Towards the connection between snow microphysics and melting layer: insights from multifrequency and dual-polarization radar observations during BAECC

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Abstract. In stratiform rainfall, the melting layer (ML) is often visible in radar observations as an enhanced reflectivity band, the so-called bright band. Despite the ongoing debate on the exact microphysical processes taking place in the ML and on how they translate into radar measurements, both model simulations and observations indicate that the radar-measured ML properties are influenced by snow microphysical processes that take place above it. There is still, however, a lack of comprehensive observations to link the two.

To advance our knowledge of precipitation formation in ice clouds and provide new insights into radar signatures of snow growth processes, we have investigated this link. This study is divided into two parts. Firstly, surface-based snowfall measurements are used to develop a new method for identifying rimed and unrimed snow from X- and Ka-band Doppler radar observations. Secondly, this classification is used in combination with multifrequency and dual-polarization radar observations collected during the Biogenic Aerosols – Effects on Clouds and Climate (BAECC) experiment in 2014 to investigate the impact of precipitation intensity, aggregation, riming and dendritic growth on the ML properties. The results show that the radar-observed ML properties are highly related to the precipitation intensity. The previously reported bright band “sagging” is mainly connected to the increase in precipitation intensity. Ice particle riming plays a secondary role. In moderate to heavy rainfall, riming may cause additional bright band sagging, while in light precipitation the sagging is associated with unrimed snow. The correlation between ML properties and dual-polarization radar signatures in the snow region above appears to be arising through the connection of the radar signatures and ML properties to the precipitation intensity. In addition to advancing our knowledge of the link between ML properties and snow processes, the presented analysis demonstrates how multifrequency Doppler radar observations can be used to get a more detailed view of cloud processes and establish a link to precipitation formation.

1 Introduction

Stratiform precipitation is prevalent in middle to high latitudes. In such precipitation systems, ice particles nucleated at the cloud top descend and grow on their way down by going through various microphysical processes, e.g., vapor deposition, aggregation and/or riming (Lamb and Verlinde, 2011). In the case of rainfall, these ice particles transform into raindrops in the melting layer (ML). The melting of ice particles is capable of modulating the thermal structure of the ML through the exchange of latent heat with the environment (Stewart et al., 1984; Carlin and Ryzhkov, 2019) and, as a result, can change the dynamics of precipitation (e.g., Heymsfield, 1979; Szeto et al., 1988; Fabry and Zawadzki, 1995). It has shown that ML properties are modified by the ambient environment such as relative humidity (RH; Willis and Heymsfield, 1989; Battaglia et al., 2003; Carlin and Ryzhkov, 2019), as well as microphysical processes taking place in the ML (Heymsfield et al., 2015), and by snow microphysical processes occurring above, e.g., aggregation and riming (Stewart et al., 1984; Klaassen, 1988; Fabry and...
Zawadzki et al., 2005; von Lerber et al., 2014; Kumjian et al., 2016; Xie et al., 2016; Wolfensberger et al., 2016; Trömel et al., 2019. In addition, the microwave attenuation in the ML is sensitive to the parameterization of snow microphysics (von Lerber et al., 2014) and can be significant at millimeter wavelengths (Matrosov, 2008; Haynes et al., 2009; Li and Moisseev, 2019).

To centimeter-wavelength weather radars, the ML appears as a band of the increased reflectivity, the so-called bright band, while to millimeter-wavelength radars, such an appearance is less distinct (e.g., Lhermitte, 1988; Sassen et al., 2005; Kolliaas and Albrecht, 2005). Properties of the ML and its radar manifestation bright band are influenced by cloud dynamics and microphysics, which can be directly probed by aircraft-mounted in situ measurements (e.g., Stewart et al., 1984; Willis and Heymsfield, 1989; Heymsfield et al., 2015) despite the inability to conduct continuous long-term operations with such setups. Remote sensing of the ML with radars dates back to the 1940s (Ryde, 1946). Atlas (1957) has found that the strength of the bright band is weakened when melting graupel particles are present, which was further confirmed by Klaassen (1988) and Zawadzki et al. (2005). A comprehensive long-term analysis of the ML appearance in vertically pointing X-band radar and ultra high frequency (UHF) wind profiler observations has been performed by Fabry and Zawadzki (1995). They have compiled a record of the main ML features that were later used in modeling studies (e.g., Szymrner and Zawadzki, 1999; Zawadzki et al., 2005; von Lerber et al., 2014). As the ML bridges snow and rain, the raindrop size distributions below the ML seem to be related to the bright band’s reflectivity values (Huggel et al., 1996; Sarma et al., 2016). As presented by Wolfensberger et al. (2016), the thickness of the ML depends on riming, particle fall velocities and the bright band intensity. Meanwhile, the downward extension of the bright band, called the saggy bright band, may be linked to riming as suggested by previous studies (Trömel et al., 2014; Kumjian et al., 2016; Ryzhkov et al., 2016; Xie et al., 2016; Erlingis et al., 2018). Recently, Carlin and Ryzhkov (2019) have incorporated the cooling effects of melting snowflakes in the ML model and proposed that the saggy bright band may be explained by a combination of processes instead of a single factor. From the perspective of observation, there seems to be a lack of statistical studies untangling the impacts of snow growth processes on the observed ML properties.

