 2010).

nity to fill the gap from single observations to whole-Earth long-time observations to derive such a frequency estimate. Multi-layer clouds can be investigated using CloudSat and Cloud-Aerosol Lidar and Infrared Pathfinder Satellite Observation (CALIPSO) data (e.g. Wang et al., 2000; Mace et al., 2009; Das et al., 2017; Matus and L'Ecuyer, 2017). To provide an estimate of the natural cloud seeding frequency, sublimation calculations need to be combined with the seeder–feeder situation/multi-layer cloud occurrence frequencies as done by Vassel et al. (2019).

In this study, we employ the DARDAR satellite product that is based on CloudSat and CALIPSO data (Delanoë and Hogan, 2008, 2010b; Ceccaldi et al., 2013) and combine it with sublimation calculations to derive a frequency estimate of seeder–feeder situations over Switzerland. Note that we consider as seeder clouds only cirrus clouds to ensure that the they contain ice. In the following section (Sect. 2), the

DARDAR satellite product, our analysis and the sublimation calculations are described. In Sect. 3.1, findings from the analysis of the DARDAR data are presented and discussed, followed by the results from the sublimation calculations in Sect. 3.2. Conclusions and an outlook are given in Sect. 4.

2 Methods and data

2.1 Satellite data

The DARDAR-CLOUD satellite data product used in this study is based on radar and lidar data from the CloudSat and CALIPSO satellites. The satellites were launched jointly on 28 April 2006 into the A-Train or afternoon constellation, a coordinated group of satellites in a Sun-synchronous polar orbit (Stephens et al., 2002). CloudSat has a cloud profiling radar on-board that senses cloud particles and detects precip-

itation (Stephens et al., 2008). CALIPSO carries the Cloud-Aerosol Lidar with Orthogonal Polarization (CALIOP) and two passive sensors, a visible camera and a three-channel infrared radiometer (Winker et al., 2010). The two satellites are designed for their data to be combined: the lidar on CALIPSO is able to identify the thin upper layers of cirrus clouds that the radar on CloudSat misses (Winker et al., 2010), while the latter is able to look through thick clouds where the lidar beam is attenuated. Because of their joint operations and almost simultaneous time measurements, the two satellites provide novel ways to look at precipitation, aerosols and the vertical distribution of clouds (Gao et al., 2014; Hong and Liu, 2015; Naud et al., 2015; Stephens et al., 2018; Witkowski et al., 2018).

From the CloudSat and CALIPSO data, Delanoë and Hogan (2010b) developed the DARDAR satellite product that provides cloud classification and ice cloud properties. It was developed further into a DARDAR v2 by Ceccaldi et al. (2013). DARDAR data are retrieved at 60 m vertical resolution up to an altitude of 25 km and a horizontal resolution of 1.4 km (Delanoë and Hogan, 2010a). Next to other cloud properties, it contains a classification of the layer at each grid point with categories like clear sky, ice, liquid or supercooled clouds, aerosols, etc. as well as the retrieved effective ice crystal radius.

In this study, DARDAR-CLOUD v2.1.1 data (as described in Ceccaldi et al., 2013) from April 2006 through October 2017 were used. Due to CloudSat's battery problems, there are no data between April 2011 and April 2012 and merely daylight-only operations mode data thereafter (Stephens et al., 2008; Witkowski et al., 2018; CloudSat radar status, 2020).

Analysis method

The study domain surrounds Switzerland (43.5 to 48.5° N and 4 to 12° E) and contains most of the Alps. Figure 2 shows the geographic distribution of all satellite tracks that go through the chosen domain. In order to evaluate the frequency of seeder–feeder situations four variables were created:

|	
frac_cov (–)	The fraction of sky covered with a specific combination of cloud top and cloud base temperatures.
icebase (m)	The height (altitude above sea level) of the lowest cloud grid point with $T < -35\,°C$ (lowest base of a cirrus cloud).
Δz_{im} (m)	The distance between the lowest cirrus cloud base and the highest top of the cloud below (in the following called mixed-phase cloud).
reff (µm)	The effective radius of ice crystals at the lowest cirrus cloud base.
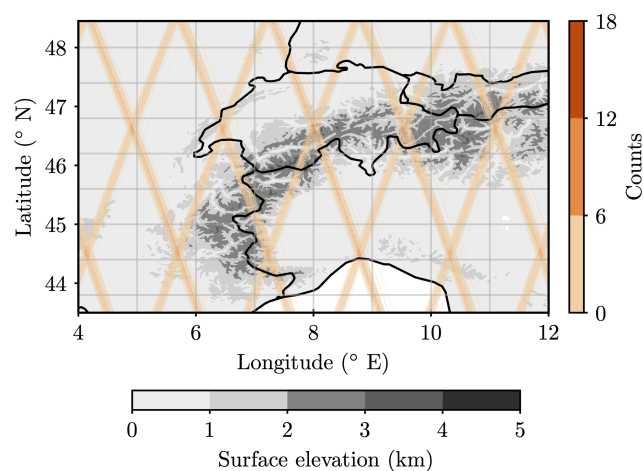
Figure 2. Geographical distribution of the satellite observations: number of tracks through each point within the study domain (43.5 to 48.5° N and 4 to 12° E) over the whole time period analysed in this study (2006–2017).

All variables were derived from a cloud mask, where DARDAR categories 1, 2, 3 and 4 (ice, ice plus supercooled, liquid (warm and supercooled)) were combined to simply signify the presence of cloud layers. This cloud mask was found to be noisy and was therefore filtered (using a median filter over the surrounding 7×7 point plane, in altitude and horizontally along the track). For icebase, Δz_{im} and reff the cloud mask were combined with a temperature mask to differentiate between mixed-phase and cirrus clouds. In this study, cirrus clouds are defined as clouds at temperatures lower than $-35\,°C$, and mixed-phase clouds are defined as all clouds with temperatures warmer than $-35\,°C$. Depending on their size, liquid cloud droplets supercool to -35 to $-40\,°C$ before freezing homogeneously (e.g. Pruppacher and Klett, 2010; Murray et al., 2010; Herbert et al., 2015; Kanji et al., 2017). However, in tests preceding this study, a threshold of -38 instead of $-35\,°C$ proved to have no evident impact on the results. Note that clouds termed "mixed-phase" could in principle be in the liquid or ice phases in reality, depending on their history and the presence of ice-nucleating particles (see Fig. 1a). Similarly, in this study, we denote all ice clouds at temperatures colder than $-35\,°C$ as cirrus clouds, which could be isolated ice clouds or the upper parts of mixed-phase clouds.

The combined cloud and temperature masks were applied to the altitude and effective ice crystal variable in the DARDAR data to find the values at the lowest cirrus cloud base (for icebase, reff and Δz_{im}) and at the highest mixed-phase cloud top (for Δz_{im}). Prior to this, the effective ice crystal radius was also filtered for consistency. As a filter for the effective radius, the vertical median with an extent of four pixels up and four pixels down from the one in question was applied, using only those pixels where the unfiltered cloud mask detected a cloud. For Δz_{im}, the altitude of the highest

mixed-phase cloud top was subtracted from the altitude of the lowest cirrus cloud base. Finally, the dataset was saved on a grid with a resolution of $0.005° \times 0.005°$ with no quality loss compared to the original DARDAR data. During regridding, areas containing no satellite tracks were set to missing data to be able to derive the total number of observations later on.