Over the last few years, multifrequency radar measurements of clouds and precipitation have become more easily attainable, which has led to the proliferation of studies demonstrating the advantages of using these observations for the investigation of snow microphysical processes (e.g., Kneifel et al., 2011, 2015; Leinonen et al., 2012a; Leinonen et al., 2013, 2018; Tyynelä and Chandrasekar, 2014; Leinonen and Moisseev, 2015; Leinonen and Szymrner, 2015; Grecu et al., 2018; Chase et al., 2018; Mason et al., 2018, 2019). The potential dependence of dual-wavelength ratios (DWRs) at Ka–W-bands and X–Ka-bands on riming was observed by Kneifel et al. (2015). Dias Neto et al. (2019) have presented the strong aggregation signatures close to the ML using multifrequency radar observations. This rapid aggregation could manifest itself as a dark band in W-band cloud radar observations, namely the dip in radar reflectivity just above the ML top (Lhermitte, 1988; Sassen et al., 2005, 2007; Heymsfield et al., 2008). Such a reflectivity dip just above the ML may even be present in X-band radar measurements of light precipitation (Fabry and Zawadzki, 1995) but has not been well addressed. Mason et al. (2018) have incorporated the Doppler velocity and radar reflectivity observations from vertically pointing Ka- and W-band radars into an optimal estimation scheme to infer the riming fraction, among other parameters. In addition to multifrequency radar observations, dual-polarization radar measurements show promise in improving our understanding of ice precipitation processes (e.g., Bechini et al., 2013; Giangrande et al., 2016; Kumjian et al., 2016; Ryzhkov et al., 2016; Moisseev et al., 2015, 2017; Li et al., 2018; Oue et al., 2018; Vogel and Fabry, 2018; Moisseev et al., 2019; Tiira and Moisseev, 2020). Therefore, the utilization of collocated multifrequency and dual-polarization radar observations may pave the way for a better understanding of the connection between dry and melting snow microphysics.

The detailed properties of ice particles are complex as manifested by the extraordinary variety in their habit, size, mass and concentration (Korolev et al., 2000, 2003; Bailey and Hallett, 2009). This complexity is exacerbated by the diversity of ice growth processes that take place in ice clouds (Li et al., 2018; Oue et al., 2018; Barrett et al., 2019; Moisseev et al., 2015, 2017, 2019; Tiira and Moisseev, 2020). Despite the recent attempts to resolve the ice microphysics (e.g., Mason et al., 2018, 2019; Barrett et al., 2019), direct characterization of ice particles and their growth processes is still challenging. In some cases, ML properties could emphasize radar signatures of such processes (Zawadzki et al., 2005; Kumjian et al., 2016; Li and Moisseev, 2020) and therefore provide additional information. However, there is an ongoing debate on the link between snow growth processes, such as riming and aggregation, their radar signatures and ML properties (e.g., Kumjian et al., 2016; Carlin and Ryzhkov, 2019; Heymsfield et al., 2015). This study aims to advance our understanding of the link and resolve at least some of the discussed topics. During the Biogenic Aerosols – Effects on Clouds and Climate (BAECC) experiment (Petäjä et al., 2016), vertically pointing X-, Ka- and W-band cloud radars were deployed at the University of Helsinki research station in Hyytiala, Finland. These observations were supplemented by range–height indicator (RHI) scans carried out by the Finnish Meteorological Institute (FMI) C-band dual-polarization radar, providing a set of unique synergistic observations ideally suited for studying the connection between the growth and melting processes of snowflakes.
The BAECC field campaign was conducted at the University of Helsinki’s Hyytiälä Station from February to September 2014 (Petäjä et al., 2016). This experiment provides comprehensive vertically pointing multifrequency radar rainfall observations, which are used in this study. A 2D video disdrometer (2DVD) was used to measure rain rate and calibrate X-band radar reflectivity. The collocated observations were aided by the FMI C-band dual-polarization weather radar. In addition to the radar setup during BAECC, long-term snow observations were made by a National Aeronautics and Space Administration (NASA) Particle Imaging Package (PIP; Newman et al., 2009; Tiira et al., 2016; von Lerber et al., 2017).

2.1 2DVD and vertically pointing radars

The Atmospheric Radiation Measurement 2DVD (ARM 2DVD) used in this study is the new generation of the one described in Kruger and Krajewski (2002). It relies on two cameras and two light sources placed in orthogonal directions and records image projections of raindrops as they fall cross the cameras’ field of view. The 2DVD is often used for recording the size distributions, fall velocities and shapes of raindrops. Based on this information, the rain rate and reflectivity at a given radar frequency can be derived.

The X- and Ka-band scanning ARM cloud radar (X/Ka-SACR) and W-band ARM cloud radar (MWACR) have the range gate spacing of 25, 25 and 30 m, respectively (Kollias et al., 2014; Kneifel et al., 2015; Falconi et al., 2018). The original time resolution of 2 s was averaged to 10 s for these radars. The half-power beam widths of X-SACR, Ka-SACR and MWACR are 1.27, 0.33 and 0.38°, respectively. X- and Ka-SACR are dual-polarization radar systems installed on the same pedestal, recording the co-polar (e.g., \( \rho_{hv} \), \( Z_{dr} \)) and cross-polar (e.g., cross-polar correlation coefficient and linear depolarization ratio, LDR) measurements, respectively. MWACR had a small antenna pointing error of 0.5 to 1°, which may lead to significant error in the vertical Doppler velocity but which does not affect reflectivity measurements.