2.2 Ice crystal sublimation calculations

Environmental parameters such as the air density, air temperature and the relative humidity also affect the ice crystal sublimation rate and fall velocity. For these parameters, Hall and Pruppacher (1976) used the NACA (National Advisory Committee for Aeronautics) standard profile, while Vassel (2018) and Vassel et al. (2019) used radiosonde profiles that were averaged for each subsaturated layer in their calculations. Since the environmental conditions are primary determinants of the sublimation height, we chose the most detailed information available. Relative humidity and temperature were therefore taken from ERA5 reanalysis data from the European Centre for Medium-Range Weather Forecasts (ECMWF; Hersbach et al., 2020). From the DARDAR data icebase, Δz_{im} and reff were used. Prior to calculations, the ERA5 data were regridded vertically to match the DARDAR 60 m resolution; horizontally, points closest to the DARDAR points were chosen. As only hourly ERA5 data were available, data from the hour closest to the entry time of the satellites into the study domain were used. The sublimation height was calculated individually for every point in every available track file where there was at least one cirrus cloud above a mixed-phase cloud present. The algorithm is based on work by Vassel (2018). It was applied to three different shapes of ice crystals, namely spheres, hexagonal plates and bullet rosettes. These three were chosen to sample ice crystal properties, e.g. to span the possible range of terminal velocities. In particular, bullet rosettes have been found to be one of the most abundant shapes in cirrus clouds (Lawson et al., 2019; Heymsfield and Iaquinta, 2000). And ice crystals have been found to evolve into spherical shape while sublimating (Nelson, 1998), which makes these ideal shapes to use. Additionally, the computations were run for plate-like ice crystals, which experience intermediate drag and can also occur in cirrus clouds (Libbrecht, 2005), to include an ice crystal type used in Vassel et al. (2019). The equations shown refer to the spherical particle. Information for the computations using hexagonal plates and bullet rosettes is given in Tables A3 and A4 in Appendix A.

The sublimation algorithm was applied in 0.01 s time steps (dt) as follows, where the initial height of the ice particle was icebase. The variables and constants used are given in Tables 1 and 2. The mass of the ice crystal was calculated from the radius:

$$m[0] = \frac{4}{3}r[0]^3 \rho_i \pi. \tag{1}$$

Table 1. Variables used in the sublimation calculations as described in the text. For a comprehensive list, see also Table A1.

Symbol	Long name	Units
C	capacitance of the ice particle	m
D_v	diffusivity of water vapour in air	$m^2\,s^{-1}$
G	growth factor	$kg\,m^{-1}\,s^{-1}$
m	mass of the ice particle	kg
r	effective radius of the ice particle	m
ρ_{air}	air density	$kg\,m^{-3}$
s	supersaturation with respect to ice	–
v	fall speed of the ice particle	$m\,s^{-1}$
z	height of the ice particle	m

For a sphere, the capacitance of the ice particle is simply equal to the radius at time step i (Lohmann et al., 2016, p. 240):

$$C = r[i]. \tag{2}$$

Following Lamb and Verlinde (2011), the change in mass is

$$dm = 4\pi C[i]\rho_i G[i]s[i]f[i]dt, \tag{3}$$

which was used to time step mass and radius of the ice crystal:

$$m[i+1] = m[i] + dm \tag{4}$$

$$r[i+1] = \sqrt[3]{\frac{3m[i+1]}{4\rho_i \pi}}, \tag{5}$$

using the ventilation factor f determined from Eq. (A5). The fall speed is calculated following Seifert and Beheng (2006), with coefficients given in Table 2, and used to time step the height of the particle:

$$v[i+1] = \alpha m[i+1]^\beta \left(\frac{\rho_{air,0}}{\rho_{air}}\right)^\gamma \tag{6}$$

$$z[i+1] = z[i] - v[i+1] \cdot dt. \tag{7}$$

Equations used to generate the values needed in the above equations are given in Appendix A, with additional variables and constants in Tables A1 and A2.

In between cloud layers, small up- or downdrafts can be expected. For lack of reliable data on such small scales, the updraft velocity was not considered in the sublimation calculations. Also, radiative heat transfer to and from the ice particles was ignored since Hall and Pruppacher (1976) found that it "is only of secondary importance in determining [an ice particle's] survival distance in subsaturated air". While the calculations are based on a scheme developed by Vassel (2018), here additional factors such as the ventilation factor and the temperature dependency in the dynamic viscosity were added. Furthermore, Vassel et al. (2019) used mass–diameter relations and fall speed derived in Mitchell (1996),

Table 2. Constants used in the sublimation calculations for a sphere as described in the text. For a comprehensive list, see also Table A2. Note that the parameterization for the velocity–mass relation for cloud droplets from Seifert and Beheng (2006) is used for spherical ice crystals in this study. Constants that differ for a hexagonal plate or rosette crystal are given in Tables A4 and A6.

Symbol	Long name	Value
α	coefficient for the velocity–mass relation for cloud droplets (Seifert and Beheng, 2006, Table 1)	$3.75 \times 10^5 \, \mathrm{m\,s^{-1}\,kg^{-\beta}}$
β	coefficient for the velocity–mass relation for cloud droplets (Seifert and Beheng, 2006, Table 1)	2/3
γ	coefficient for the velocity–mass relation for cloud droplets (Seifert and Beheng, 2006, Table 1)	1
$\rho_{\mathrm{air},0}$	reference density of air	$1.225 \, \mathrm{kg\,m^{-3}}$
ρ_{i}	density of ice	$0.92 \times 10^3 \, \mathrm{kg\,m^{-3}}$

which in this study are taken from Pruppacher and Klett (2010), Heymsfield and Iaquinta (2000) and Seifert and Beheng (2006) due to the differing ice crystal types used here.

The time-stepping script was set to run for a day but was stopped when the particle had reached Earth's surface or sublimated (zero mass or a radius less than 10^{-8} m). The sublimation height was returned and compared to the height of the mixed-phase cloud top, which was derived from icebase and Δz_{im} in the DARDAR data. When the sublimation height was lower than the height of the mixed-phase cloud top, the ice crystals at that grid point were marked as seeding.

These calculations present a conservative estimate. In reality, ice crystals have a size distribution. The large ice crystals within a distribution survive longer sedimentation distances than the ones with the effective radius, for which the survival is calculated. Also, the effective radius of ice crystals is underestimated in DARDAR v2 compared to the newer version (v3, which is not available yet) by 5 % to as much as 40 % (Cazenave et al., 2019).

3 Results and discussion

3.1 DARDAR data

3.1.1 Distribution of distances between ice and mixed-phase cloud layer

Figure 3 shows the average frequency of Δz_{im}, the distance between the cirrus and mixed-phase cloud, within the DARDAR dataset (as described in Sect. "Analysis method", any cloud at temperatures $> -35\,^{\circ}$C is termed "mixed-phase" in this study). It can be understood as the average distribution of Δz_{im} within a unit area. Overall, 69 % of all measurements do not show a cirrus–mixed-phase cloud distance at all. In those cases, either clouds of only one category were present or none at all (30 % of the measurements are cloud free). In total, 31 % of the measurements contain both a cirrus and a mixed-phase cloud simultaneously. This is the percentage of cases in which a seeding of the lower cloud by ice crystals falling from the ice cloud above is possible. Tailoring this result to the sedimentation of ice crystals from a cirrus cloud, when only the measurements that detect a cirrus cloud

are taken into account, in 75 % of these measurements also a mixed-phase cloud below them is detected.

In 44 % of the cases with a detected cirrus cloud (18 % in total), Δz_{im} is smaller than 100 m. This may either be the case when the cirrus and the mixed-phase cloud are truly separated by a small distance, or when the two differently classified layers are actually part of the same cloud. From the construction of the classification algorithm, the latter would be the case when the $-35\,^{\circ}$C isotherm intersects the cloud. This case is illustrated in Fig. 1b. In contrast to Mace et al. (2009) and Vassel et al. (2019), our algorithm does not require a cloud-free layer in between the mixed-phase and the cirrus cloud, so we also observe a potential for in-cloud seeding. However, clouds connected by sedimenting ice would also be seen as a cirrus cloud with a very small or no distance to the next mixed-phase cloud in our analysis. Ansmann et al. (2009) observed ice virga between the seeder and the feeder cloud and Mace et al. (2009) also mentioned this as a cause of misclassification in their study. Of course, in cases where the $-35\,^{\circ}$C isotherm lies within the cirrus cloud, there could be another mixed-phase cloud underneath. The distance to this second cloud does not appear in our analysis.