To mitigate the potential attenuation from wet radome and raindrops, the simulated X-band radar reflectivity from 2DVD data was used to match the measured X-band reflectivity at 500 m where the near-field effect is minimized (Sekelsky, 2002; Falconi et al., 2018). As the Ka-band reflectivity can be significantly affected by the attenuation from the ML, rain and a wet radome (Li and Moisseev, 2019), the relative calibration was made at precipitation top where the Rayleigh assumption can be applied at Ka- and X-bands. During BAECC, a radiosonde was launched four times per day, out of which the temporally closest one was used as input to the millimeter-wavelength propagation model (Liebe, 1985) to correct for the gaseous attenuation at all radar frequencies.

2.2 Dual-polarization weather radar

The FMI C-band dual-polarization weather radar located in Ikaalinen, 64 km west from the Hyytiälä station, operates in the simultaneous transmission and receiving mode (Doviak et al., 2000). This radar performs RHI scans over the measurement site every 15 min. The range and azimuth resolutions are 500 m and 1°, respectively. The dual-polarization measurements used in this study are \( Z_{dr} \), which was calibrated during light rainfalls (Bringi and Chandrasekar, 2001; Li et al., 2018). For data analysis, the Python ARM Radar Toolkit (Helmus and Collis, 2016) was used.

2.3 NASA particle imaging package

The PIP is an improved version of the Snowflake Video Imager (Newman et al., 2009), which uses a high frame rate camera operating at 380 frames per second to record the silhouettes of precipitation particles. The field of view of this camera is 48 mm × 64 mm with a spatial resolution of 0.01 mm². The focal plane of this camera is 1.3 m. Because the measurement volume is not enclosed, the wind-induced effects on the measurements are minimized (Newman et al., 2009). The data-processing software defines the size of each particle using the disk-equivalent diameter (\( D_{deq} \)), which is the diameter of a disk with the same area of a particle shadow. Particle size distribution (PSD) and fall velocity are recorded as a function of \( D_{deq} \) in the PIP software. Based on these PIP products, von Lerber et al. (2017) have derived particle mass and fall velocity as a function of the observed maximum particle diameter (\( D_{max,ob} \)), which is obtained by fitting an ellipsoid model to each particle. Here and hereafter, \( D \) represents \( D_{max,ob} \). The snowfall measurements started as part of the BAECC field campaign were continued, and data collected during the experiment and an additional three winters were used in this study. The collected data were processed using the method by von Lerber et al. (2017).

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3 Methods

3.1 Detection of ML boundaries

The height where melting starts ranges from the surface to several kilometers above, mainly depending on the temperature profiles. Thus, prior to addressing the general characteristics of ML, it is important to detect ML boundaries. Fabry and Zawadzki (1995) have employed the gradient of reflectivity to determine the ML boundaries using single-polarization X-band radar measurements. The vertically pointing X- and Ka-band radars used in this study provide dual-polarization observations, i.e., $\rho_{HV}$ and LDR, respectively. These observations supply additional information to estimate the ML boundaries (Giangrande et al., 2008). However, care should be taken in how this information is used. Wolfensberger et al. (2016) have suggested that the use of $\rho_{HV}$ could underestimate the ML top as the significant drop in $\rho_{HV}$ may not happen until a significant amount of ice has already melted. To mitigate this issue, we determined the upper boundary of ML by finding the local minimum of the X-band reflectivity gradient around the $\rho_{HV}$-detected ML top, which is similar to Wolfensberger et al. (2016). The validity of utilizing the radar reflectivity in determining the ML top is further confirmed in our recent study (Li and Moisseev, 2020). The ML bottom was determined in a similar way to derive the radar reflectivity at the melting bottom. Note that cases in which precipitation fall streaks are significantly slanted, as shown in Fabry and Zawadzki (1995), were excluded.

3.2 Diagnosing snowflake rime mass fraction

The rime mass fraction (FR), defined as the ratio of accreted ice mass by riming to the total snowflake mass, has been used to quantify the riming extent in ice microphysical schemes (Morrison and Milbrandt, 2015) and in observational studies (e.g., Moisseev et al., 2017; Li et al., 2018). The rime mass fraction can be defined as

$$FR = \frac{\int_{D_{\text{min}}}^{D_{\text{max}}} N(D)m_{\text{ur}}(D)dD}{\int_{D_{\text{min}}}^{D_{\text{max}}} N(D)m_{\text{ob}}(D)dD},$$

where $D_{\text{max}}$ and $D_{\text{min}}$ are maximum and minimum particle sizes, respectively, $m_{\text{ob}}(D)$ and $m_{\text{ur}}(D)$ are masses of observed and unrimed snowflakes as a function of $D$, respectively, and $N(D)$ is the PSD. In this study, FR was computed using ground-based observations of PSD and snowflake masses retrieved from PIP observations, as described in von Lerber et al. (2017). The masses of unrimed ice particles were derived assuming the following. Firstly, unrimed snowflakes were present in PIP observations. Secondly, the ice particles belonging to the lightest 5% are representative of unrimed snowflakes. Following these assumptions, the mass of unrimed snowflakes can be expressed as

$$m_{\text{ur}}(D) = 0.0053D^{2.05}. \text{ This relation is similar to the one derived from aircraft measurements (Heymsfield et al., 2004). A further discussion on the definition of } m_{\text{ur}}(D) \text{ is found in Moisseev et al. (2017) and Li et al. (2018).}$$

Mason et al. (2018) have shown that the extent of riming can be retrieved using radar-measured DWR (Matrosov, 1998; Hogan et al., 2000) and mean Doppler velocity ($V$). If the radar reflectivity is expressed in decibels (dB), then the DWR can be written as

$$\text{DWR} = \lambda_{1} - \lambda_{2},$$

where $\lambda_{1}$ and $\lambda_{2}$ are observed radar reflectivities at the wavelengths of $\lambda_{1}$ and $\lambda_{2}$, respectively. $\lambda_{1}$ can be expressed as

$$\lambda_{1} = 10\log_{10} \left( \int_{D_{\text{min}}}^{D_{\text{max}}} \frac{\lambda^{4}}{\pi^{2}|K_{b}|^{2}} N(D)\sigma_{b,\lambda}(D, m_{\text{ob}}(D))dD \right),$$

where $|K_{b}|^{2}$ is the dielectric constant of liquid water and $\sigma_{b,\lambda}(D, m_{\text{ob}}(D))$ is the backscattering coefficient of snow particles at a given wavelength. In X-SACR, KaSACR and MWACR data files, $|K_{b}|^{2}$ is set to 0.93, 0.88 and 0.70, respectively. The values of $\sigma_{b,\lambda}$ were taken from the single-scattering databases (Leinonen and Moisseev, 2015; Leinonen and Szyrmer, 2015; Tynnelä and von Lerber, 2019). These three datasets were combined into a single lookup table of ice particle scattering properties defined as a function of maximum diameter and mass. For a given $D$ and $m_{\text{ob}}$, the backscattering cross section was estimated using linear interpolation in the log–log space. The mean Doppler velocity can be derived in the same way:

$$V_{\lambda} = \frac{\int_{D_{\text{min}}}^{D_{\text{max}}} v(D)N(D)\sigma_{b,\lambda}(D, m_{\text{ob}}(D))dD}{\int_{D_{\text{min}}}^{D_{\text{max}}} N(D)\sigma_{b,\lambda}(D, m_{\text{ob}}(D))dD},$$

where $v(D)$ is the fall velocity of snowflakes which was used to derive $m(D)$ (von Lerber et al., 2017). To minimize the impact of varying air density ($\rho_{\text{air}}$), $V_{\lambda}$ was adjusted to the air condition of 1000 hPa and 0°C (air density $\rho_{\text{air},0}$) with a factor of $(\frac{\rho_{\text{air},0}}{\rho_{\text{air}}})^{0.54}$ (Heymsfield et al., 2007). $\rho_{\text{air}}$ was derived from the temperature and relative humidity obtained from the temporally closest sounding.

Dias Neto et al. (2019) have shown that the size growth of snowflakes close to the ML is accelerated due to the enhanced aggregation. Therefore, relatively large aggregates are prevalent snow types close to the ML and are better represented by DWR(X, Ka) than DWR(Ka, W) (see the comparison by Barrett et al., 2019). The use of a lower radar frequency (X- and Ka-bands) avoids estimating the non-negligible W-band attenuation caused by ML, as well as supercooled liquid water (Li and Moisseev, 2019). Therefore,
the potential link between FR and simulated Doppler radar measurements at X- and Ka-bands was accessed with the utilization of in situ snowfall observations from BAECC to the winters of 2014–2018.

The dependence of DWR(X, Ka) and \( V_X \) on FR can be computed using Eqs. (1), (2) and (4). For comparison, the \( m_{eb} - D \) and \( v - D \) relations of aggregates of unrimed radiating assemblages, side planes, bullets, and columns (LH74 unrimed), aggregates of densely rimed radiating assemblages of dendrites (LH74 rimed), and lump graupel (LH74 graupel) presented in Locatelli and Hobbs (1974) were used. To compute the DWR(X, Ka) and \( V_X \) using relations from the literature, we assumed that \( N(D) \) can be parameterized as

\[
N(D) = N_0 e^{-\Lambda D},
\]

where the intercept parameter \( N_0 \) is canceled out while computing DWR and \( V_X \), so the radar variables depend on \( \Lambda \), which controls the average size of ice particles in \( N(D) \). We have varied \( \Lambda^{-1} \) between 0 and 11 mm to mimic different snowfall conditions, which is similar to what was done in Leinonen and Zygmunt (2015). Table 1 summaries the fitted expressions of DWR(X, Ka) = \( aV_X^b \) for these three particle types. Since snow microphysics and the corresponding radar measurements can significantly change with precipitation intensity (Moisseev et al., 2017), the computed values were separated into four subgroups according to precipitation rate (PR).