The other half of the cases ($\Delta z_{\mathrm{im}} > 100$ m) represents the classical external seeder–feeder situation, with a cirrus cloud clearly separated from a mixed-phase cloud below (see Fig. 1a). The Δz_{im} are distributed equally between 2000 and 6000 m, increase for smaller and decrease for larger Δz_{im}. The smaller frequencies at $\Delta z_{\mathrm{im}} < 2000$ m are due to the few possibilities for both cirrus and mixed-phase cloud to be located close to the $-35\,^{\circ}$C isotherm. Because the cirrus cloud frequency decreases for large heights, the Δz_{im} occurrence frequency decreases as well for $\Delta z_{\mathrm{im}} > 6000$ m. Generally speaking, Δz_{im} increases with increasing upper cloud height (see Fig. B2).

In this distribution and in the following analysis, the effect of vertical wind shear of the horizontal wind cannot be taken into account, because the satellite retrieval only obtains instantaneous profiles, without any information on their temporal development. In the time that ice crystals need to sediment distances of a few kilometres, undoubtedly the clouds in question move relative to each other when wind shear is present. However, this movement can go in both ways, either
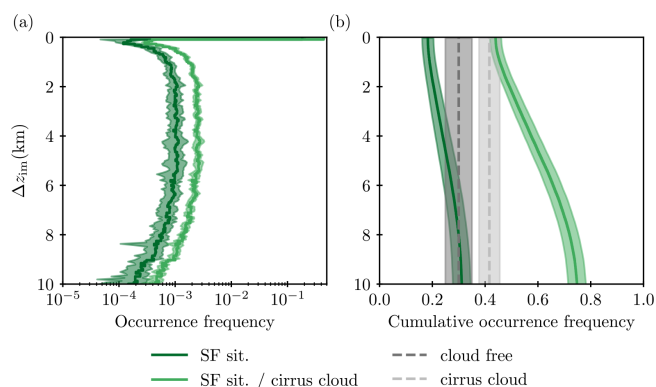
Figure 3. (a) Occurrence frequency of seeder–feeder situations (SF sit.) with respective Δz_{im} as a fraction of measurements (dark green) or cirrus cloud measurements (light green). **(b)** Cumulative occurrence frequency. For Δz_{im}, a vertical resolution of 60 m is used. For comparison, the fractions of measurements with at least one cirrus cloud (light grey) and with a cloud-free atmosphere (dark grey) are given. Here and in the following, data from all tracks in the study time (2006 to 2017) and within the study domain were used (2210 satellite tracks). The total number of measurements is 853 833, with 267 354 measuring Δz_{im} and 355 331 measuring cirrus clouds. The shaded areas visualize the standard deviation of interannual variability. Note that $\Delta z_{im} = 0$ m is at the base of the lowest cirrus cloud layer with $T < -35\,°C$.

removing or creating a multi-layer cloud situation. On average, these two effects are expected to cancel out, so that the results with and without considering wind shear should be similar.

Our results for multi-layer cloud occurrence frequency, 13 % ($\Delta z_{im} > 100$ m), are smaller than the ones given in the following literature. In their analysis of CALIPSO and CloudSat data, Mace et al. (2009) estimated the global occurrence of multiple layers to be 24 %. Wang et al. (2000) derived an estimate of 42 % from a radiosonde dataset. Of course the domain around Switzerland in this study is not expected to reproduce the global average, but Fig. 17a in Mace et al. (2009) and Fig. 5 in Wang et al. (2000) show average frequencies for Switzerland that are similar to the global average frequency. Using CloudSat and CALIPSO data as well, Matus and L'Ecuyer (2017) found an average multi-layer cloud fraction of about 25 % for the midlatitudes of Switzerland. The layers derived from radiosonde data by Wang et al. (2000) are much thinner than the ones found with remote sensing, possibly because large sedimenting particles cause multiple thin layers to be identified as one large layer by the radar (Mace et al., 2009). One might therefore expect that the results from this current satellite study are closer to the ones from Mace et al. (2009) and Matus and L'Ecuyer (2017). Most importantly, the present study only looks at multiple layer occurrence between cirrus and mixed-phase clouds, which is lower than the total multi-layer occurrence frequency. As a proxy for the multiple layer occurrence be-

tween cirrus and mixed-phase clouds in Mace et al. (2009), one might use the relative occurrence frequency of low with high clouds and middle with high clouds from Mace et al. (2009) (about 70 % and 10 %), relative to their overall multi-layer occurrence frequency of 24 %. Their resulting absolute high with low or mid-cloud layer occurrence frequency is then approximately 20 %. The result for two cloud cases in this study of 13 % is smaller than the value derived by Mace et al. (2009), although they used even more restrictive conditions for their classification of multiple layers, requiring almost 1 km of cloud-free space in between them. As mentioned before, the in-cloud seeder–feeder situations provide no information on the occurrence of mixed-phase layers below, hiding possible two-cloud cases. Cirrus clouds in the tropical tropopause layer and clouds close to the surface are known to be missed by the radar and lidar on CloudSat and CALIPSO (Chan and Comiso, 2011; Liu et al., 2015; Krämer et al., 2020), but these are not relevant for this study.

3.1.2 Effect of topography

A geographical difference in cloud cover could be expected from the differing impacts that weather regimes have on different European regions in general (Pasquier et al., 2019; Grams et al., 2017). The study domain contains locations with a large range of surface altitudes (see Fig. 2). One could imagine the Δz_{im} to be smaller in the Alps than over the Swiss Plateau, simply because of a thinner troposphere over orography. Also the orographic forcing would be expected to increase cloud cover. For an analysis of topographical influence, we split the dataset by surface altitudes above or below 1 km and analyse the distribution of Δz_{im}, shown in Table 3. The difference in the fraction of distances larger than 100 m between locations with a topography higher or lower than 1 km is less than 1 %. The distribution of total Δz_{im} between mountainous terrain and flat land reproduces the distribution of measurements (about 30 % are taken over orography higher than 1000 m and about 70 % over terrain lower than 1000 m; not shown). Contrary to what we expected, we find no topographical effect in the distribution of Δz_{im} (see also Fig. B1).

3.1.3 Effect of season and time of day

Table 3 also contains the results of the seasonal analysis of Δz_{im}. Winter measurements have more multi-layer clouds according to our definition than summer measurements. The relative increase of the fractions of Δz_{im} is similar for the smaller ($\Delta z_{im} < 100$ m) and the larger distances ($\Delta z_{im} > 100$ m). In particular, winter nights have the highest fraction of multiple layer cloud measurements. Multiple cloud layers are about 23 % more frequent in winter nights than in summer nights, mostly due to an increase in Δz_{im} larger than 100 m. Other than the increase in Δz_{im} during the night in

winter, there are no substantial differences in frequencies be-
tween day and night within a seasonal category.

The simplest explanation for the increased frequency of
multi-layer clouds in winter measurements is simply an in-
creased cloud cover in winter. To see whether this is a robust
finding, it was tested with the CALIPSO – GCM Oriented
Cloud Calipso Product (GOCCP) dataset (Chepfer et al.,
2010, 2013). With a comparison of frac_cov from DARDAR
vs. CALIPSO cloud cover data (Fig. C1), the two datasets
were found to mostly agree. Therefore, the CALIPSO dataset
can be used to validate the hypothesis of an increased cloud
cover in winter. Indeed, in CALIPSO, total winter cloud
cover is higher over almost the whole domain (Fig. C1c).
The increase of cloud cover in winter is strongest for low
and high clouds (low clouds: pressure > 680 hPa, height
< 3.2 km, high clouds: pressure < 400 hPa, height > 6.5 km
in the CALIPSO data; not shown). This confirms the find-
ing that in winter we see an increase in both small and large
Δz_{im}. In addition, icebase is lower in winter (not shown), in
particular for $\Delta z_{im} < 100$ m, which also increases the num-
ber of Δz_{im}.

3.1.4 Ice crystal effective radius and cirrus cloud origin

The DARDAR dataset provides the mean effective ice crys-
tal radius, which we use in our sublimation calculations.
In Fig. 4, the size distribution is displayed by the ice crys-
tals' occurrence height, namely the lowest cirrus cloud base
heights (icebase). The ice crystal size range, between 25 and
60 µm in radius, agrees with the one found in another DAR-
DAR study by Hong and Liu (2015). It is also within the
range from 1 to 100 µm that Krämer et al. (2009, 2020) find
for cirrus clouds in aircraft campaigns.