Simulations of DWR(X, Ka)-\( V_X \) for four groups of precipitation rate are presented in Fig. 1. Most cases with FR \( \leq 0.2 \) are centered around the curve of LH74 unrimed, whose velocity–diameter relation is similar to low-density snowflakes (Tiira et al., 2016). It seems that riming happens more frequently in heavier precipitation. In contrast, far fewer unrimed cases are present in heavier precipitation (Fig. 1c and d). Heavily rimed snowflakes (FR \( > 0.5 \); red dots) are characterized by low DWR(X, Ka) and high \( V_X \), contrasting with the unrimed/lightly rimed cases (blue dots). Specifically, snowflakes with large sizes and low velocities usually are rather slightly rimed (FR \( \leq 0.2 \)). For the cases where FR exceeds 0.5, most DWR(X, Ka) values are below 3 dB, indicating that heavily rimed particles are usually associated with small snowflakes. Inspired by this distinct feature, we have fitted the DWR(X, Ka) = \( aV_X^b \) relations for cases with FR \( \leq 0.2 \) and 0.4 \( \leq FR \leq 0.6 \) (shown in Table 1), which separate the observations into three types: unrimed, transitional and rimed snow. For the sake of comparison, the power \( b \) for unrimed snow was adopted from the fit for LH74 unrimed. In this study, these fitted relations were employed for classifying unrimed and rimed snow. The presence of supercooled liquid water does not significantly affect X-band reflectivity but may lead to appreciable attenuation at Ka-band which translates to enhanced DWR(X, Ka) after the relative calibration at precipitation top. For the liquid water path of 500 g m\(^{-2}\), the estimated Ka-band attenuation is in the order of 1 dB (Kneifel et al., 2015). Therefore, cases with DWR(X, Ka) \( < 1 \) dB were rejected when identifying unrimed snow.

4 Results

To study how ML properties depend on the precipitation intensity, snowflake riming fraction and PSD, all rainfall cases observed during the BAECC experiment were analyzed. Given the need for coinciding multifrequency vertically pointing radar measurements and the radar scans performed during the experiment, we have identified 4147 vertical profiles of observations in 24 stratiform rainfall events corresponding to about 11.5 h. Table 2 summaries the dates used in this study (quicklooks are available at https://doi.org/10.5281/zenodo.3979103). Due to the periodic changes in radar scans, the multifrequency radar measurements recorded in the vertically pointing mode were available only in some inconsecutive time periods for an event. During the analysis, the mean radar Doppler velocity was scaled to the air density at 1000 hPa and 0 °C, as previously described. It should be noted that the RHI scans by the FMI C-band weather radar were performed every 15 min. Therefore, the profiles of specific differential phase and differential reflectivity are recorded much less frequently than the vertically pointing radar observations. The RHI observations are nonetheless presented here in order to link the features observed in this study to the previous reports (Giangrande et al., 2016; Kumjian et al., 2016; Li et al., 2018; Vogel and Fabry, 2018). Figure 2 shows the flow chart of the data process in this study.

4.1 Sanity check of the snow classification

At the first step of our data analysis, the classification of unrimed and rimed snow using DWR(X, Ka)-\( V_X \) observations at the ML top, proposed in the previous section, was evaluated against previous studies. As shown in Fig. 3, both DWR(X, Ka) and \( V_X \) tend to increase as the precipitation intensifies. Most cases of rimed snow fall in the region of DWR(X, Ka) \( < 4 \) dB and \( V_X \) being higher than for unrimed snow. The \( V_X \) of unrimed snow rarely exceeds 1.5 m s\(^{-1}\). Those outliers of rimed snow in Fig. 1a may be attributed to the local vertical air motions, which contaminate the measured mean Doppler velocity. It should be noted that the snow observations in Fig. 1 are limited to PR \( \leq 4 \) mm h\(^{-1}\); namely, the maximum radar reflectivity at the ML bottom (Z\(_{X, rain}\)) is around 33 dBZ, as computed by using the localized Z–R relation (Leinonen et al., 2012b).

The reflectivity enhancement in the ML, which is defined as the difference between the Z\(_{X}\) maximum in the ML and the Z\(_{X}\) at the melting bottom (Z\(_{X, rain}\)), was also studied. Zawadzki et al. (2005) have analyzed the UHF Doppler wind profiler observations in \( V_{UHF, snow}/V_{UHF, rain} \) reflectivity en-
Figure 1. Scatter plot of DWR(X, Ka) versus $V_X$ (1000 hPa and 0°C) colored with FR. Mass–size and velocity–size relations from Locatelli and Hobbs (1974) are adopted for reference (dashed lines). Observed mass–size and velocity–size relations are derived using the approach developed by von Lerber et al. (2017), and the particle backscattering coefficient $\sigma_b$, is adopted from Leinonen and Moisseev (2015) and Leinonen and Szyrmer (2015). The solid blue and red curves separate unrimed (light blue shading), transitional (no shading) and rimed snow (light red shading) in our classification scheme.

Table 1. Fitted parameters for $DWR(X, Ka) = a V_X^b$. Aggregates of unrimed radiating assemblages, side planes, bullets, and columns (LH74 unrimed), aggregates of densely rimed radiating assemblages of dendrites (LH74 rimed), and lump graupel (LH74 graupel) in Locatelli and Hobbs (1974) are shown for reference. The last column shows the root mean square error (RMSE) of fitting. The confidence interval is marked by “\" when the parameter is manually fixed.