There is a visible trend for smaller ice crystals at higher
altitudes. This again agrees with Hong and Liu (2015) and
Heymsfield et al. (2013), who find that ice crystal size de-
creases with decreasing temperature. An interesting feature
in Fig. 4a is that while the shape of the distribution is rather
symmetrical around this trend, large ice crystals abruptly
stop appearing at heights larger than about 9.5 km. This hints
at two modes within the size distribution. These have been
found in earlier studies and have lately been linked to the dif-
ferent origins of cirrus clouds by Luebke et al. (2013), Lue-
bke et al. (2016), Krämer et al. (2016), Wernli et al. (2016),
Gasparini et al. (2018) and Wolf et al. (2018, 2019). Liquid
origin clouds form from supercooled water droplets which
are uplifted to the cirrus temperature range. They freeze ei-
ther heterogeneously at warmer temperatures or predomi-
nantly homogeneously at temperatures around -35 °C. In
the cirrus temperature range, cirrus clouds can also form
by homogeneous nucleation of solution droplets or hetero-
geneous nucleation on ice-nucleating particles. These cirrus
clouds are termed "in situ origin cirrus clouds". The two
types mostly differ in their ice water content and the ice crys-
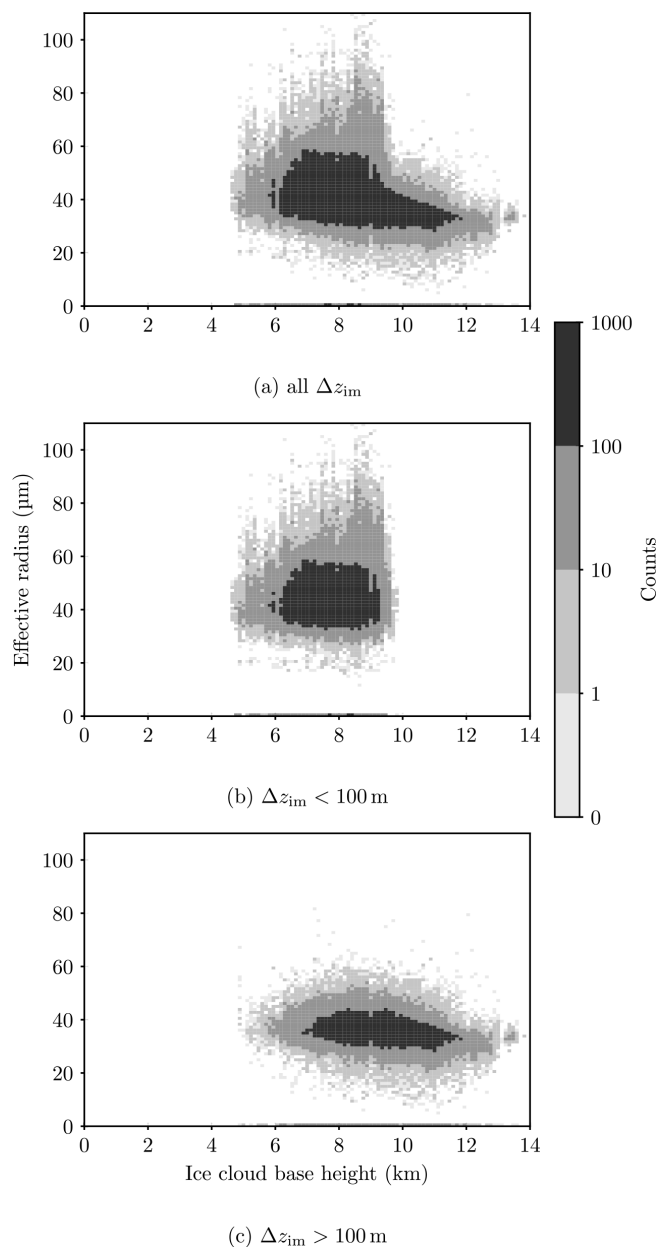
Figure 4. Distribution of reff. **(a)** For all multi-layer clouds.
(b) Only those data points with a distance < 100 m to the next
mixed-phase cloud top. **(c)** Only those data points with a distance
> 100 m to the next mixed-phase cloud top.

tal size, with both being larger for liquid origin cirrus clouds
(Luebke et al., 2016).

We split the dataset into one part with $\Delta z_{im} > 100$ m and
one with $\Delta z_{im} < 100$ m as a proxy for the two cloud origins:
in situ origin cirrus have large distances to the next under-
lying mixed-phase cloud, while liquid origin cirrus appear
close to the -35 °C isotherm. This separation indeed pro-
duces two different modes, as can be seen in Fig. 4b and
c. Figure 4b corresponds to liquid origin cirrus clouds. It

Table 3. Δz_{im} seasonality: fraction (%) of Δz_{im} smaller than 100 m and larger than 100 m in all measurements with the specified surface height, for summer vs. winter and day vs. night (Julian days ≥ 106 and < 289 are summer, hours ≥ 6 and < 18 are days). In total, 31 % of the measurements contain both a cirrus and a mixed-phase cloud. Δz_{im} values up to 12 km in length were evaluated.

Season	Time of day	Whole domain		Surface < 1 km		Surface > 1 km	
		Δz_{im} < 100 m	Δz_{im} > 100 m	Δz_{im} < 100 m	Δz_{im} > 100 m	Δz_{im} < 100 m	Δz_{im} > 100 m
All	All	18	13	18	13	19	13
	Day	18	13	18	13	19	13
	Night	18	14	18	14	18	14
Summer	All	17	11	16	12	17	12
	Day	17	11	16	12	17	12
	Night	16	12	16	12	17	12
Winter	All	21	15	21	14	21	15
	Day	21	13	20	14	21	14
	Night	21	17	21	17	21	17

displays larger ice crystals, from ≈ 35 to $\approx 90\,\mu m$ at cirrus cloud base heights from 4500 to 9500 m, with an abrupt decrease in occurrence frequency at cirrus cloud base heights higher than 9500 m. The decrease at the maximum cirrus cloud base height is associated with $\Delta z_{im} < 100\,m$ (see Fig. B2). The in situ cirrus clouds in Fig. 4c display smaller crystals, from ≈ 30 to $\approx 60\,\mu m$, over a larger cirrus cloud height range, from roughly 6 to 13 km. Here, the trend of smaller ice crystals at larger cirrus cloud heights is obvious. Figure 4 confirms the distinction between liquid origin and in situ cirrus clouds as proposed, e.g. by Krämer et al. (2016). It also confirms the finding from Luebke et al. (2016) that liquid origin cirrus clouds are composed of larger ice crystals.

There are a few caveats to this result. First, by the construction of the classification algorithm, in situ cirrus clouds are sampled for the ice crystal radius at their base, while liquid origin clouds are sampled in the interior. However, this difference is expected to have the opposite effect of what we observed (larger ice crystals for liquid origin clouds). At the cloud bases, the ice crystals are expected to be larger than in their core (Miloshevich and Heymsfield, 1997; Heymsfield and Iaquinta, 2000), simply because of larger particles sedimenting further down within a cloud. Secondly, the classification scheme only has liquid origin clouds in the $\Delta z_{im} < 100\,m$ part, while liquid origin clouds that have been uplifted entirely to heights above the $-35\,°C$ isotherm are present in the second, in situ origin cirrus part of the dataset ($\Delta z_{im} > 100\,m$), if such a lifting occurs. This erroneous classification has already been noted by Gasparini et al. (2018). However, Fig. 4c displays only one mode, missing any signal of the mode present in the $\Delta z_{im} < 100\,m$ part of the dataset (see Fig. 4b). This suggests that the influence of the liquid origin on the microphysical properties of the cirrus clouds is lost once the clouds are lifted, for example, because the large ice crystals sediment out, or that lifting of entire clouds above

the $-35\,°C$ isotherm hardly ever occurs. Wernli et al. (2016), who investigated the frequency of the formation pathways in a trajectory-based analysis, noted that ice crystal sedimentation and cloud turbulence could "potentially alter the local cirrus characteristics and "confuse" the simple categorization". However, the distinctively different ice crystal size distributions for the two modes in Fig. 4b and c suggest that liquid origin clouds are not altered by sedimentation so much that they are confused for in situ clouds. Instead, the data suggest that liquid origin clouds are hardly ever lifted entirely above the $-35\,°C$ isotherm, which is likely because of their large vertical extent.

In a broader context, the results in Fig. 4 show that satellite data, in particular the DARDAR dataset, are valid means to explore the classification of cirrus clouds into liquid and in situ origin further, as it has been called for by Wolf et al. (2019).

Note that the ice crystal radii, the cirrus cloud base heights and the Δz_{im} values span a wide range of values (see Figs. 3 and 4). Therefore, sublimation calculations needed to be applied to each instance individually, as detailed in the next section.

3.2 Sublimation between cloud layers

As described in Sect. 2.2, the sublimation calculation was applied to each grid point within the DARDAR data that had a cirrus cloud present above a mixed-phase cloud layer, using DARDAR and ERA5 data as input. The sublimation height of the ice crystals was calculated three times, assuming spherical ice crystals, plates and bullet rosettes. If the sublimation height was lower than the mixed-phase cloud top, the case was marked as a seeder–feeder situation.
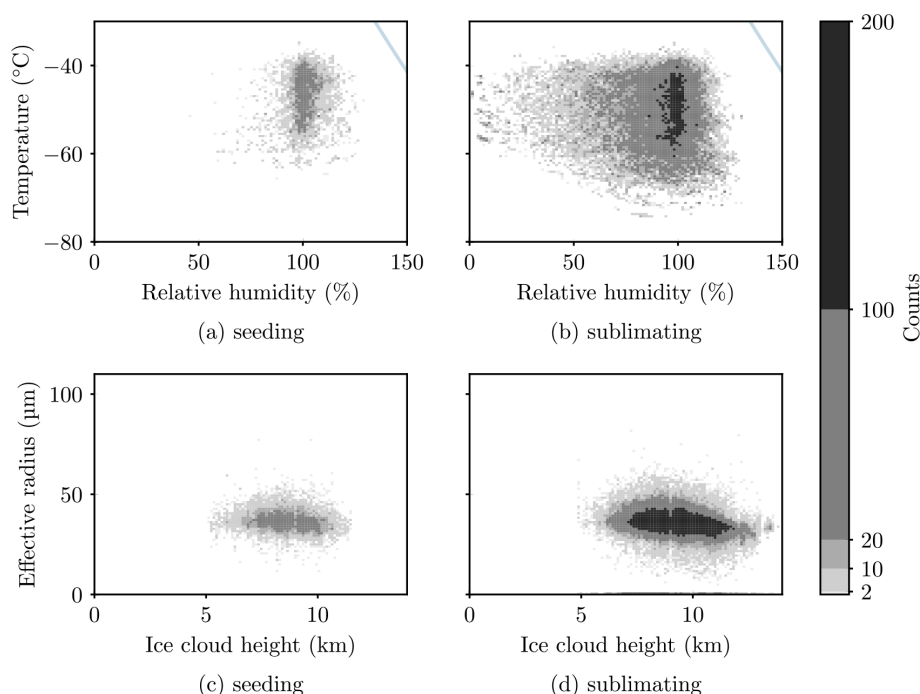
Figure 5. Environmental conditions at cirrus cloud base. Absolute frequency of temperature as a function of relative humidity with respect to ice at cirrus cloud bases with $\Delta z_{im} > 100$ m and **(a)** where spherical ice crystals survive the sedimentation and seed the lower cloud, **(b)** where spherical ice crystals sublimate before reaching the mixed-phase cloud. The light blue line depicts saturation with respect to water. Absolute frequency of effective ice crystal radius at cirrus cloud base as a function of cirrus cloud height with $\Delta z_{im} > 100$ m and **(c)** where spherical ice crystals survive the sedimentation and seed the lower cloud, **(d)** where spherical ice crystals sublimate before reaching the mixed-phase cloud. The sum of panels **(c)** and **(d)** is displayed in Fig. 4c. For improved readability, the colour-bar label for bin 1 is not shown.

3.2.1 Variation of survival with environmental parameters

For the evaluation of the survival chance, only cases with $\Delta z_{im} > 100$ m were taken into account. Distances smaller than 100 m represent the in-cloud seeder–feeder mechanism, where ice crystals fall through saturated or supersaturated cloudy air only before interacting with other hydrometeors. Comparing Fig. 5a and b, one can see the effect of temperature and relative humidity: ice crystals only reach the lower cloud if $RH_i > 90$ %. Only those starting at temperatures warmer than $-65\,°C$ seed. At lower temperatures, the ice crystals sublimate, even if the air was supersaturated at the start of the sedimentation. Note that due to data storage constraints, we can only show the impact of the temperature and relative humidity at the starting cirrus cloud base height on the falling ice crystals. But height-resolved ERA5 data of temperature and relative humidity were used for the calculations. These starting values can be seen as proxies for the values during sedimentation, but for large sedimentation distances of up to about 5 km, the starting values are not representative. Vassel et al. (2019) conducted a sensitivity study with relative humidities varying by ±5 %, but this variation is rather small. In this, their resulting seeding fraction does

not change substantially. However, the relative humidity variations over the distances travelled by ice crystals in our calculations can exceed 5 % substantially.

Figure 5c shows that ice crystals do not survive the fall from cirrus cloud base heights above 11 km. We attribute this to smaller ice crystals at these colder temperatures and to the fact that high cirrus cloud bases correspond to large distances to lower-lying mixed-phase clouds that ice crystals are less likely to survive. This also explains why ice crystals starting their sedimentation at colder temperatures sublimate more often before reaching a lower cloud than those sedimenting from warmer cloud bases, as the temperature limit of $-65\,°C$ corresponds to the height limit of 11 km (see Fig. 5). Both Hall and Pruppacher (1976) and Vassel et al. (2019) identified the ice crystal size as important determinant for ice crystal survival. Here, we find that ice crystals with radii smaller than $30\,\mu m$ usually do not survive the sedimentation. On the other hand, also larger ice crystal sizes, above $50\,\mu m$, do not guarantee a successful seeding. Note that we only evaluate the mean ice crystal size is used in this study so that the large spread which occurs in ice crystal size distributions is not represented.

For the analysis of both environmental parameters and DARDAR variables on ice crystal survival, the results assum-

ing ice crystals to be plates and bullet rosettes are similar to those presented in here. One marked difference is that crystals starting in a subsaturated environment with respect to ice sublimate and do not seed when assuming them to be plates or bullet rosettes (see Fig. B3).

A comparison to literature data is difficult because the assumptions vary greatly between studies. Hall and Pruppacher (1976) compute sublimation heights for ice particles with an initial radius of 160 µm, at fixed relative humidities with respect to ice between 30 % and 90 %. Their spherical ice particles sublimated at distances of 1 to 4 km from the starting altitude of about 9 km. The relative humidities that we find at the starting altitudes are similar to their range, as are our survival distances. Vassel et al. (2019) did not provide information on the distances between the cloud layers they studied. Preliminary work by Vassel (2018) contained the result of two exemplary sublimation calculations assuming constant temperature and relative humidity in the subsaturated layer. The result is in line with the results presented in Fig. 6, where about 42 %, 47 % or 64 % of cases with $\Delta z_{im} = 500$ m lead to successful seeding (for rosettes, plates and spheres, respectively).