<table>
<thead>
<tr>
<th>Fitted parameters</th>
<th>$a$ (95% confidence interval)</th>
<th>$b$ (95% confidence interval)</th>
<th>RMSE (dB)</th>
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</thead>
<tbody>
<tr>
<td>LH74</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Unrimed</td>
<td>2.6 (2.2 3)</td>
<td>7.3 (6.1 8.5)</td>
<td>1.9</td>
</tr>
<tr>
<td>Rimed</td>
<td>0.2 (0.09 0.31)</td>
<td>9.8 (8.1 11.5)</td>
<td>1.8</td>
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<tr>
<td>Graupel</td>
<td>0.35 (0.19 0.51)</td>
<td>2.5 (2.03 2.97)</td>
<td>0.8</td>
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<td>PR \leq 0.15 mm h$^{-1}$</td>
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<tr>
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<td>1.3 (1.02 1.58)</td>
<td>7.3 (,)</td>
<td>2</td>
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<tr>
<td>FR \in [0.4 0.6]</td>
<td>0.2 (0.14 0.26)</td>
<td>2.96 (2.26 3.66)</td>
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<tr>
<td>PR \in 0.15 mm h$^{-1}$ &lt; PR \leq 0.5 mm h$^{-1}$</td>
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<tr>
<td>FR \in [0.2]</td>
<td>0.75 (0.64 0.86)</td>
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<tr>
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<td>3.1 (2.7 3.5)</td>
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<tr>
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<td>7.3 (,)</td>
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<td>2.9 (2.3 3.5)</td>
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<td>7.3 (,)</td>
<td>2.3</td>
</tr>
<tr>
<td>FR \in [0.4 0.6]</td>
<td>0.75 (0.59 0.91)</td>
<td>2.85 (2.16 3.54)</td>
<td>1.2</td>
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</tbody>
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enhancement space and found that the augmentation of rimed snowflake mass can increase $V_{UHF,snow}/V_{UHF,rain}$ and decrease reflectivity enhancement. As shown in Fig. 4, despite the scattered distribution of reflectivity enhancement, the majority of cases with high $V_{X,snow}/V_{X,rain}$ is dominated by rimed snow, while most unrimed cases are below $V_{X,snow}/V_{X,rain} = 0.25$. Such dependence of $V_{X,snow}/V_{X,rain}$ on riming is in line with the results in Zawadzki et al. (2005), indicating the reasonable snow classification employed in this study.

![Figure 3. Distribution of (a) DWR(X, Ka) and (b) $V_X$ above the ML as a function of $Z_{X,rain}$. Note that no transitional snow type between unrimed and rimed is presented.](image)

![Figure 2. Flow chart of the data process in this study. The snow classification part as discussed in Sect. 3.1 is in light blue. Variables used in snow classification are in green. Radar observations during BAECC are in black. The sanity check in the next section is represented by the dashed black diagram.](image)

Table 2. Summary of the studied events.

<table>
<thead>
<tr>
<th>Event</th>
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<td>1</td>
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<td>10 August 2014</td>
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<td>12</td>
<td>30 July 2014</td>
<td>24</td>
<td>9 September 2014</td>
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</table>
the expectation that the bright band sagging is mainly caused by riming (Kumjian et al., 2016). In our observations, both \( \rho_{hv} \) dip and reflectivity peak descend with the increase in PR. Therefore, it appears that precipitation intensity is an important factor affecting the formation of the saggy bright band. This finding is in line with a recent simulation study (Carlin and Ryzhkov, 2019), which proposes that the saggy bright band can also be attributed to other factors, such as the aggregation process, the increased precipitation intensity and the sudden decrease in RH. For unrimed snow, the response of \( \rho_{hv} \) to the melting is obviously later than X-band reflectivity, which indicates that the utilization of \( \rho_{hv} \) for detecting the ML top should be applied with caution.

The reflectivity peak is smaller for rimed snow than unrimed for a given PR provided that the Rayleigh scattering is not violated. When PR is greater than 1 mm h\(^{-1}\), the reflectivity peaks of rimed and unrimed snow are closer, which can be explained by the non-Rayleigh scattering of very large aggregates at X-band, as discussed by Fabry and Zawadzki (1995). Another notable finding is that the \( Z_X \) at the ML top for rimed snow is smaller than unrimed, which indicates that rimed snowflakes may have smaller sizes for a given PR. This is further confirmed in the DWR(X, Ka) profiles as shown in Fig. 6. From the aggregation region to the ML top, the DWR(X, Ka) of rimed snow is significantly smaller than unrimed snow. In particular, very weak DWR(X, Ka) for rimed snow could be identified just above the ML. This indicates that the aggregation process, the dominating factor of growing snow size close to the ML (Fabry and Zawadzki, 1995), can be heavily suppressed for rimed snow. Heymsfield et al. (2015) have reported the enhanced maximum particle size below the 0°C isotherm using in situ measurements and attributed it to the continuing aggregation in the ML. Such continuing aggregation in conjunction with the changing scattering properties (the water coating) may be responsible for the continuing increase in DWR(X, Ka) in the ML.

Interestingly, the DWR(X, Ka) profile below the ML is higher for the rimed cases and progressively converges towards the unrimed profile as PR increases. For light precipitation, the rain drops are small enough to be Rayleigh scatterers at Ka-band; thus the difference of DWR(X, Ka) in rain between unrimed and rimed cases is rooted in the differences in attenuation. If the supercooled liquid water attenuation of rimed cases is more significant, the corresponding DWR(X, Ka) in rain would be smaller than the unrimed cases. However, the reverse is observed. von Lerber et al. (2014) have shown that the melting layer attenuation of rimed snowflakes is smaller than unrimed ones, which could possibly explain the larger DWR(X, Ka) of rimed cases in rain. With the increase in precipitation intensity, the DWR(X, Ka) of rimed cases in rain decreases towards the unrimed profile. This can be attributed to several factors, such as the enhanced liquid attenuation above the melting layer and the non-Rayleigh scattering of large raindrops at Ka-band. We hesitate to determine the role of non-Rayleigh scattering in rain since raindrops characterized by
4.2.2 Ka-band LDR and reflectivity