3.2.2 Influence of the ice crystal shape

The fraction of Δz_{im} with successful seeding is shown in Fig. 6 for plates, spherical ice crystals and bullet rosettes. For $\Delta z_{im} > 5$ km, there is a only a slight chance for ice crystals to survive the fall between the cirrus and the underlying mixed-phase cloud. For $\Delta z_{im} = 2$ km the survival rate of spherical ice crystals increases to 20 %. Survival chances increase linearly, until 81 % of the spherical ice crystals cause seeding at a falling distance of 200 m. Plate-like ice crystals experience a larger drag force and therefore fall slower than spheres. As they have more time to sublimate during their slower fall, they are less likely to survive at any of the distances. This was also found by Hall and Pruppacher (1976) and is even more pronounced for bullet rosettes. Combining this with the respective Δz_{im} frequencies, Fig. 6 also displays the fraction of successful seedings in our measurements. In 14 % of the measurements, we see a seeder–feeder situation where plate-like ice crystals do not sublimate but can seed the lower-lying cloud after sedimentation (11 % for rosettes and 19 % for spheres).

A surprising result for all ice crystal shapes is that the survival fraction for $\Delta z_{im} < 100$ m is smaller than 1. As explained before, there is no subsaturated layer in this continuous cloud, so the sedimenting ice crystals should not sublimate at all. The reason for the discrepancy most likely lies in the usage of two independent datasets in the classification of cloud layers and the calculation of ice crystal survival: the distance between the two layers and the cloud heights are taken from the DARDAR dataset, while the relative humidity was taken from ERA5. For example, the temperature profile in ERA5 over Switzerland is about 5 °C colder than the one
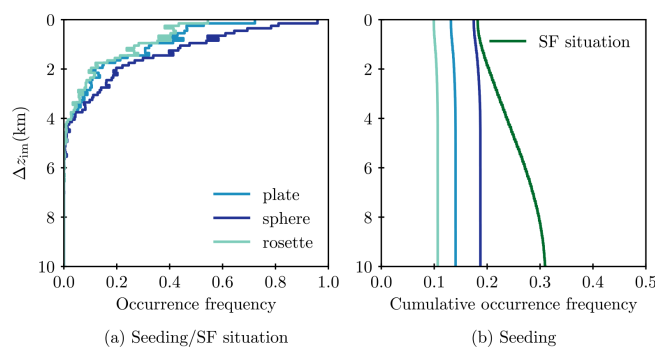
Figure 6. (a) Seeding cases per seeder–feeder situation. **(b)** Cumulative occurrence frequency of possible seeder–feeder situations (SF situation, green) and successful seeding assuming plate-like spherical and bullet rosette ice crystals. Note that $\Delta z_{im} = 0$ m is at the base of the lowest cirrus cloud layer with $T < -35\,°C$.

in the DARDAR data, which also originates from ECMWF. A reason for this discrepancy could not be found, and it is not thought to change our findings significantly, but the discrepancy between the datasets should be investigated further. One might correct for this by simply setting the survival fraction to 1 within the $\Delta z_{im} < 100$ m bin, i.e. within the cloud. However, we chose to leave the inconsistency as an estimate of the uncertainty associated with the seeding fractions given for larger distances.

In general, as stated before, the ice crystal radius and hence the survival fraction shown in Fig. 6 are conservative estimates. In particular, with the new DARDAR dataset (v3) (Cazenave et al., 2019), survival fractions are expected to be higher than shown here for DARDAR v2, since the effective ice crystal radii are larger in the former (see Sect. 2). In their sublimation calculations, Vassel et al. (2019) use larger ice crystal radii of 100 µm for cirrus clouds as well. Additionally, there is the possibility of seeding by pre-activated particles even after the macroscopic ice crystal has sublimated, as described in Marcolli (2017). Some ice in pores or shielded pockets of these particles could survive the subsaturated air in between cloud layers and initiate new ice crystal formation once the particle reaches the supersaturated air in the lower cloud layer.

With the results presented here, one can comment on the method used in Seifert et al. (2009) to filter out ice clouds that were seeded. They simply reclassified any cloud with an ice cloud less than 2 km above as a liquid cloud. Given that Fig. 6 shows that only 10 % to 20 % of ice crystals survive $\Delta z_{im} = 2$ km, it is likely that Seifert et al. (2009) find too many seeded clouds. Finally, comparing to observations, the case of a survival of $\Delta z_{im} = 5$ km, as the one case evaluated in Braham (1967), is rather unlikely according to our data.

4   Summary and conclusions

This study uses satellite data and sublimation calculations to establish the occurrence frequency of seeder–feeder cases over Switzerland. The seeder–feeder mechanism here refers to ice crystals that fall from a cirrus cloud into a lower cloud, where they initiate the glaciation of clouds.

In the DARDAR data, we distinguish between two situations: in 13 % of all (including clear-sky) measurement cases, distances between the two cloud types are distributed uniformly between 100 m and 10 km. This is the classical external seeder–feeder situation, where the seeding ice crystals fall through clear air between two clouds. In-cloud seeder–feeder situations are found to occur in 18 % of all measurements. In total, seeder–feeder cloud situations were found to occur in 31 % of all measurements. As the estimate only includes cases with a cirrus cloud as the seeder cloud, it underestimates the total seeder–feeder cloud situation occurrence frequency. The frequency was found to not vary with the differing topography in Switzerland. Seasonally, winter nights exhibit the highest frequency of possible seeder–feeder situations due to an increased high cloud cover in winter and at night.

We find two modes for the ice crystals size at the base of cirrus clouds. These correspond to in situ and liquid origin cirrus clouds, which confirms the new classification scheme for cirrus clouds (Luebke et al., 2013, 2016; Krämer et al., 2016; Wernli et al., 2016; Gasparini et al., 2018; Wolf et al., 2018, 2019).

In sublimation calculations, we found that a significant number of ice crystals reached the lower cloud layers. In total, 20 % of ice crystals survived distances of 2 km when assuming that they were spherically shaped. Assuming plate-like crystals or bullet rosettes in the calculations, only about 10 % of them survived 2 km distances. On the one hand, this clearly shows that natural cloud seeding occurs regularly over Switzerland. On the other hand, it demonstrates that in these calculations, the distinction between ice crystal shapes is critical, in contrast to the small ice crystal shape impact found in Vassel et al. (2019).

We found that ice crystals only survive the fall between cloud layers when the relative humidity with respect to ice at cirrus cloud base is larger than 90 %, while temperature seems to be of secondary importance. In terms of the ice crystal radius, ice crystals with effective radii smaller than 30 µm mostly sublimate before reaching the lower cloud layer. On the other hand, larger ice crystal sizes, above 50 µm, do not guarantee a survival.

Taking a broader perspective, this study demonstrates that satellite data are a viable means to explore cloud distributions also in regional settings. It can be combined with time-stepping calculations to study processes on which the satellite data, which are merely a snapshot in time, provide no information on their own.

Of course the scope of this work could be broadened in the future. This study focuses on natural cloud seeding that originates from cirrus clouds, but seeding ice crystals can also sediment from mixed-phase clouds. Additionally, multi-layer clouds interact in other ways, for example, via radiation (Christensen et al., 2013; Vassel, 2018). Moreover, seeing that natural cloud seeding occurs over Switzerland, the global distributions of seeder–feeder cloud situations and the seeding frequency are an interesting next goal of study. Differences in the global distribution of multi-layer clouds have already been demonstrated (Mace et al., 2009), and Ansmann et al. (2009) observed an increase in in-cloud seeding frequency in their data from the tropics compared to data from the midlatitudes (Seifert et al., 2009), so a thorough study of global natural cloud seeding frequency promises to be interesting. The satellite data analysis within this study can easily be extended to a global dataset. Solely, the sublimation calculations could not be applied to each measurement point in such a large dataset, but instead the seeding situations could be classified and sublimation calculations could be applied to the classes in a representative fashion. Future work could sample the whole range in ice crystal size distributions instead of only using the mean size to represent the distribution, as done in this study.

We show that natural cloud seeding is a widespread phenomena over Switzerland. This hints at a large potential for natural cloud seeding to alter cloud properties and thereby influence Earth's radiative budget and water cycle, which should be investigated in future studies.

Appendix A: Sublimation calculations

Here, we detail the equations used in the sublimation calculations. Additional variables and constants used are given in Tables A1 and A2. Where they differ, equations and constants used for the computations for hexagonal plates are given in Tables A3 and A4.

At each time step $i+1$, the barometric formula was applied to find the pressure corresponding to the height of the ice particle:

$$p = p_0 \left(\frac{T_b}{T_b + L_b \cdot z[i]} \right)^{\frac{g M_{air}}{R L_b}}. \tag{A1}$$

The density of the air surrounding the particle was calculated using the ideal gas law. The saturation vapour pressure of water with respect to ice and water was derived with the Magnus formula. And together with the relative humidity from the ERA5 data (given with respect to water), the supersaturation with respect to ice was calculated. The diffusivity of water vapour in air was calculated following Hall and Pruppacher (1976, Eq. 13):

$$D_v = 0.211 \times 10^{-4} \left(\frac{T}{T_0} \right)^{1.94} \frac{p_0}{p}. \tag{A2}$$

From this, the growth factor was determined following Lamb and Verlinde (2011, p. 328):

$$G = \frac{1}{\frac{\rho_i R T}{M_w D_v e_{sat,i}} + \frac{\rho_i L_s}{M_w k_T T} \cdot \left(\frac{L_s}{R T} - 1 \right)}. \tag{A3}$$

which uses the latent heat of sublimation (valid between 236 and 273.16 K; Lohmann et al., 2016):

$$L_s = 46782.5 + 35.8925 \cdot T - 0.07414 \cdot T^2$$
$$+ 541.5 \cdot e^{-\left(\frac{T}{123.75} \right)^2}, \tag{A4}$$

and the ventilation factor is given by (Pruppacher and Klett, 2010, Eq. 13.61):

$$f = 1.0 + 0.108 \cdot \left(\frac{X}{10} \right)^2, \tag{A5}$$

where

$$X = 0.71^{\frac{1}{3}} \cdot N_{Re} \tag{A6}$$

$$N_{Re} = \frac{2 U_\infty r \rho_{air}}{\mu} \tag{A7}$$

(Lohmann et al., 2016, Eq. 7.36). Where the Reynolds number exceeded the scope of the parameterization, the value for the ventilation factor from the last time step was used. For the terminal velocity, U_∞, v was used. The dynamic viscosity μ can be derived from Sutherland's formula (Chapman and Cowling, 1960, Eq. 12.32.2), which can be rewritten and expanded to

$$\mu = \frac{B T_0^{\frac{3}{2}}}{S + T_0} + \frac{B \sqrt{T_0}(3S + T_0)(T - T_0)}{2(S + T_0)^2}, \tag{A8}$$

with $B = \frac{\mu_0 \cdot (T_0 + S)}{T_0^{\frac{3}{2}}}$.

Table A1. Variables used in the sublimation height calculation (addition to Table 1).

Symbol	Long name	Units
e	saturation of vapour pressure in air	Pa
$e_{sat,i}$	saturation vapour pressure with respect to ice	Pa
$e_{sat,w}$	saturation vapour pressure with respect to water	Pa
L_s	latent heat of sublimation	$J\,mol^{-1}$
μ	dynamic viscosity	$kg\,m^{-1}\,s^{-1}$
N_{Re}	Reynolds number	–
p	pressure	Pa
RH	relative humidity	%
ρ_{air}	air density	$kg\,m^{-3}$
T	temperature in K	K
$T_{\circ C}$	temperature in °C	°C

Table A2. Constants used in the sublimation calculations for a sphere (addition to Table 2). Note that the parameterization for the velocity–mass relation for cloud droplets from Seifert and Beheng (2006) is used for spherical ice crystals here. Where the constants are different for a hexagonal plate, they are given in Table A4.

Symbol	Long name	Value
g	gravitational constant	$9.81\,\mathrm{m\,s^{-2}}$
k_{T}	thermal conductivity of air	$0.024\,\mathrm{J\,m^{-1}\,s^{-1}\,K^{-1}}$
L_{b}	lapse rate	$-0.0065\,\mathrm{K\,m^{-1}}$
M_{w}	molecular mass of water	$18.02 \times 10^{-3}\,\mathrm{kg\,mol^{-1}}$
M_{air}	molecular mass of Earth's air	$28.9644 \times 10^{-3}\,\mathrm{kg\,mol^{-1}}$
μ_0	viscosity of air at $T = 273$ K and $p = 101\,325$ Pa (Seinfeld and Pandis, 2006, Table A.7, p. 1178)	$1.72 \times 10^{-5}\,\mathrm{kg\,m^{-1}\,s^{-1}}$
p_0	reference pressure	$101\,325$ Pa
R	universal gas constant	$8.314\,\mathrm{J\,K^{-1}\,mol^{-1}}$
R_{s}	specific gas constant for air	$287.06\,\mathrm{J\,kg^{-1}\,K^{-1}}$
ρ_{i}	density of ice	$0.92 \times 10^3\,\mathrm{kg\,m^{-3}}$
S	Sutherland's constant for air (Chapman and Cowling, 1960, Table 15), in a temperature range from 0 to 300 °C	114 ± 24
T_0	reference temperature	273.15 K
T_{b}	reference temperature in the barometric formula	288.15 K

Table A3. Equations used in the sublimation calculations for a hexagonal plate. The other equations used are the same as for a sphere and are given in the text.

Equation for hexagonal plates	Replaces Eq.
$C = 2r/\pi$ (Pruppacher and Klett, 2010, Eq. 13.77)	(2)
$f = 1.0 - 0.6042 \cdot \left(\frac{X}{10}\right) + 2.79820 \cdot \left(\frac{X}{10}\right)^2 - 0.31933 \cdot \left(\frac{X}{10}\right)^3 - 0.06247 \cdot \left(\frac{X}{10}\right)^4$ where $X = 0.632^{\frac{1}{3}} \cdot N_{Re}$ (Pruppacher and Klett, 2010, Eq. 13.90b; Ji and Wang, 1999)	(A5)
$m = \rho_i \cdot 9.17 \times 10^{-3} \cdot (2r)^{2.475}$ (Pruppacher and Klett, 2010, Table 2.2a)	(1) and (5)

Table A4. Same as Table 2 but for hexagonal plates. Only those constants that differ from Table 2 are shown.

Symbol	Long name	Value
α	coefficient for the velocity–mass relation for cloud ice (Seifert and Beheng, 2006, Table 1)	$317\,\mathrm{m\,s^{-1}\,kg^{-\beta}}$
β	coefficient for the velocity–mass relation for cloud ice (Seifert and Beheng, 2006, Table 1)	0.363
γ	coefficient for the velocity–mass relation for cloud ice (Seifert and Beheng, 2006, Table 1)	0.5
ρ_i	density of ice (Pruppacher and Klett, 2010, Table 2.3)	$0.9 \times 10^3\,\mathrm{kg\,m^{-3}}$

Table A5. Equations used in the sublimation calculations for bullet rosettes. The other equations used are the same as for a sphere and are given in the text.

Equation for bullet rosettes	Replaces Eq.
$C = 0.434 \cdot n_{\mathrm{lobes}}^{0.257} \cdot r$ (Chiruta and Wang, 2003)	(2)
$f = 1.0 + 0.35463 \cdot \left(\frac{X}{10}\right) + 3.55333 \cdot \left(\frac{X}{10}\right)^2$ where $X = 0.632^{\frac{1}{3}} \cdot N_{Re}$ (Pruppacher and Klett, 2010, Eq. 13.90c; Ji and Wang, 1999)	(A5)
$m = \alpha_{\mathrm{br}} \cdot (2r \times 10^2)^{\beta_{\mathrm{br}}} \times 10^{-3}$ (Heymsfield and Iaquinta, 2000)	(1) and (5)
$\rho_i = 0.78 \cdot (r \times 10^3)^{-0.0038} \times 10^3\,\mathrm{kg\,m^{-3}}$ (Pruppacher and Klett, 2010, Table 2.3)	ρ_i in Table A2
$v = x \cdot (2r \times 10^2)^{y} \times 10^{-2}$ (Heymsfield and Iaquinta, 2000)	6

Table A6. Same as Table 2 but for bullet rosettes. Only those constants that differ from Table 2 are shown.