LDR usually increases in the ML as melting increases the dielectric constant of nonspherical ice particles. Figure 7 shows the profiles of LDR (Ka-SACR) and $\rho_{hv}$ (X-SACR). Both LDR peak and $\rho_{hv}$ dip in rimed snow are lower than unrimed snow when PR is greater than 1 mm h$^{-1}$, while the reverse is observed for lighter precipitation. Despite the rather good agreement between LDR and $\rho_{hv}$ observations, it appears that LDR systematically reveals a lower ML bottom than $\rho_{hv}$, indicating that LDR can be suitable in discriminating between rain and melting snow (Illingworth and Thompson, 2011; Dias Neto et al., 2019). The smaller LDR peak for rimed snow is correlated with the smaller X-band reflectivity enhancement as shown in Fig. 5, which is consistent with Illingworth and Thompson (2011) and Sandford et al. (2017).
As shown in Fig. 8, the Ka-band reflectivity enhancement in the ML decreases as the precipitation intensifies. This is similar to the observations presented by Fabry and Zawadzki (1995) who found that the reflectivity peak in the ML observed by an X-band radar is less pronounced than that measured by an UHF radar when the reflectivity in rain exceeds 25 dBZ. With the increase in precipitation intensity, the size of snowflakes generally grows. Therefore, there are less hydrometeors satisfying the Rayleigh criteria, and the non-Rayleigh effect and ML attenuation becomes more significant. As a result, the reflectivity peak in the ML is not as pronounced as in the scenario of Rayleigh scattering. In addition, the ML attenuation increases as PR intensifies (Li and Moisseev, 2019), which further impedes the increase in reflectivity in the ML. This also explains the lower reflectivity enhancement in the ML for rimed snow when PR is greater than 0.5 mm h$^{-1}$. As shown in Fig. 6, rimed snowflakes are usually smaller; thus the non-Rayleigh effect and ML attenuation (von Lerber et al., 2014) are not as significant as the larger unrimed ice particles.

When PR is less than or equal to 0.15 mm h$^{-1}$, a weak reflectivity dip, the dark band, appears at the top of the ML for unrimed snow, which may also be observed by centimeter-wavelength radars (Fabry and Zawadzki, 1995). In the literature, the dark band has different definitions. For ground-based radars, Kollias and Albrecht (2005) referred the dip in radar reflectivity below the ML top as dark band. The dark band which is present just above the ML top, as observed by the spaceborne W-band radar, can be caused by the strong signal attenuation from large snow aggregates, as discussed in Sassen et al. (2007). Meanwhile, the change of PSD during the aggregation process can also contribute to this reflectivity dip, which is named dark band by Sassen et al. (2005) and dim band by Heymsfield et al. (2008). In this study, the dark band is identified as the decrease in radar reflectivity just above the ML top, as shown in Sassen et al. (2005, 2007) and Heymsfield et al. (2008).

### 4.2.3 W-band reflectivity

W-band reflectivity can be heavily affected by a wet radome, rain, ML, supercooled liquid water and gaseous attenuation (Kneifel et al., 2015; Li and Moisseev, 2019). Such attenuation coupled with precipitation microphysical processes, as well as the change of particle scattering regimes, can modulate the W-band reflectivity profiles. As shown in Fig. 9, the decrease in W-band reflectivity with height is mainly caused by rain attenuation. This effect is enhanced as PR increases, which has been adopted to retrieve PR (Matrosov, 2007). From dry to melting snow, there is a jump in W-band reflectivity, and the extent of such a jump seems dependent on PR. The bright band signature is partially visible when PR is less than or equal to 0.15 mm h$^{-1}$ but is absent as the precipitation intensifies. This is expected, given the increased non-Rayleigh scattering at W-band for large snowflakes (Sassen et al., 2005). When PR is less than or equal to 0.15 mm h$^{-1}$, the dark band is present for both unrimed and rimed snow, while the reflectivity dip near the ML top for unrimed snow is stronger than rimed. Below 1 mm h$^{-1}$, the dark band is present for unrimed snow, in contrast with its absence for rimed snow when PR is greater than 0.15 mm h$^{-1}$, which may indicate that the dark band is more frequently observed for the scenario of unrimed snow.

Sassen et al. (2005) have proposed that the dark band observed by W-band radars is due to the combination of Rayleigh and non-Rayleigh scattering effects modulated by the PSD. Heymsfield et al. (2008) have pinpointed that such a reflectivity dip is linked to the aggregation process, which consumes small ice while growing large snowflakes whose backscattering cross sections at W-band are much smaller than the scenario of Rayleigh scattering. This statement is evidenced in our statistical results since the dark band feature is more significant for unrimed snow and is more distinct at W-band than at Ka-band. Furthermore, the obscured dark band for rimed snow may indicate that the aggregation of rimed snow can be weaker than unrimed snow.

### 4.3 Weather radar measurements

Recent studies have demonstrated the potential of polarimetric measurements in revealing cloud microphysics and improving precipitation forecasts (Tiira and Moisseev, 2020; Trömel et al., 2019). Given the importance of precipitation intensity to the ML, it is necessary to address how the dual-polarization observations are dependent on PR. Therefore, we have analyzed the statistical profiles of $Z_{dp}$ and $K_{dp}$ observed by the RHI scan of the FMI C-band dual-polarization radar. The vertical axis of weather radar RHI observations was shifted to the same level as we did for vertically pointing radars.

Figure 7. Same as Fig. 5 but for LDR observed by Ka-SACR.
Significant dependence of $Z_{dr}$ and $K_{dp}$ on PR can be found in Fig. 10. In cases when PR is greater than 0.15 mm h$^{-1}$, $Z_{dr}$ decreases significantly to around 0 dB just above the ML. This is mainly due to the aggregation process, which leads to increased particle size and decreased density. In contrast, $Z_{dr}$ does not change just above the ML when PR is less than or equal to 0.15 mm h$^{-1}$, indicating that very weak aggregation happens in light precipitation. Li et al. (2018) have shown that $Z_{dr}$ is a function of snow shape, canting angle distribution and density, and it generally decreases with the increase in radar reflectivity. It would be interesting to study the riming impact on $Z_{dp}$ profiles (Vogel and Fabry, 2018); unfortunately, we were not able to perform such a comparison due to the very limited number of RHI profiles during the studied events. It should be noted that the beam width of FMI C-band radar is 1°, resulting in a vertical projection of around 1.1 km over the Hyytiälä station. This explains why the height at which $Z_{dr}$ starts increasing is approximately 500 m higher than the ML top determined by X-SACR.

High $K_{dp}$ values were observed when PR exceeds 1 mm h$^{-1}$, while no detectable $K_{dp}$ signal can be found when PR is less than or equal to 1 mm h$^{-1}$. This is in line with the previous finding that the enhanced $K_{dp}$ is indicative of intense precipitation (Bechini et al., 2013). When PR is greater than 1 mm h$^{-1}$, the enhanced $K_{dp}$ starts at around 3000 m above the ML with the expected temperature of around −20°C, which is related to the dendritic growth region (Bechini et al., 2013; Moisseev et al., 2015). Overall, these observations indicate that the dependence of ML properties on the dual-polarization signatures above may mainly be due to the correlation of these signatures with precipitation intensity.

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5 Conclusions

In this work, the connection between the precipitation melting layer and snow microphysics was studied using vertically pointing multifrequency Doppler radar and C-band dual-polarization weather radar observations. Using surface-based snowfall measurements collected over five winters at the University of Helsinki measurement station and supplemented by the single particle scattering datasets of aggregated snowflakes and rimed ice particles, a connection between rime mass fraction and radar observations at X- and Ka-bands was established and used in classifying unrimed and rimed snow. The sanity checks show that the results of this classification are consistent with the previous study using single-frequency radar observations (Zawadzki et al., 2005). Statistics of vertically pointing multifrequency dual-polarization radars and RHI scans of C-band polarimetric weather radar show the following.

1. The radar-observed melting layer properties show a detectable connection to the precipitation intensity. The increase in precipitation intensity can lead to the saggy bright band, i.e., the descending of reflectivity peak and \( \rho_{hv} \) dip.

2. Rimming can affect melting layer properties in the following ways.
   a. In moderate to heavy rainfall, riming may cause additional bright band sagging. However, the opposite effect is observed in light precipitation, namely, such sagging is associated with unrimed snow.
   b. X-band radar reflectivity peak is smaller for rimed snow than unrimed for a given precipitation intensity if the non-Rayleigh scattering effect is not significant.
   c. If the non-Rayleigh scattering effect is distinct, e.g., at Ka- or W-band, the reflectivity peak can be larger for rimed snow.
   d. The reflectivity dip at the melting layer top (dark band) is obscured for rimed snow, while it is pronounced for unrimed snow. This suggests that the aggregation process may be suppressed by riming.

3. The decrease in \( Z_{dp} \) towards the melting layer is pronounced in heavy precipitation but is insignificant in light precipitation.

A well-calibrated triple-frequency radar setup has been shown potential in studying the microphysics of snowfall. However, such measurements may not be well suited to rainfall due to the highly uncertain W-band attenuation caused by the melting layer, as well as the supercooled water. The approach presented explores the possibility of adding the Doppler velocity to distinguish between unrimed and rimed conditions and is less affected by the attenuation from supercooled water. Such instrumentation as the X/Ka-SACR mounted on the same platform takes much less effort in pointing alignment. Its application may also be expanded to space-borne radars. For example, instead of launching triple-frequency radars, implementing the Doppler capability with sufficient sensitivity on either of the radars on a dual-wavelength platform may be served as an option.

A coordinated radar setup as employed during BAECC facilitates the synergy of multiple radar frequencies and polarimetric observations at various scan modes. Due to the periodic changes of radar scanning modes during BAECC, the total stratiform rainfall cases are limited to \( \sim 11.5 \) h. More of such observations can be utilized to evaluate and consolidate the presented conclusions. If such coordinated measurements with high time resolutions can be obtained in the future, our understanding of snow microphysical processes may be further advanced.

Data availability. Quicklooks of radar observations used in this study are available at https://doi.org/10.5281/zenodo.3979103 (Li, 2020).


The ARM data used in this study are available from Atmospheric Radiation Measurement (ARM) Climate Research Facility (ARM Climate Research Facility, 2006, 2010, 2011).

PIP data are available from https://doi.org/10.5281/zenodo.3977959 (Moisseev, 2020).
Author contributions. HL and DM designed and conceptualized the study. HL performed the investigation and did the data analysis. DM contributed with the research supervision. JT processed the FMI C-band radar raw data. AvL developed the snow retrieval algorithm based on PIP products. HL wrote the original paper. All coauthors contributed to reviewing and editing this paper.

Competing interests. The authors declare that they have no conflict of interest.

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