Symbol	Long name	Value
α_{br}	coefficient for the mass–radius relation (Heymsfield and Iaquinta, 2000)	1.25×10^{-5}
β_{br}	coefficient for the mass–radius relation (Heymsfield and Iaquinta, 2000)	1.52
n_{lobes}	number of lobes in a bullet rosette (typical value, Heymsfield and Iaquinta, 2000)	3
x	coefficient for the velocity–radius relation (Heymsfield and Iaquinta, 2000)	2150
y	coefficient for the velocity–radius relation (Heymsfield and Iaquinta, 2000)	1.225

Appendix B: Additional DARDAR analysis
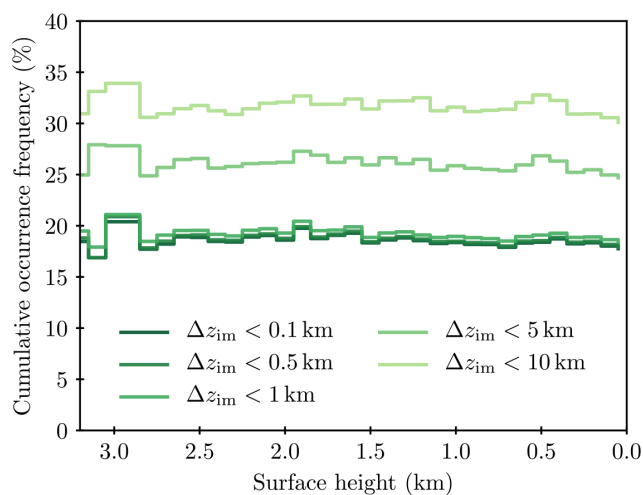
Figure B1. Distribution of Δz_{im} with underlying surface topography.
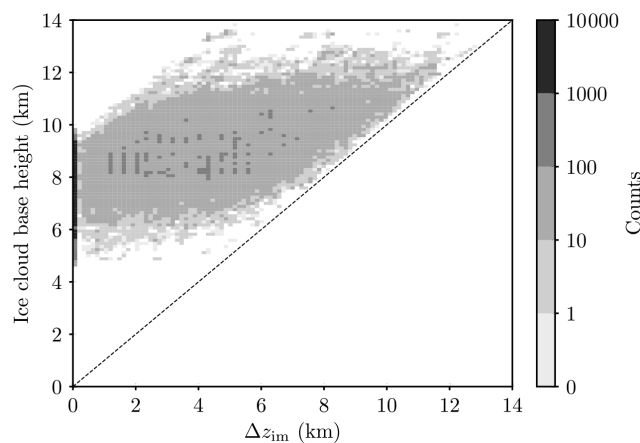
Figure B2. Distribution of icebase with Δz_{im}.
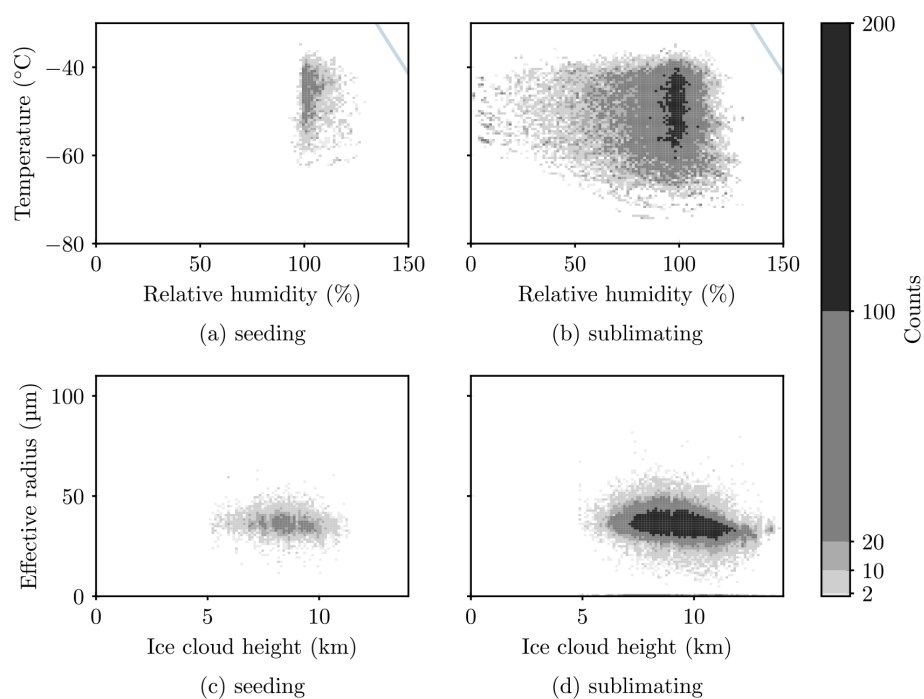
Figure B3. Same as Fig. 5 but assuming bullet rosettes as seeding ice crystals.

Appendix C: Cloud cover data comparison to CALIPSO
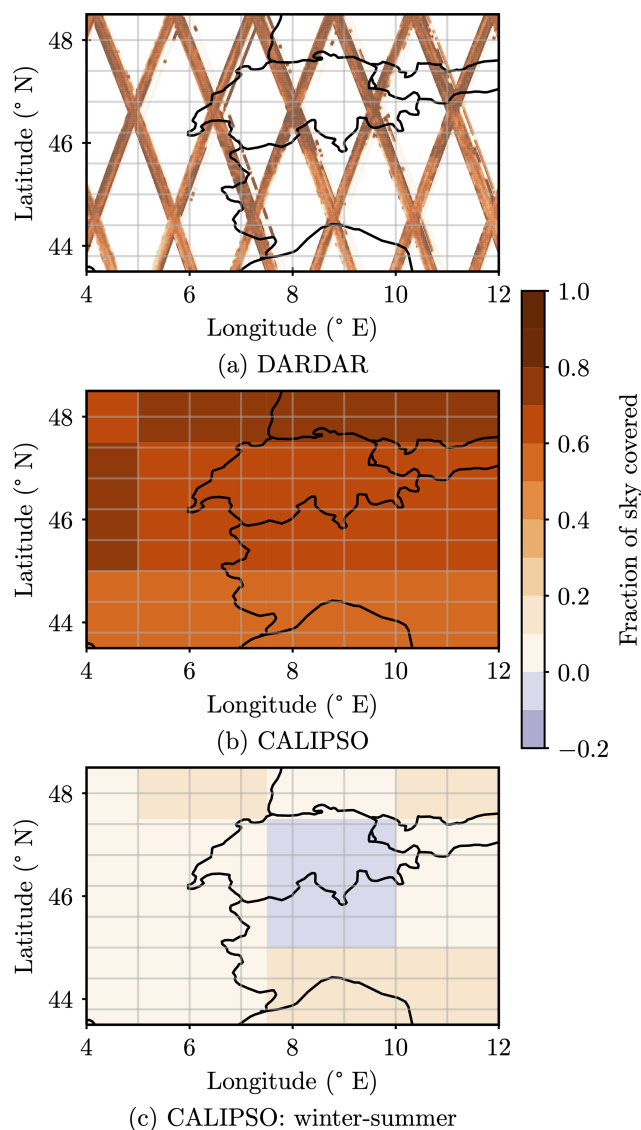
Figure C1. Comparison between **(a)** cloud cover derived from the DARDAR satellite product in this study and **(b)** CALIPSO-GOCCP total fraction of sky covered (2006–2017) (Chepfer et al., 2010, 2013). For the DARDAR data, the cloud cover was calculated as the mean (over all tracks within 2006–2017) of the sum of all fractions of sky covered (sum of frac_cov at all temperatures) at each grid point. Sums that were larger than 1 were set to be 1. This method corresponds to the assumption of minimal overlap. **(c)** CALIPSO-GOCCP seasonal difference in total cloud cover. To allow for a visual comparison, DARDAR cloud cover data were filtered with a mean over 10×10 squares.

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